



Combined constraints on dark photons from high-energy collisions, cosmology, and astrophysics

Based on: A. W. Romero Jorge et al., PRD 113 (2026) 055052
A. W. Romero Jorge et al., PRC 112 (2025) 054905

Adrian William Romero Jorge (Goethe Uni. Frankfurt & HFHF)

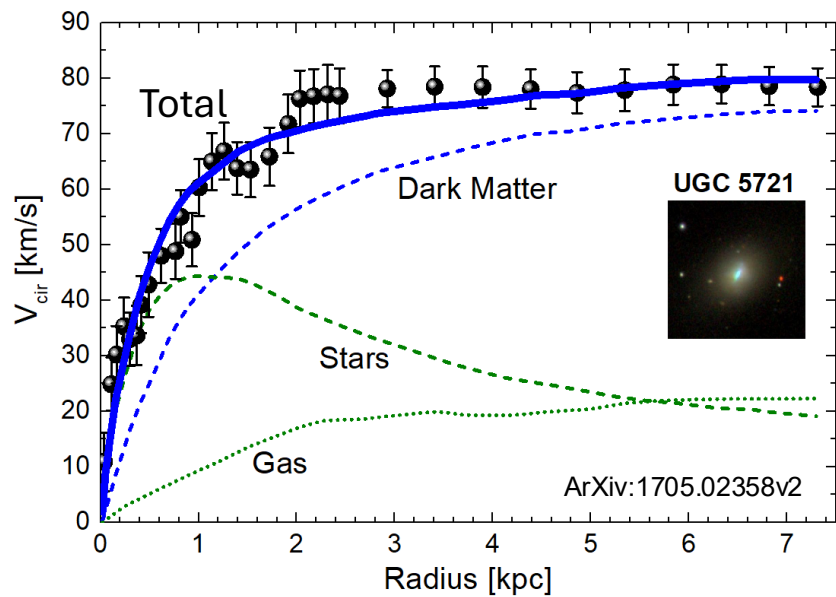
Elena Bratkovskaya (GSI, Darmstadt & Uni. Frankfurt & HFHF)

Laura Sagunski (Uni. Frankfurt) & **Guanwen Yuan** (Uni. Trento) & **Taesoo Song** (GSI, Darmstadt)

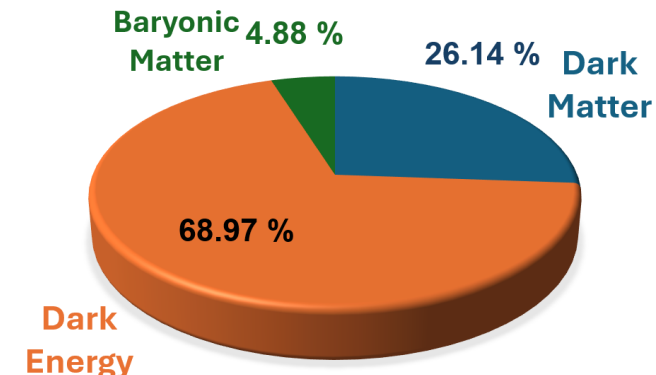
Structure of the Universe

Astrophysical observations based on **gravitational** effects:

1. Galaxy Rotation Curves



Energy Distribution of the Universe



Data from Planck 2018 results (Arxiv: 1807.06209)

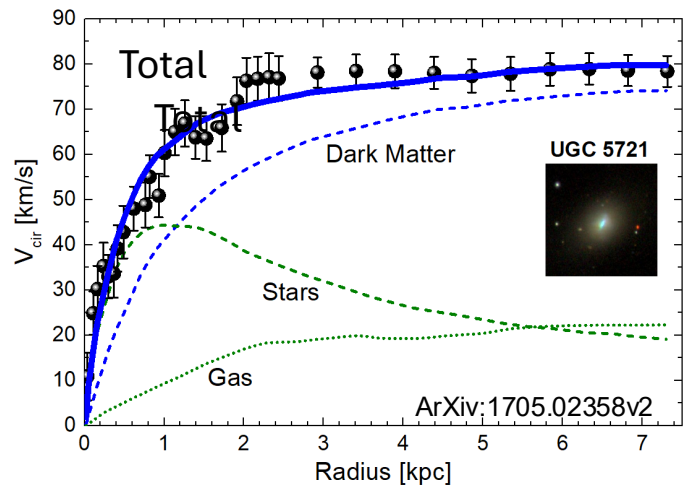


G. Bertone & TMPT, Nature 562, 51, 2018

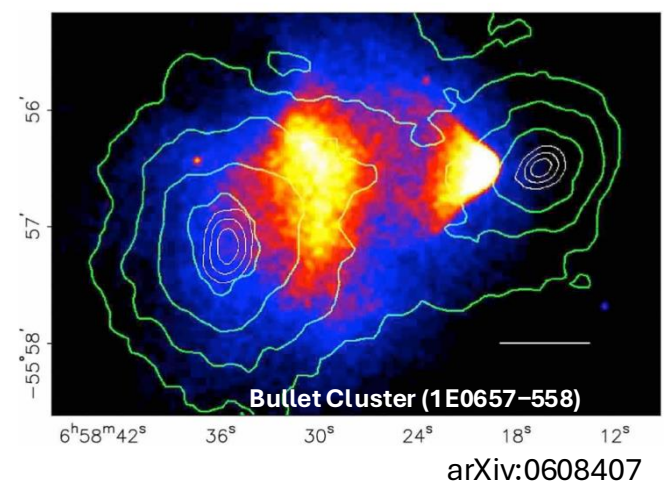
Structure of the Universe

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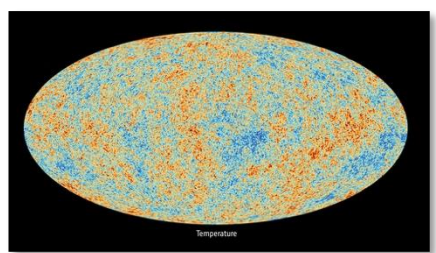
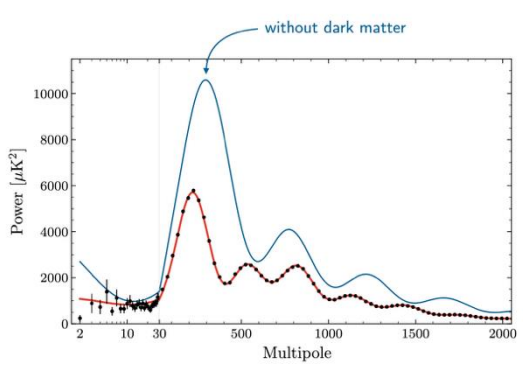
1. Galaxy Rotation Curves



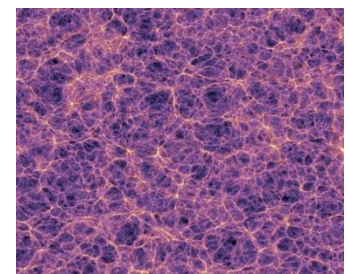
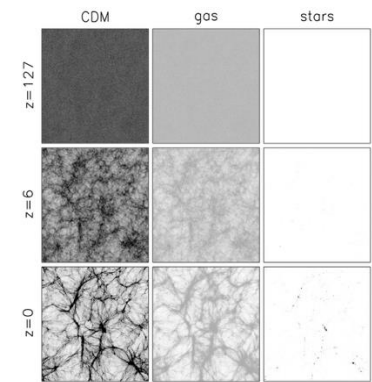
3. Gravitational lensing



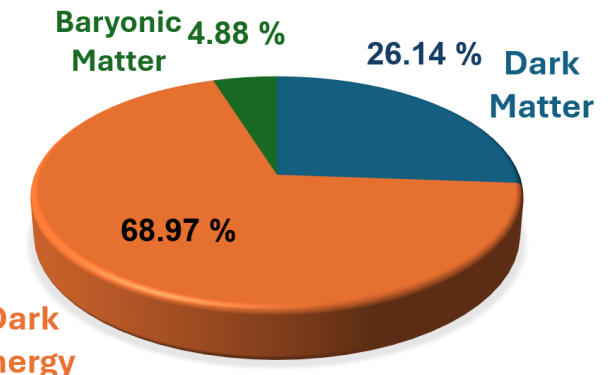
2. Cosmic Microwave Background (CMB)



4. Structure Formation



Energy Distribution of the Universe



Data from Planck 2018 results (Arxiv: 1807.06209)



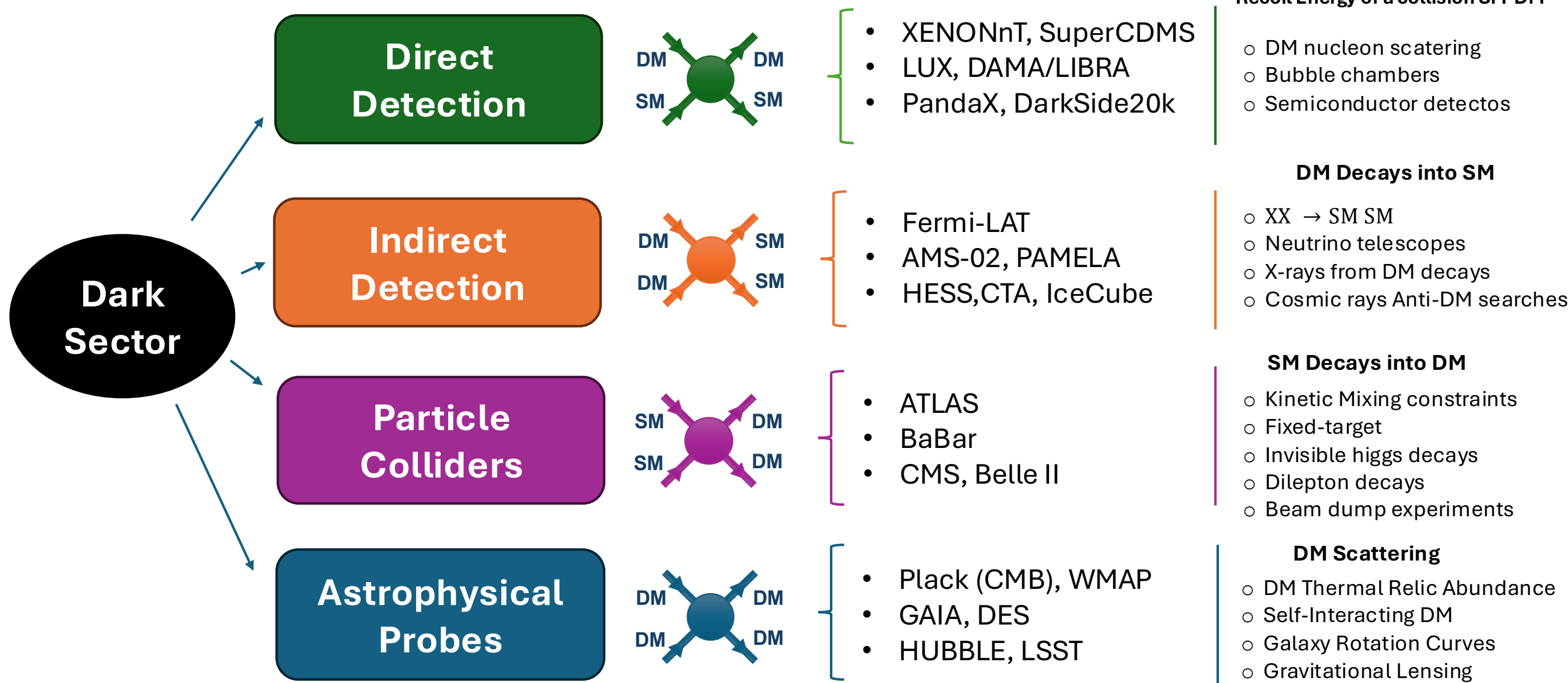
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Dark Matter Detection

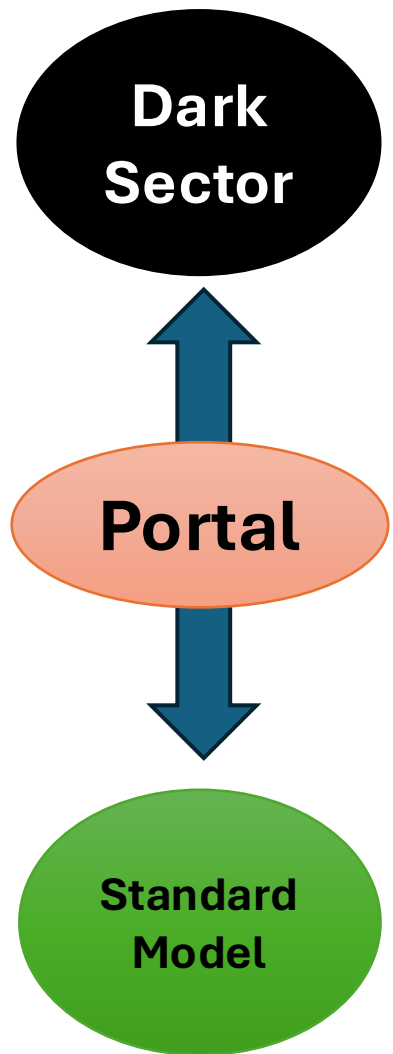


**Dark
Sector**

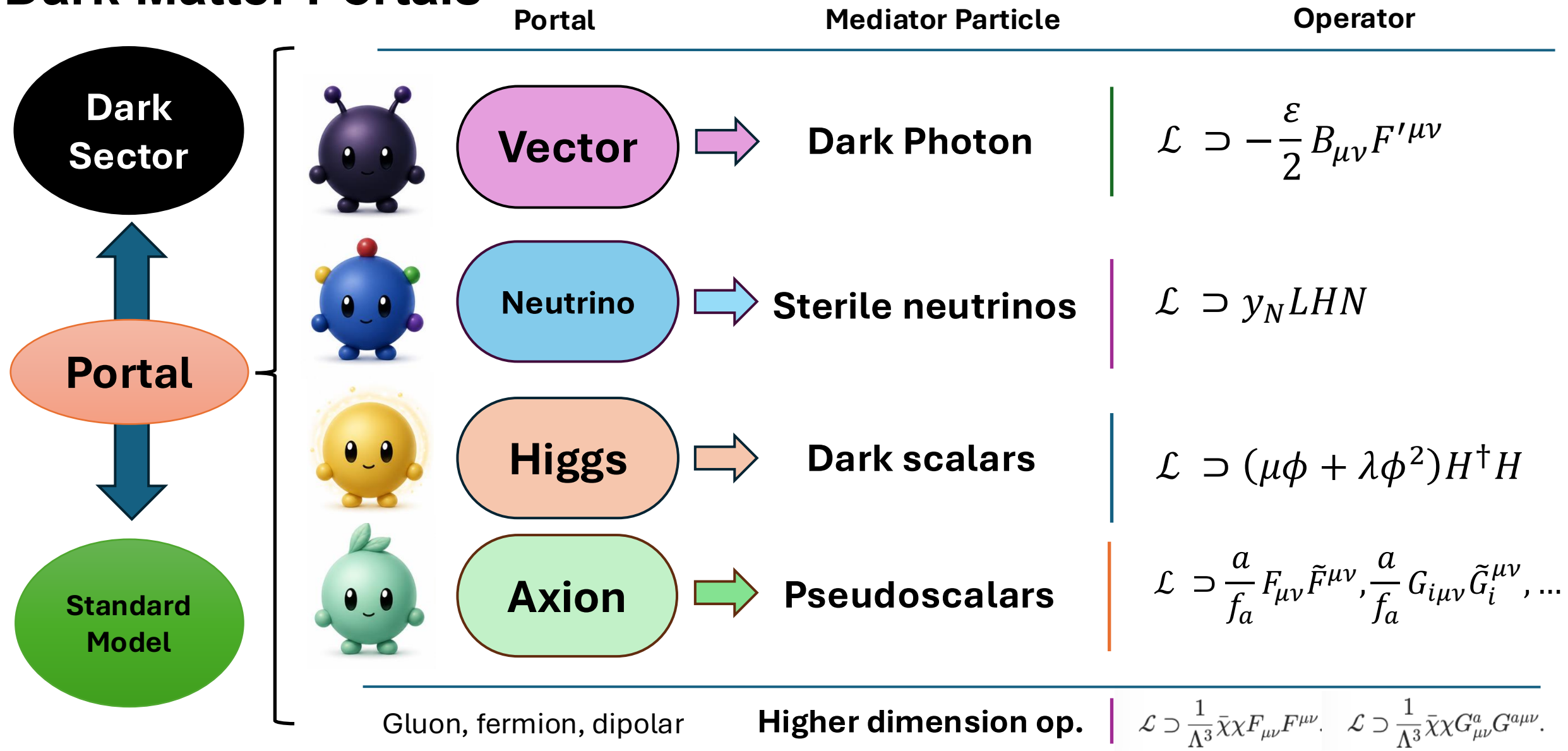
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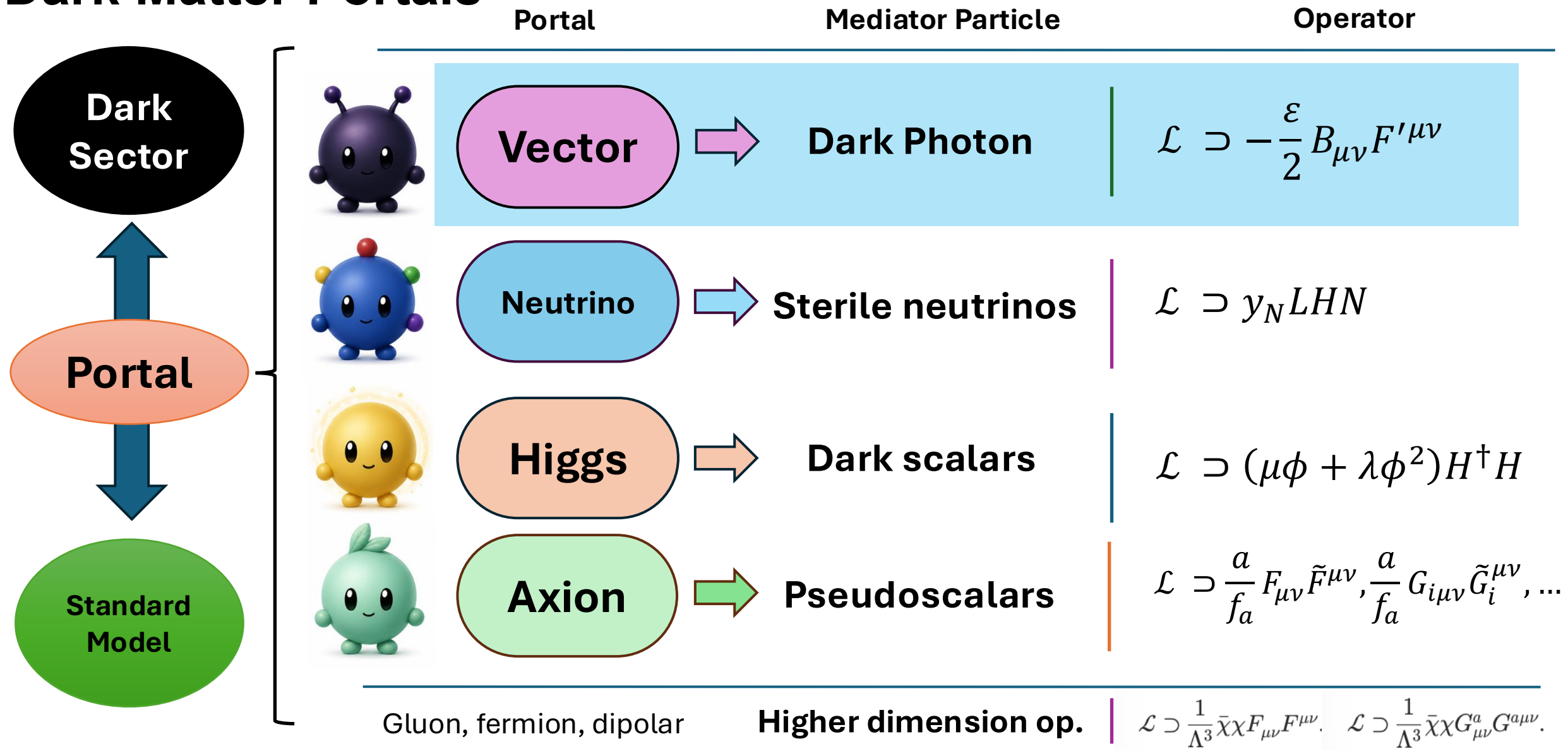
Dark Matter Portals



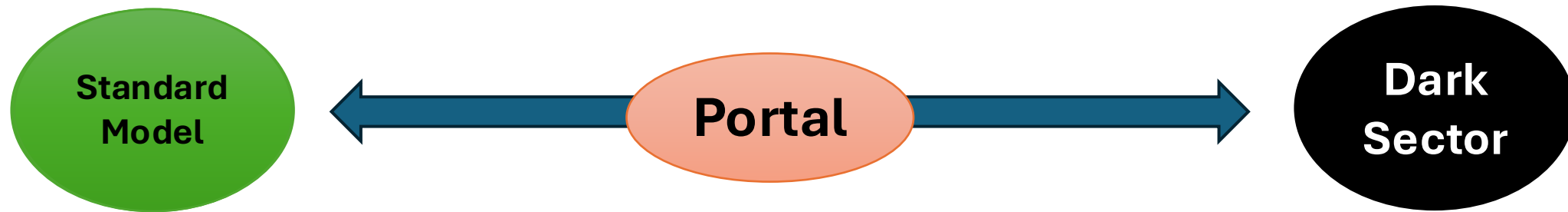
Dark Matter Portals



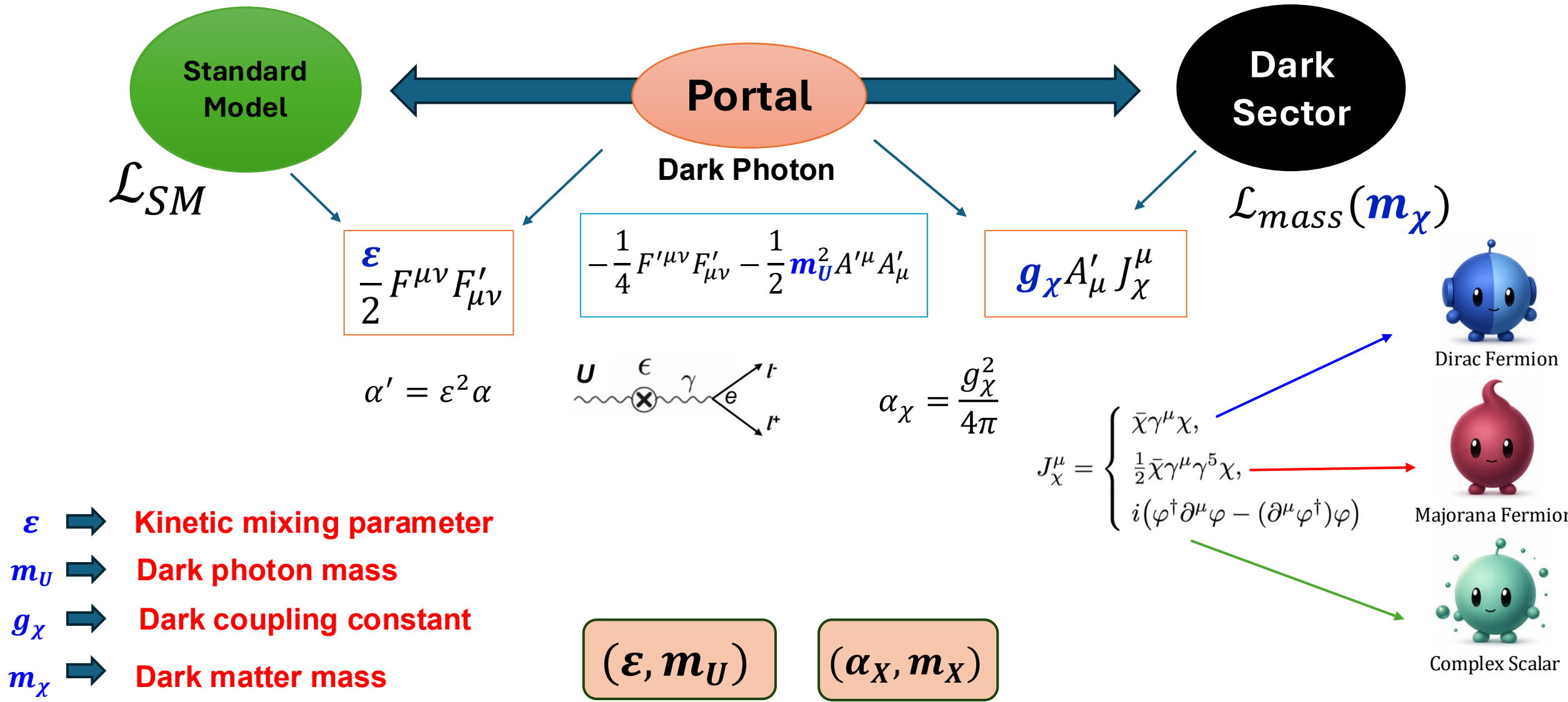
Dark Matter Portals



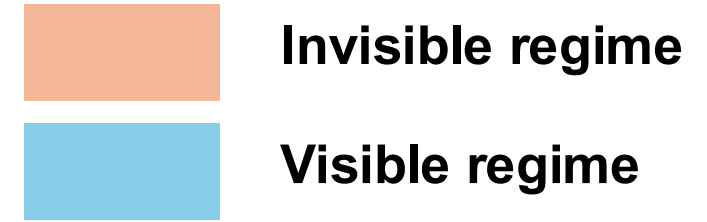
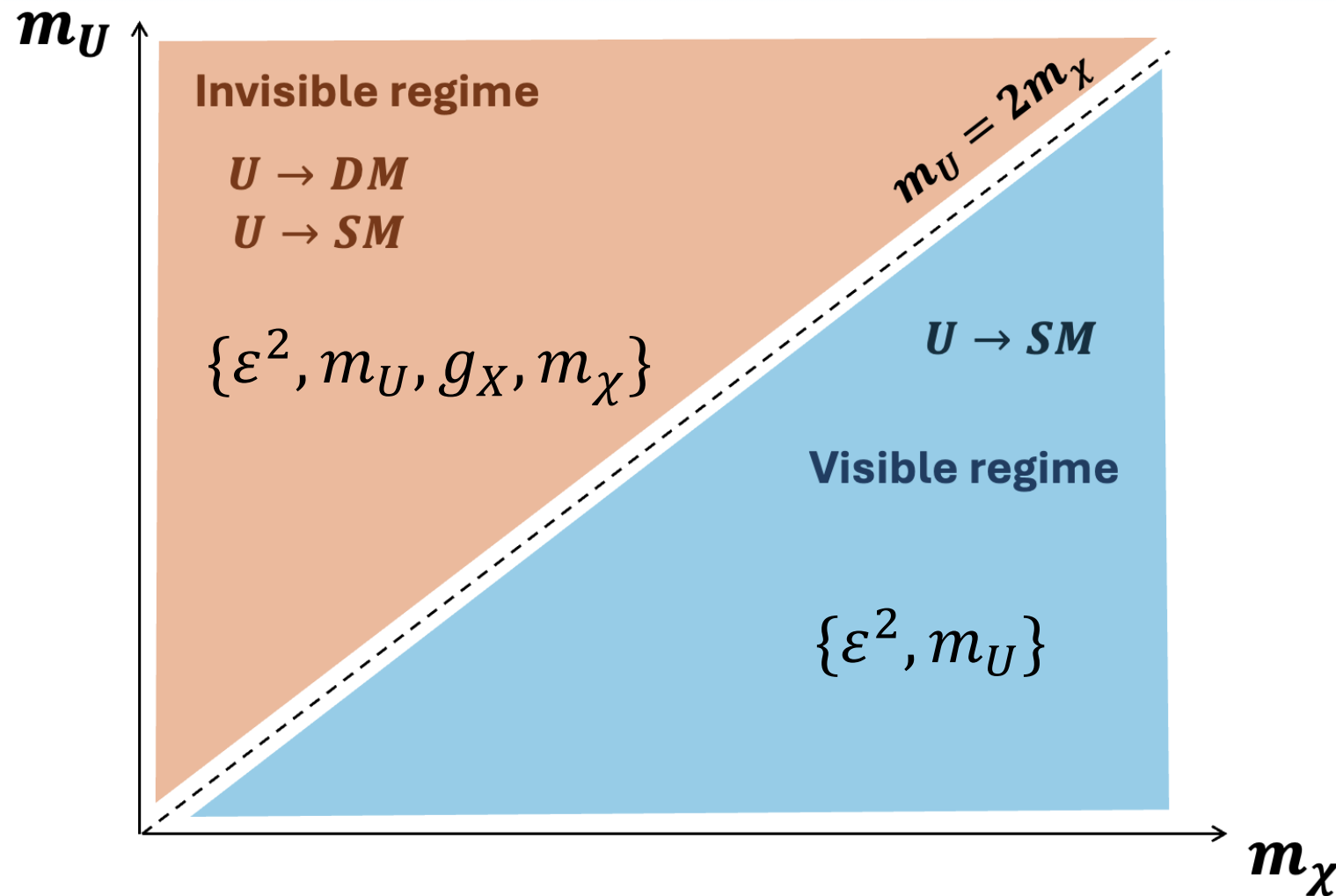
Dark Photon Model with Dark Matter



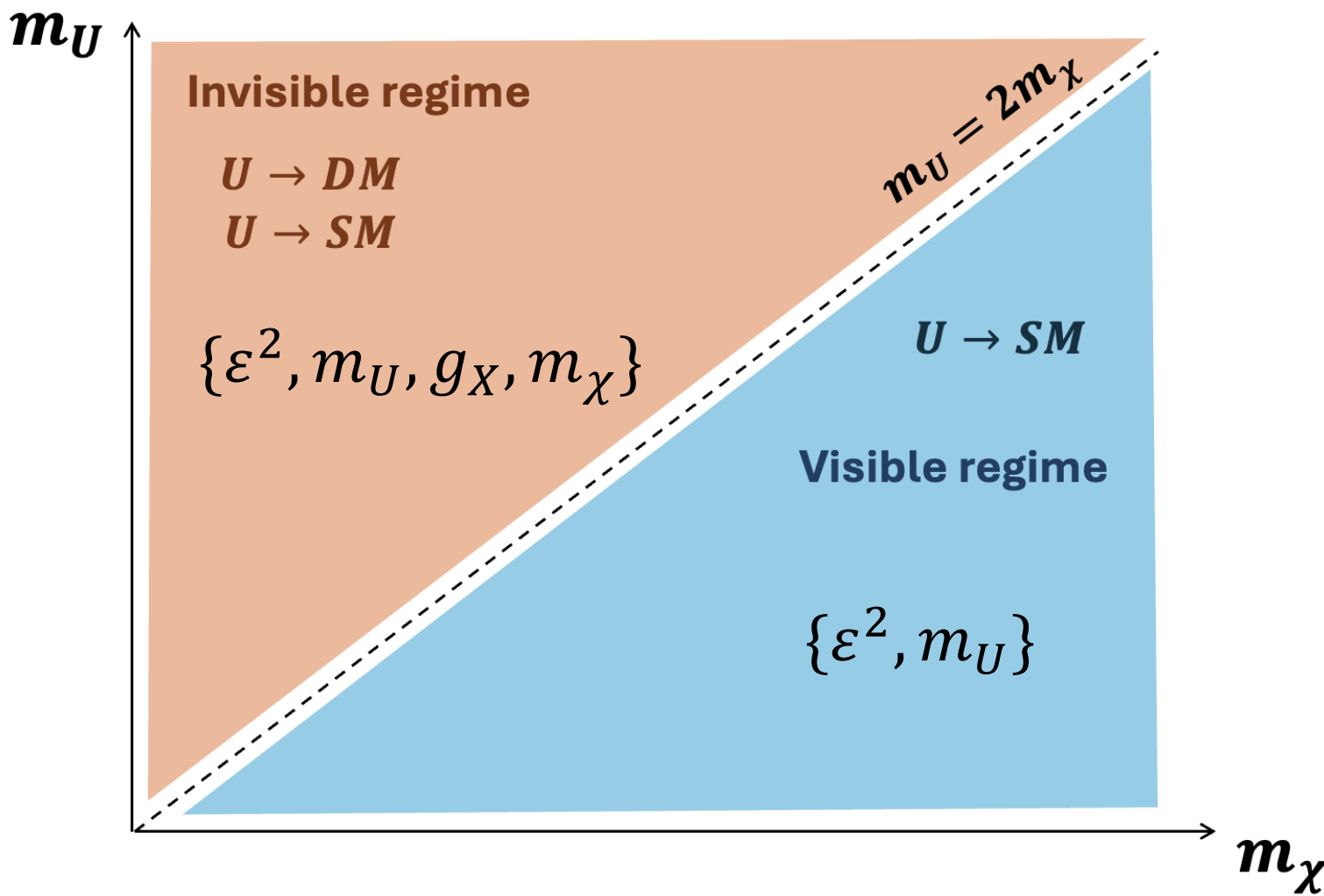
Dark Photon Model with Dark Matter



Kinematics $m_U(m_\chi)$

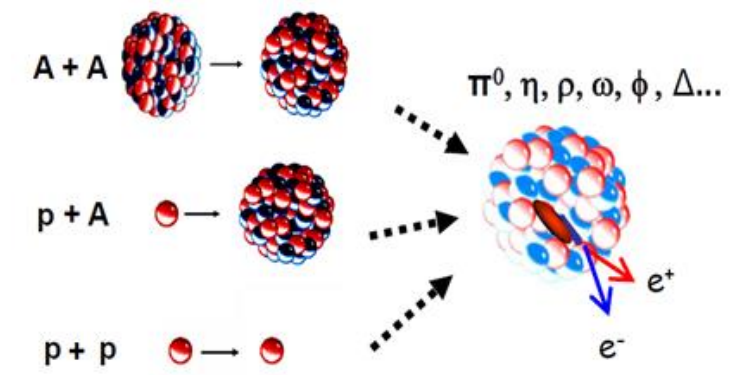


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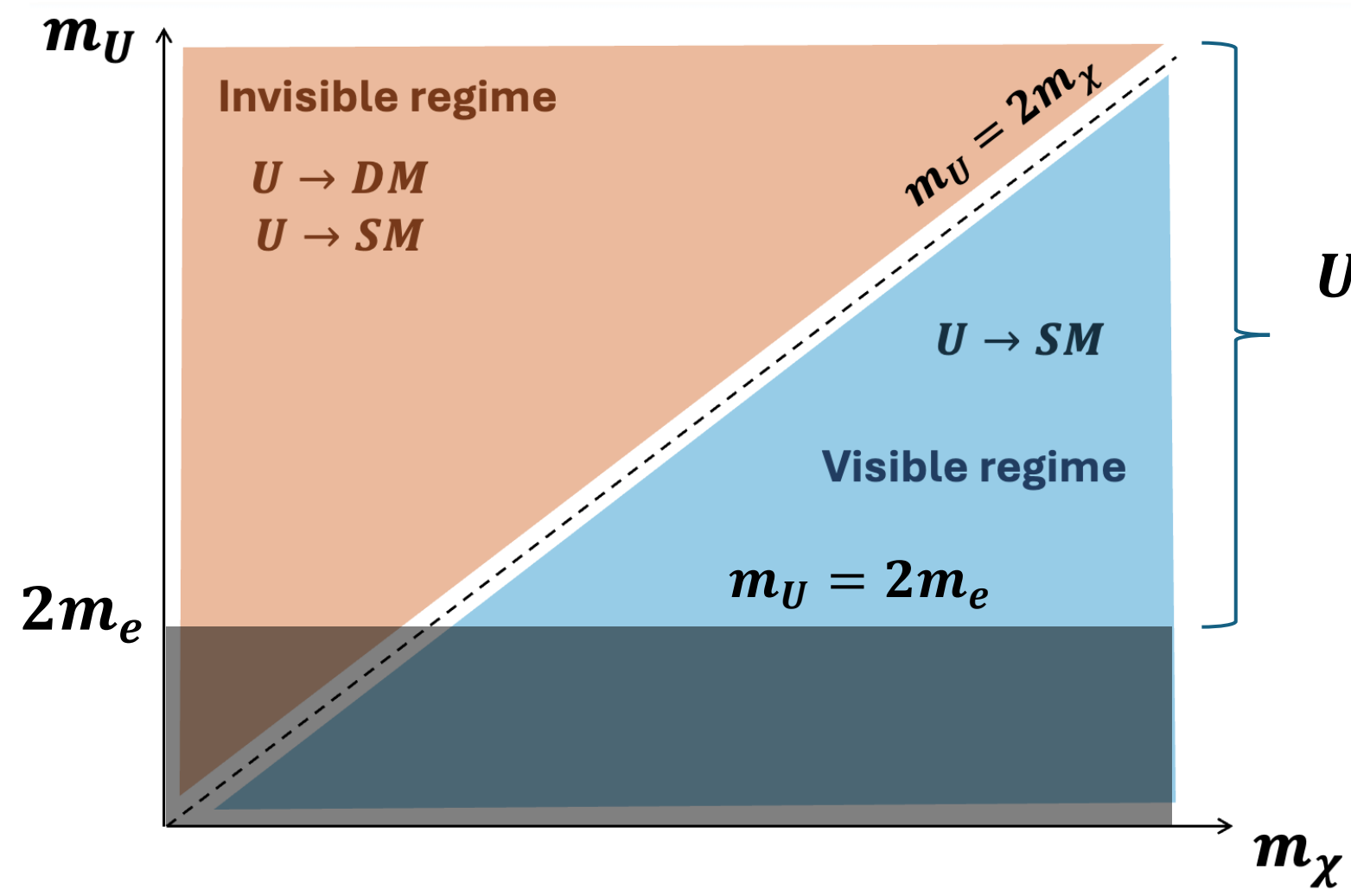


Invisible regime
 Visible regime

Is it possible to “detect” dark photons in Heavy-Ion Collisions ?



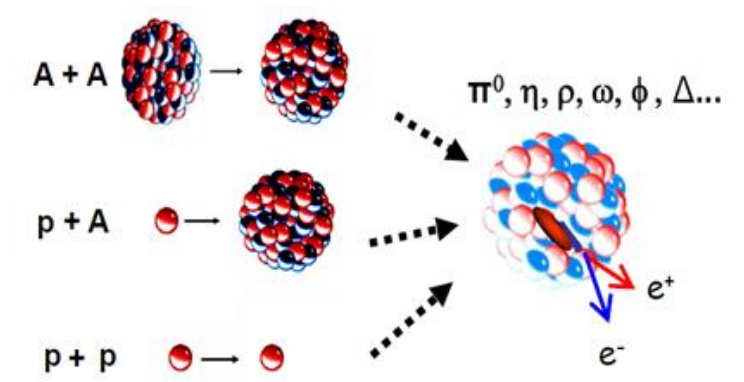
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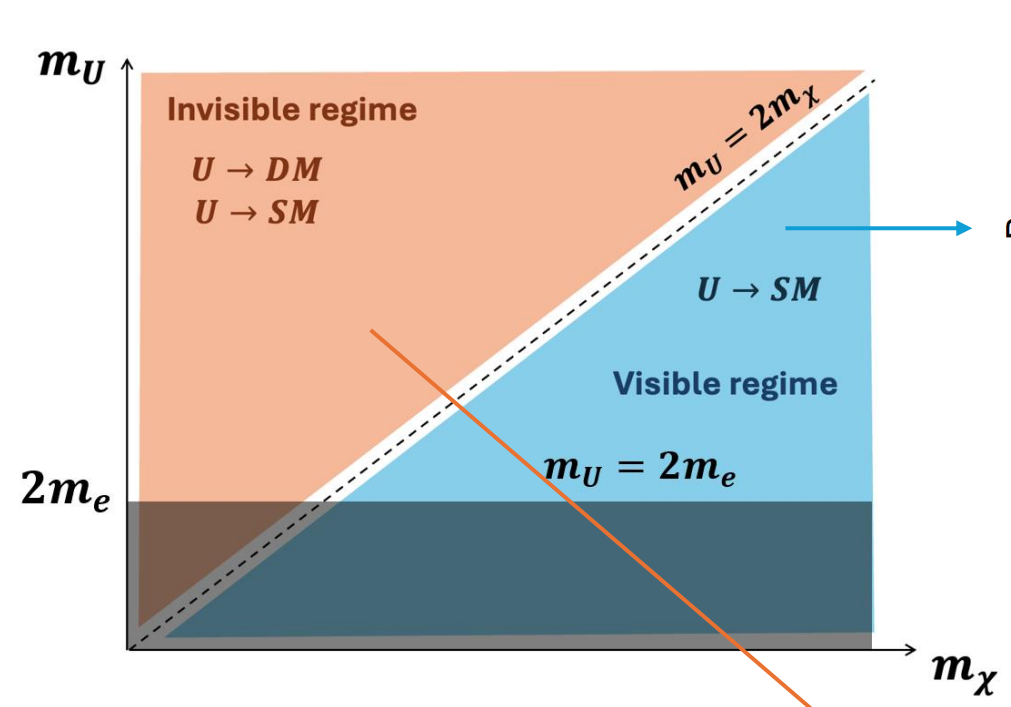
- Invisible regime
- Visible regime
- Below $2m_e$ threshold

$U \rightarrow l^+ l^-$

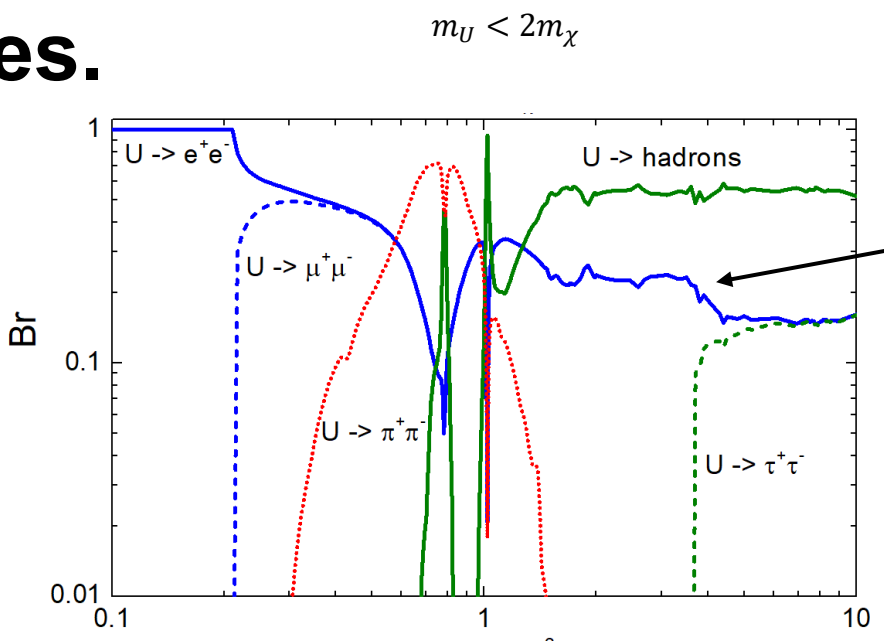
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Dark photon decay modes.

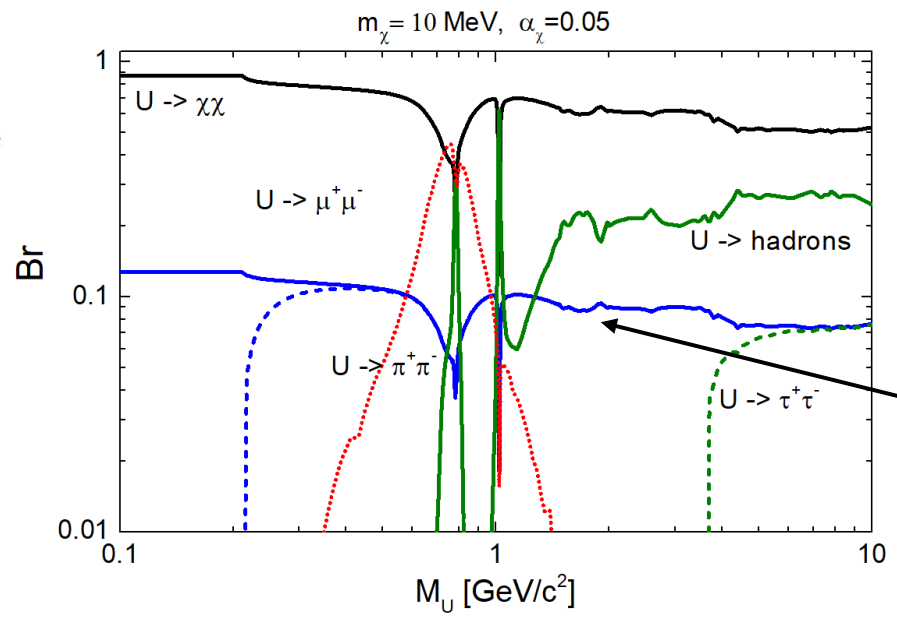


- $U \rightarrow e^+e^-$
- $U \rightarrow \mu^+\mu^-$
- $U \rightarrow \tau^+\tau^-$
- $U \rightarrow \text{hadrons}$
- $(U \rightarrow \pi^+\pi^-, \dots)$



$Br^{U \rightarrow e^+e^-}$
dominant

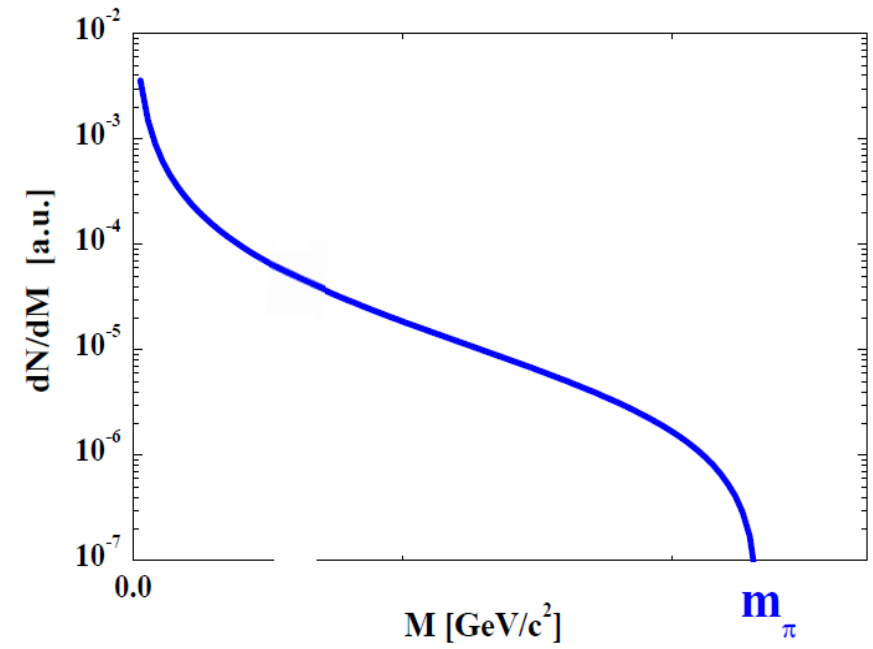
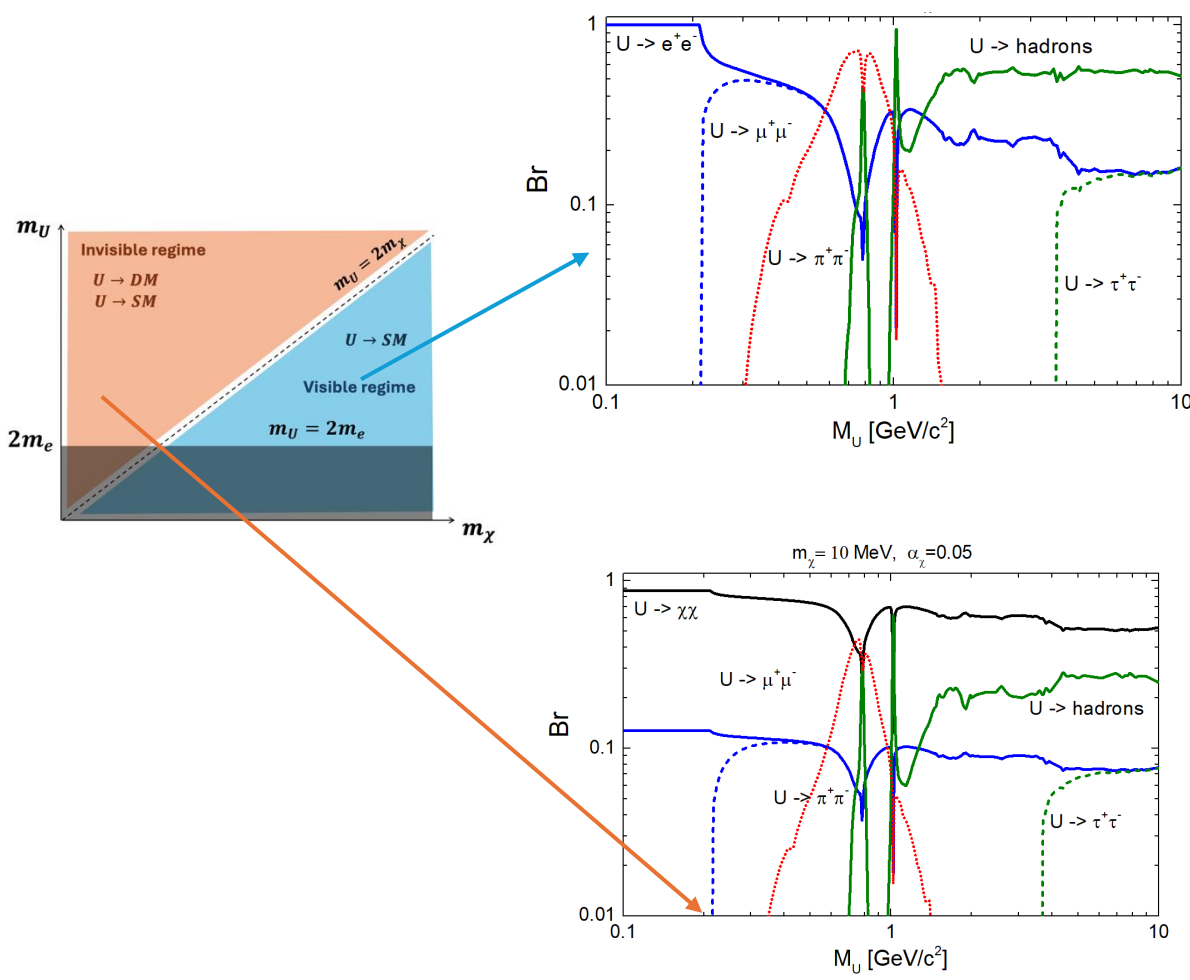
$$Br(U \rightarrow e^+e^-) = \begin{cases} \frac{\Gamma(U \rightarrow e^+e^-)}{\Gamma_{\text{vis}}}, & m_U < 2m_\chi, \\ \frac{\Gamma(U \rightarrow e^+e^-)}{\Gamma_{\text{vis}} + \Gamma_{\text{inv}}}, & m_U \geq 2m_\chi, \end{cases}$$



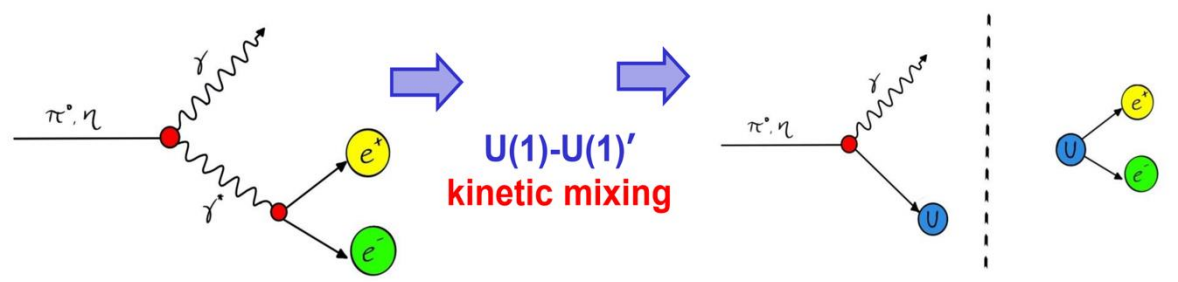
$$\Gamma_{\text{vis}}(m_U) = \sum_{\ell=e,\mu,\tau} \Gamma(U \rightarrow \ell^+\ell^-) + \Gamma_{\text{had}}$$

$Br^{U \rightarrow e^+e^-}$
suppressed

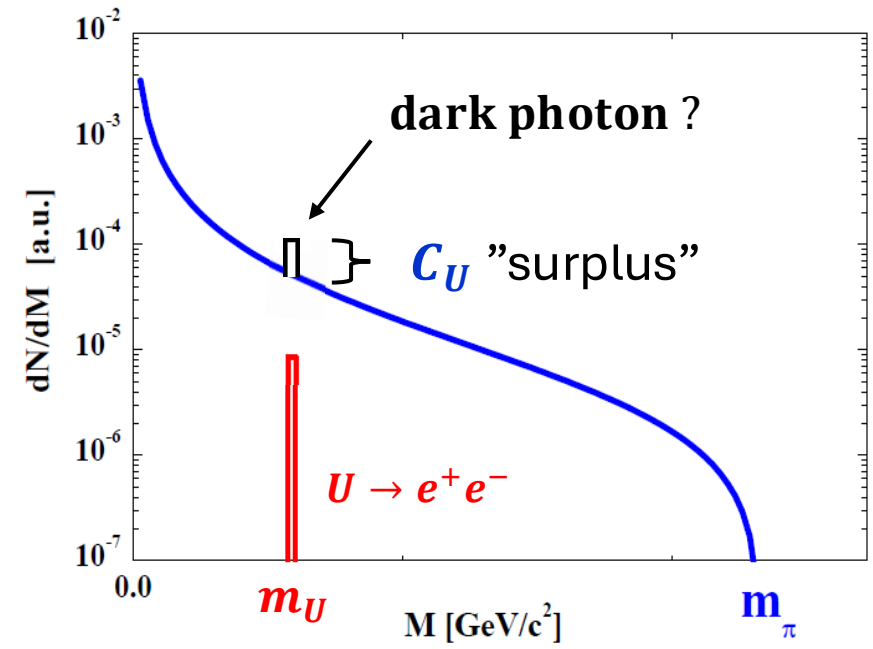
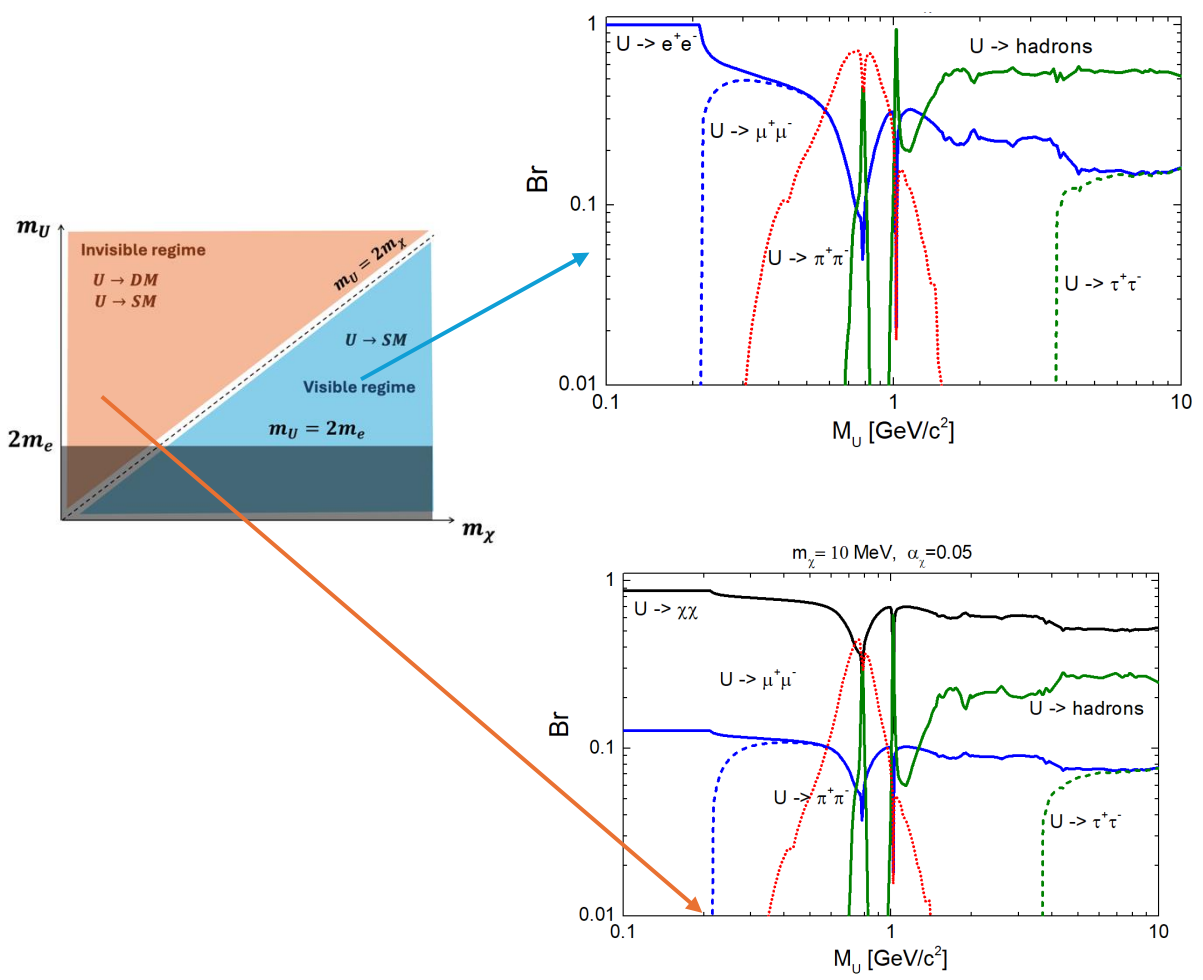
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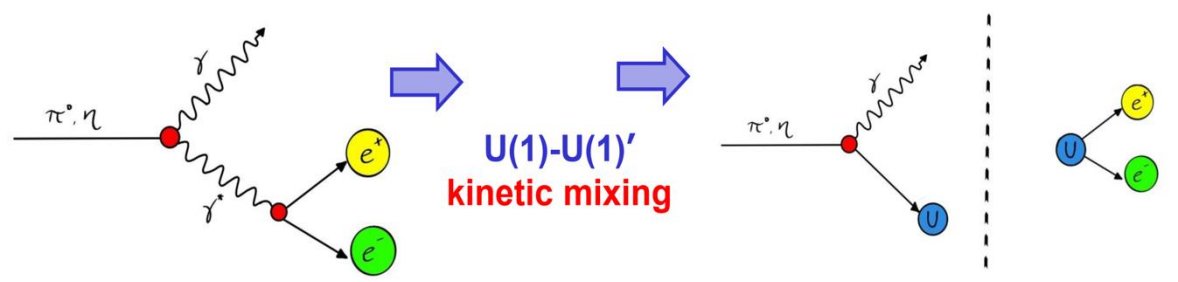
$\pi^0 \rightarrow \gamma + e^+e^-$ $\pi^0 \rightarrow \gamma + U, \quad U \rightarrow e^+e^-$
Standard model **Beyond SM**



Dark photon decay modes.



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Standard model **Beyond SM**

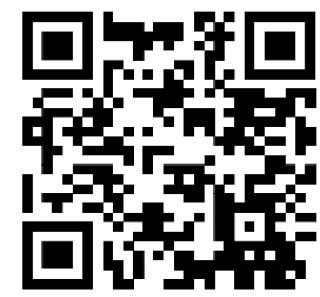


Theoretical modelling of dark photon production

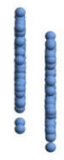
Parton-Hadron-String Dynamics (**PHSD**) is a **non-equilibrium microscopic transport approach** for the description of strongly-interacting hadronic and partonic matter created in heavy-ion collisions

Dynamics: based on the solution of generalized off-shell transport equations derived from Kadanoff-Baym many-body theory

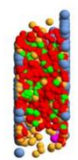
QGP: described by the Dynamical Quasi-Particle Model (**DQPM**)



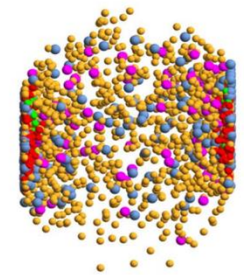
Initial State:
Au+Au
200 GeV, b=2 fm



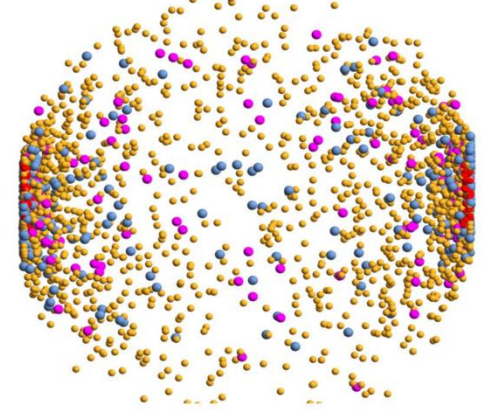
Quark Gluon Plasma: IQCD
EoS. Non-perturbative QCD
quasiparticles



Dynamical
Hadronization



Hadronic interactions: Final hadrons+ leptons

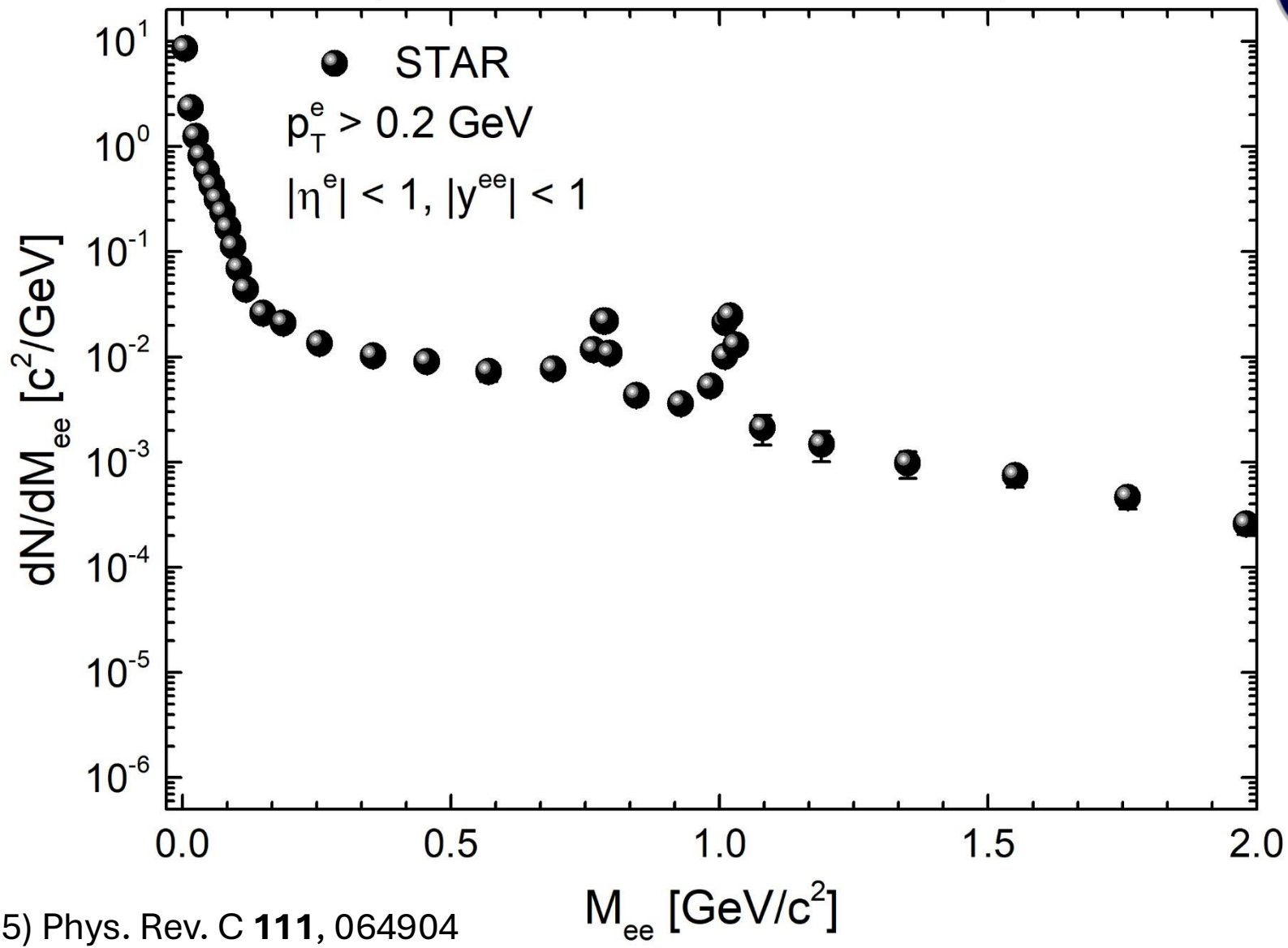


- Baryons
- Antibaryons
- Mesons
- Quarks
- Gluons

→ **PHSD** provides a good description of ‘bulk’ hadronic observables as well as **dilepton spectra** from SIS to LHC energies

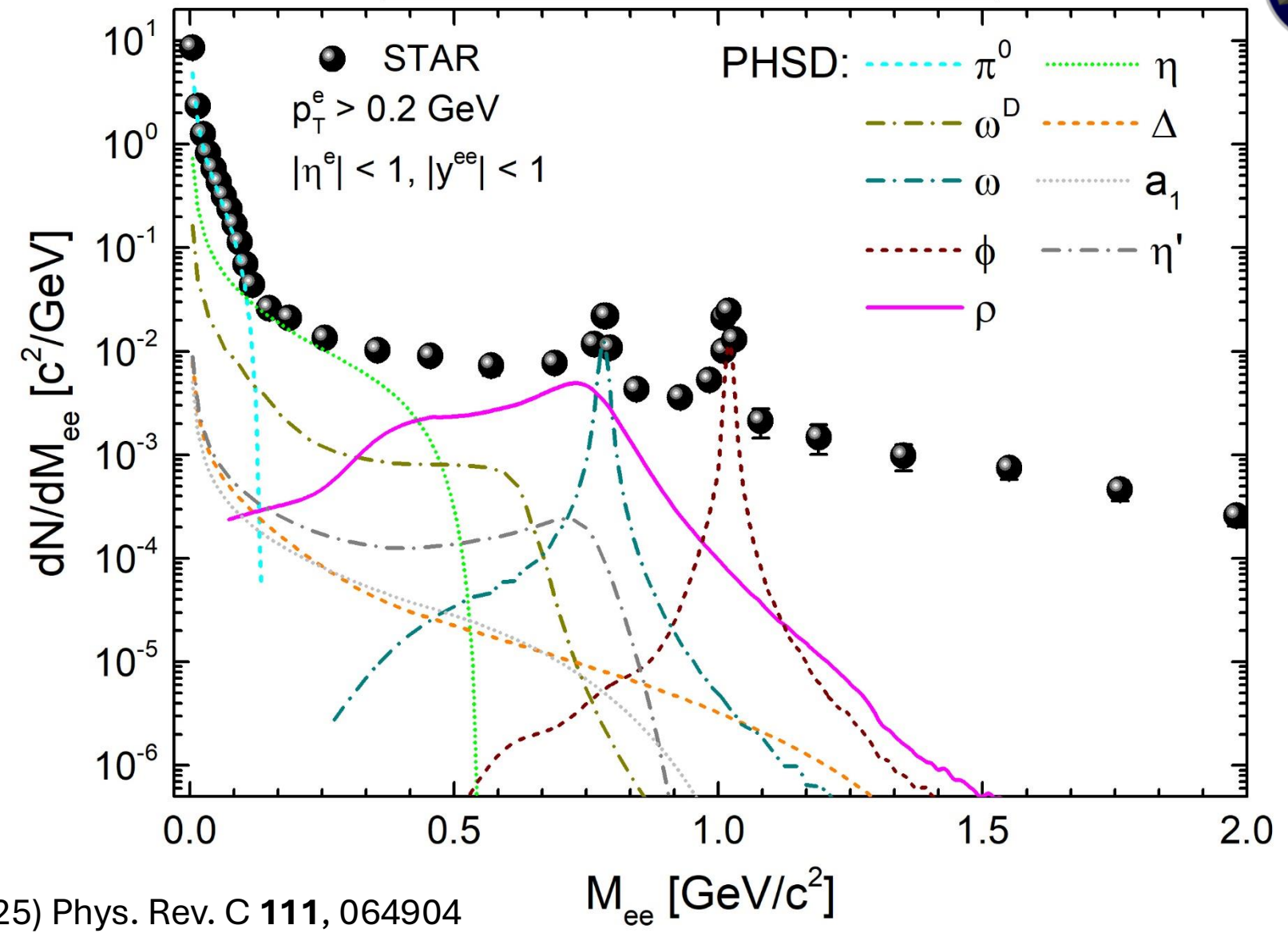
PHSD: W. Cassing, E. Bratkovskaya, PRC 78 (2008) 034919; NPA831 (2009) 215; W. Cassing, EPJ ST 168 (2009)

Dilepton mass spectra **Au+Au, 200 GeV, min-bias**



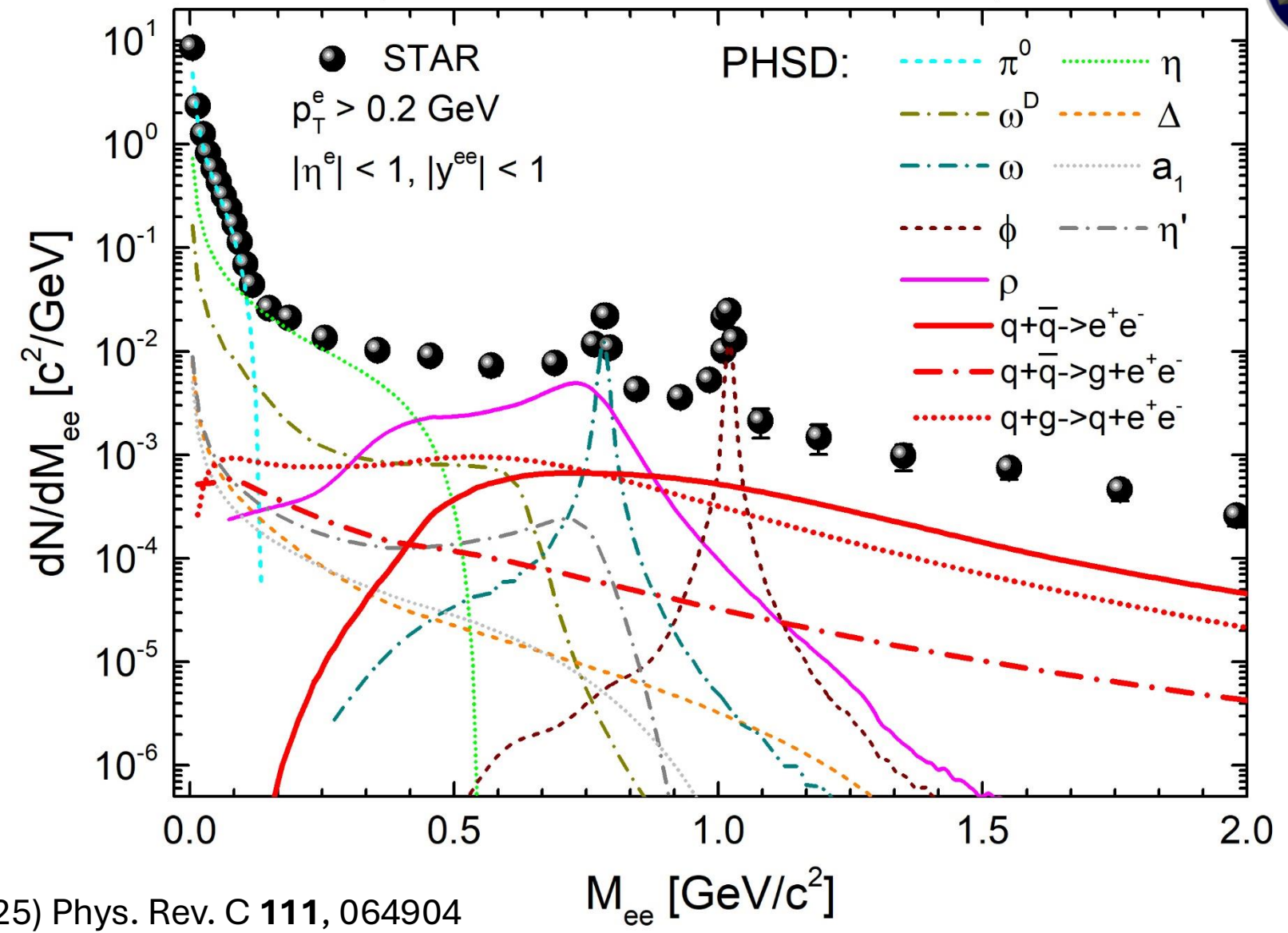
See A. Jorge et al. (2025) Phys. Rev. C **111**, 064904

Dilepton mass spectra Au+Au, 200 GeV, min-bias



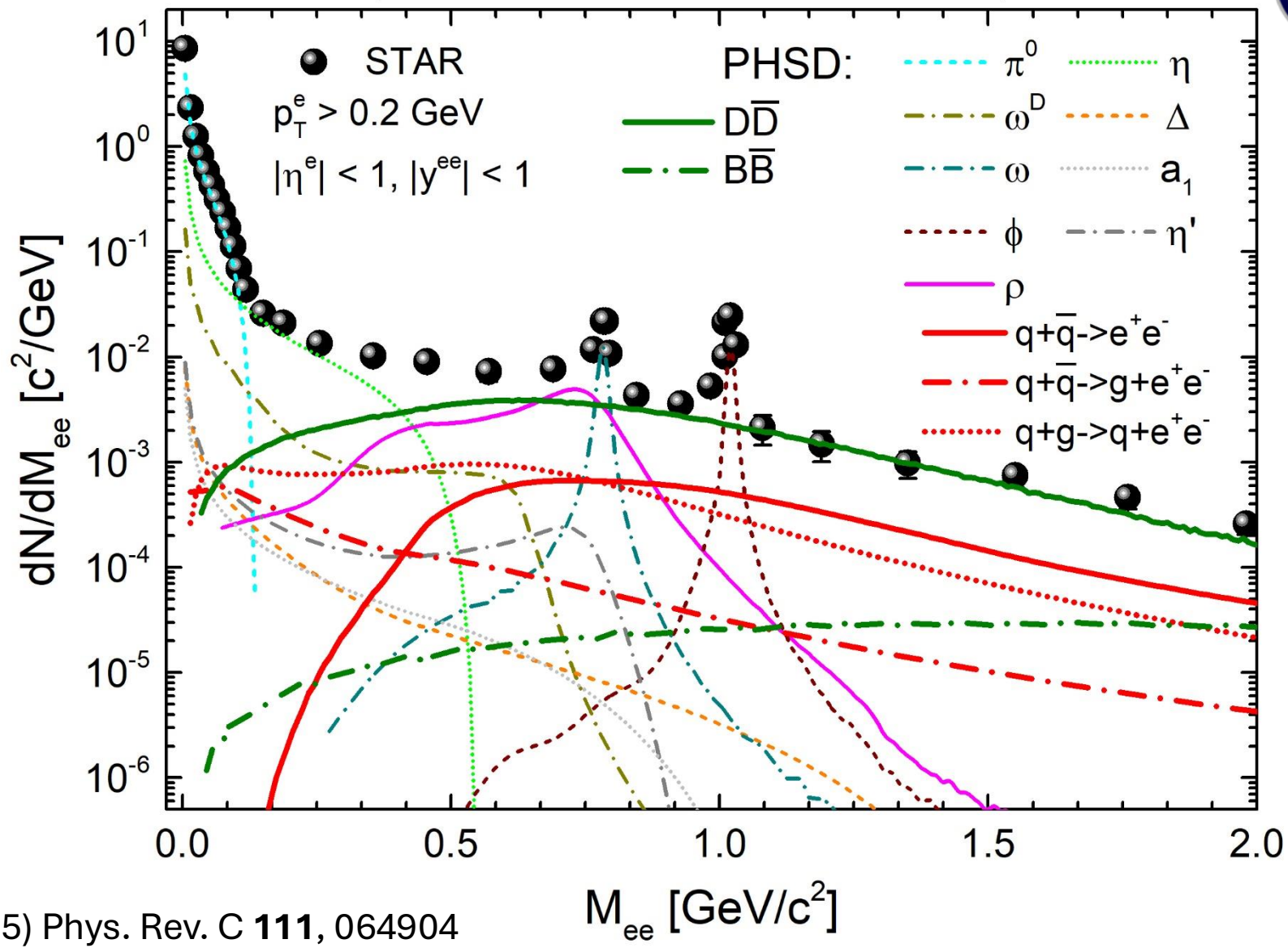
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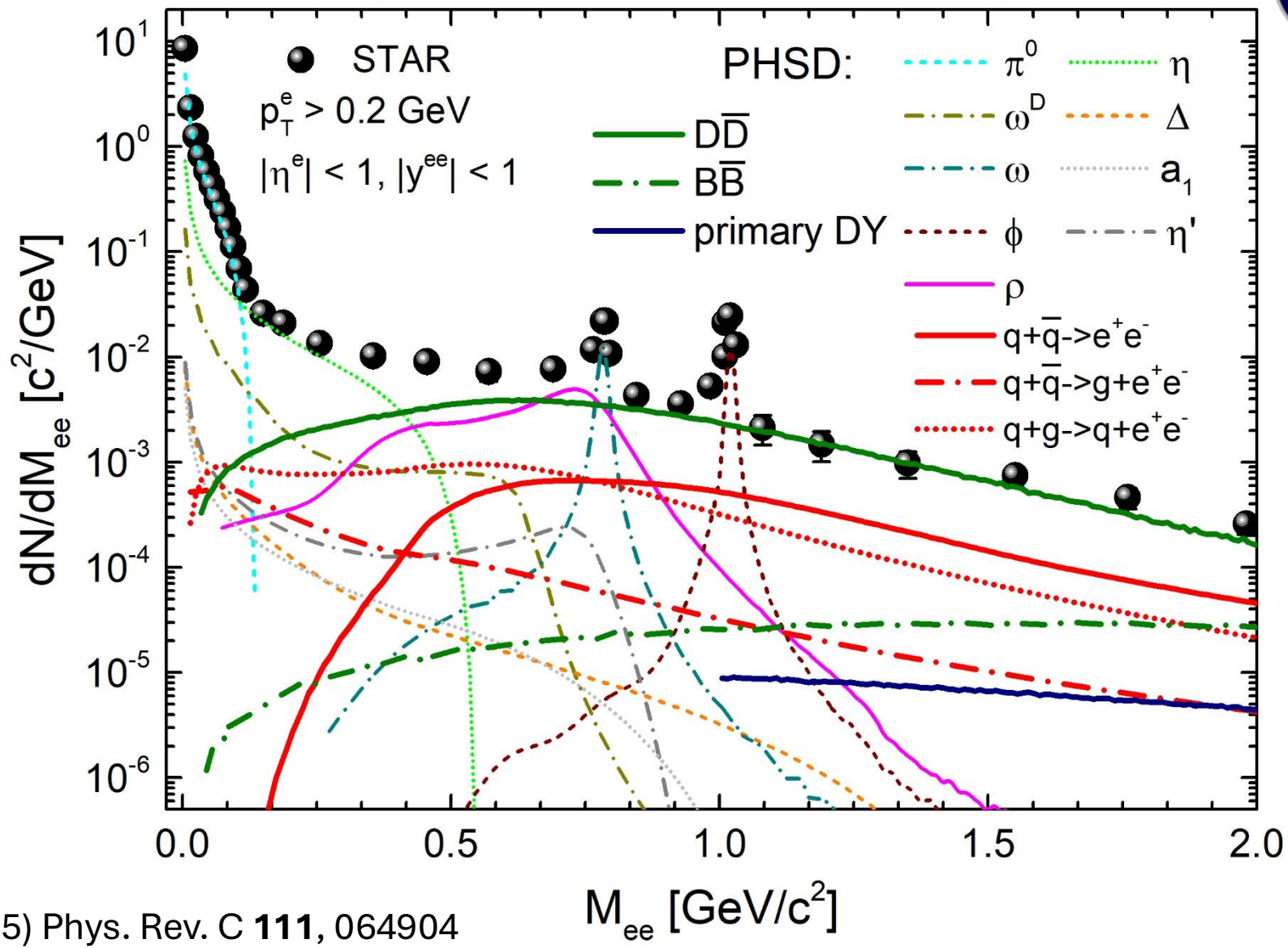
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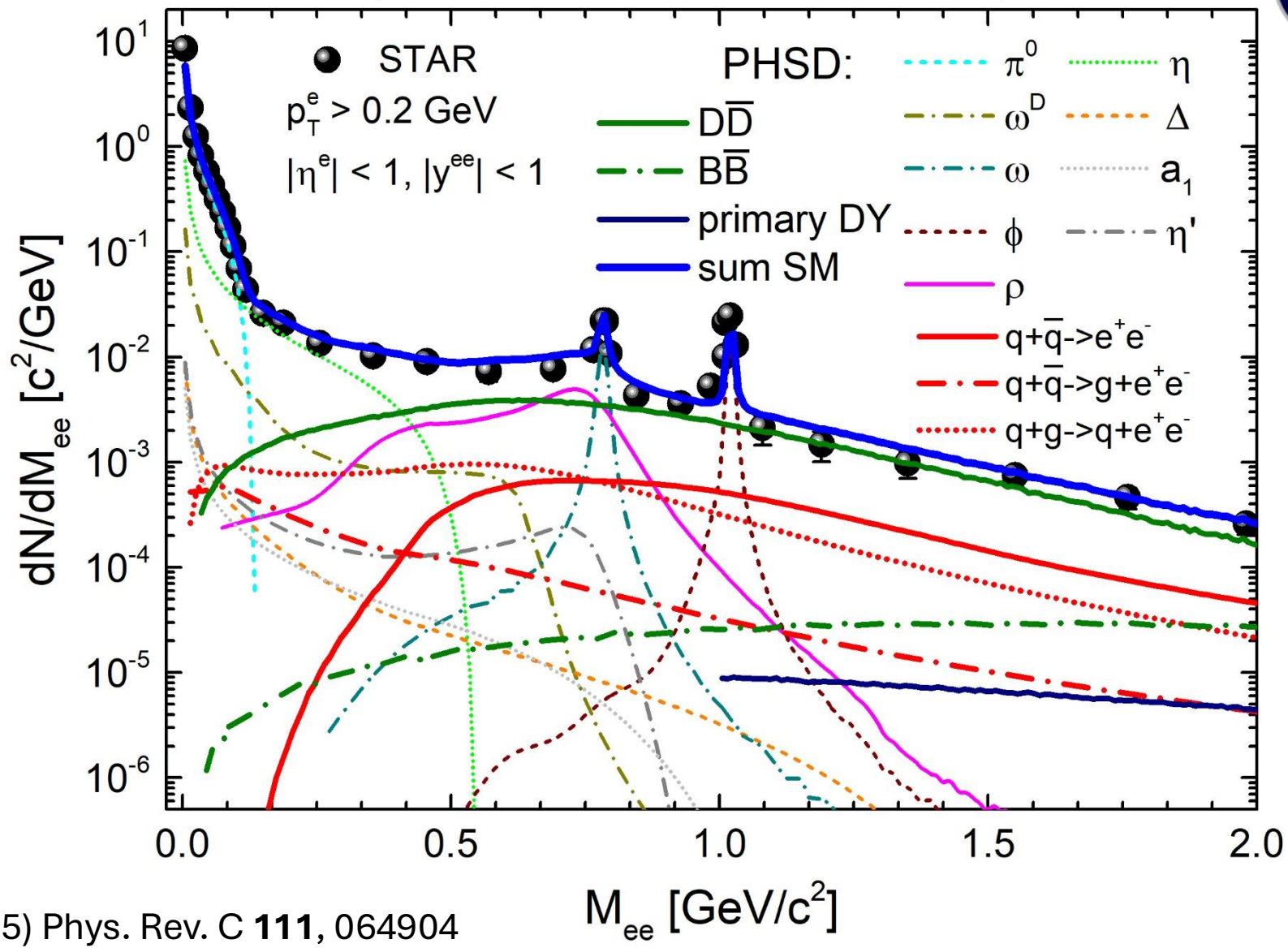
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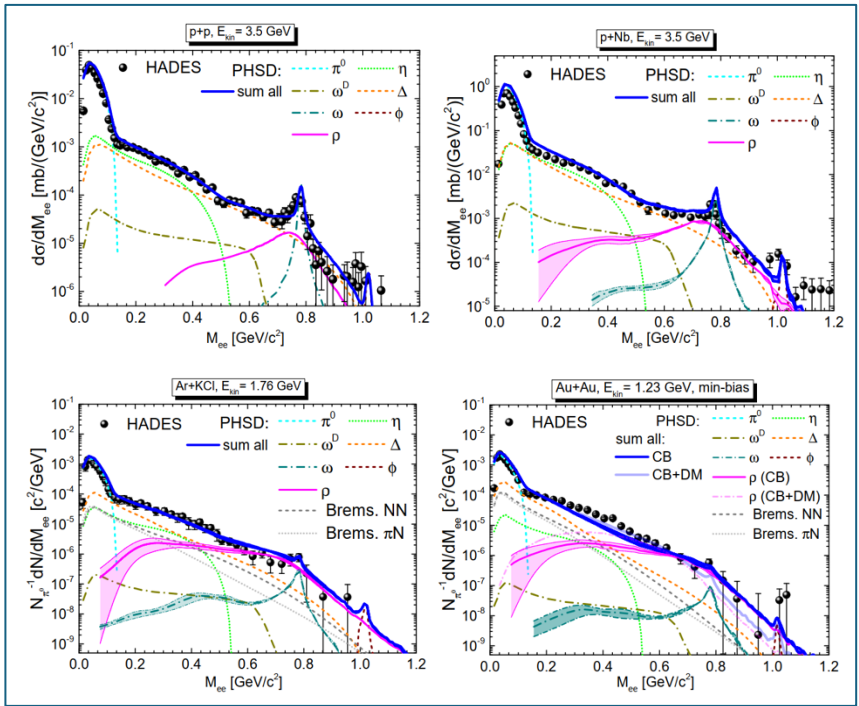


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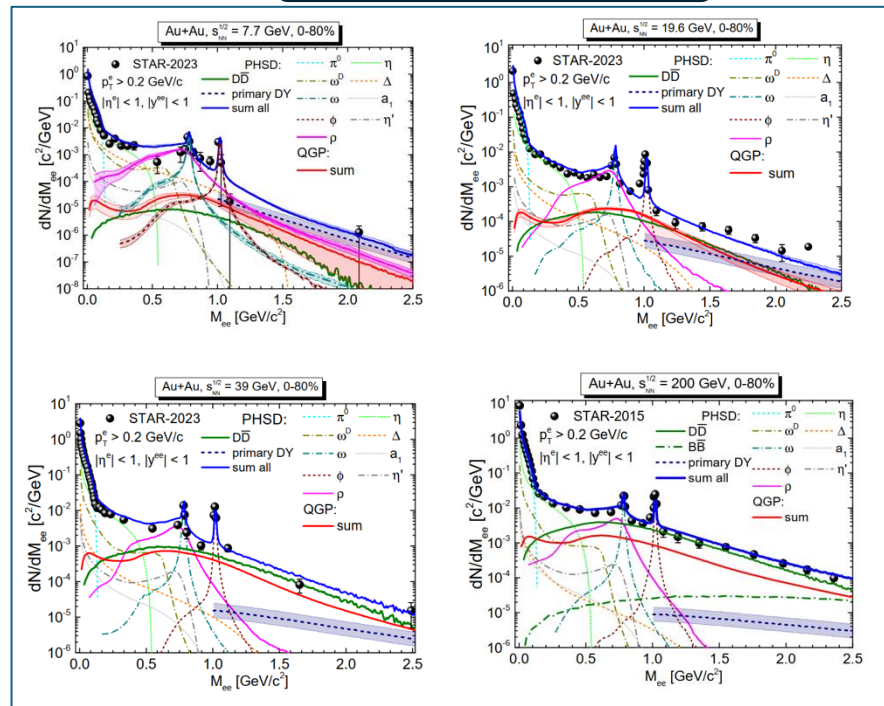
Dilepton spectra from PHSD from SIS to RHIC energies



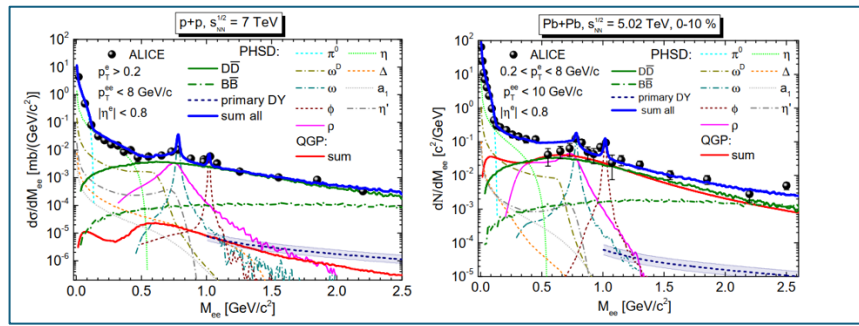
SIS-HADES



BES-RHIC-STAR



LHC-ALICE



- The STAR/HADES/ALICE data, i.e. **SM contributions** (including exp. acceptance) are well described by the PHSD

See A. Jorge et al. (2025) Phys. Rev. C **111**, 064904

Dark photon production in PHSD?

Dark photon production in PHSD

Dalitz Decay

$$\pi^0, \eta, \eta' \rightarrow \gamma U$$

$$\Delta \rightarrow N U$$

$$\omega \rightarrow \pi^0 U$$

$$K^+ \rightarrow \pi^+ U$$

Direct Decay

$$\rho, \phi, \omega \rightarrow U$$

$$q \bar{q} \rightarrow U$$

$$U \rightarrow e^+ e^-$$

Dark photon production in PHSD

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Total dilepton yield from dark photon decays of mass m_U :

$$N^{U \rightarrow e^+ e^-} = \sum_{h=1} N_h^{U \rightarrow e^+ e^-} = \sum_{h=1} N_h \times Br^{h \rightarrow XU} \times Br^{U \rightarrow e^+ e^-}$$

$$h \rightarrow X + U$$

$$N_{h \rightarrow XU} = N_h Br^{h \rightarrow XU}$$

Dark photon production in PHSD

Dalitz Decay

- $\pi^0, \eta, \eta' \rightarrow \gamma U$
- $\Delta \rightarrow NU$
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$h \rightarrow X + U$
 $N_{h \rightarrow XU} = N_h Br^{h \rightarrow XU}$

Based on

- B. Batel, et al. (2009) PRD 80, 095024
- G. Agakishiev et al. (2014) PLB, 731, 265
- A. Berlin et al. (2018) PRD 92, 115017
- I. Schmidt et al., PRD 104 (2021) 015008 as used in PHSD
- D. Gorbunov et al. (2024) PLB, 852, 138599
- M. Pospelov (2009) PRD 80, 095002
- B. Batel, et al. (2009) PRD 79, 115008
- Arxiv: 2507.11163
- C. Ahdida et al. (2021) EPJ 81 C, 451

new channels in PHSD

$$Br(P \rightarrow \gamma U) = \epsilon^2 Br(P \rightarrow \gamma \gamma) \left(1 - \frac{m_U^2}{m_P^2}\right)^3 \quad P = \pi, \eta, \eta'$$

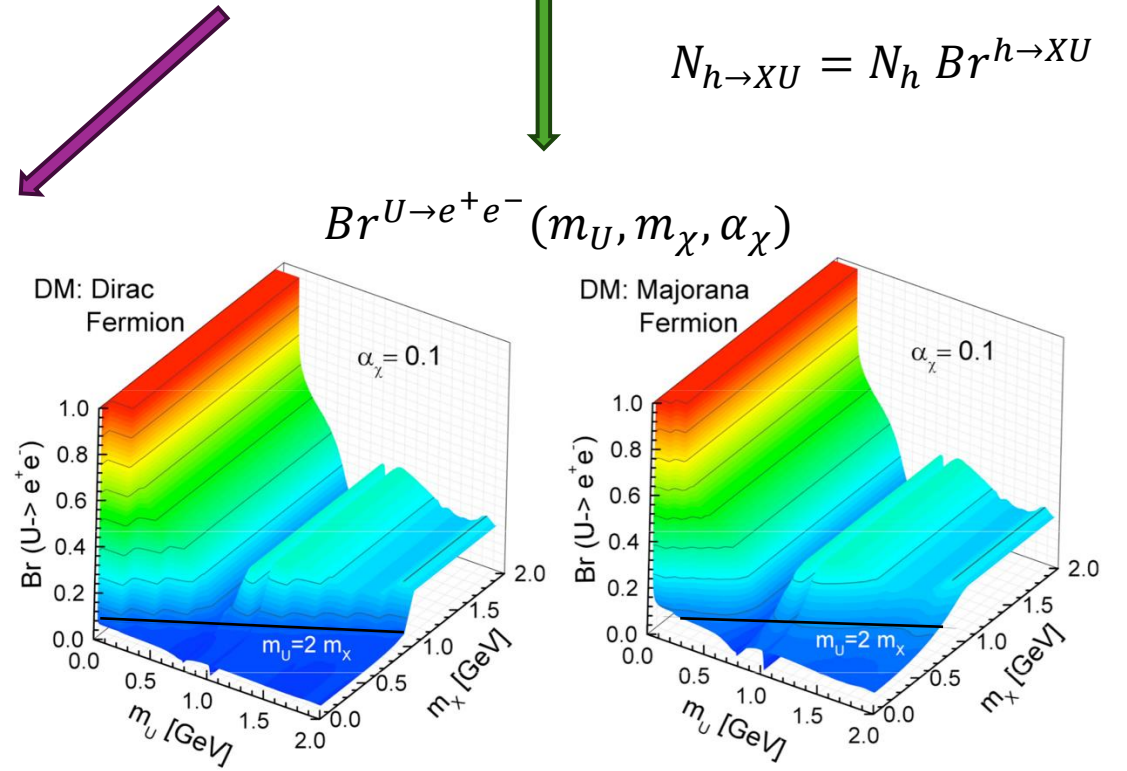
$$Br(\Delta \rightarrow NU) = \epsilon^2 Br(\Delta \rightarrow N \gamma) f A(m_\Delta) \frac{\lambda^{3/2}(m_\Delta, m_N, m_U)}{\lambda^{3/2}(m_\Delta, m_N, 0)}$$

$$Br(\omega \rightarrow \pi^0 U) = \epsilon^2 Br(\omega \rightarrow \pi^0 \gamma) \frac{[(m_\omega^2 - (m_U + m_\pi))(m_\omega^2 - (m_U - m_\pi))]^{3/2}}{(m_\omega^2 - m_\pi^2)^3}$$

$$Br(K^+ \rightarrow \pi^+ U) = \frac{\alpha \epsilon^2}{\pi^2} \frac{m_U}{\Gamma_T(K) m_K} W'(m_U) \lambda^{1/2}(m_U, m_k, m_\pi)$$

$$Br(V \rightarrow U) = \frac{\alpha \epsilon^2 m_U}{3 \Gamma_T(V)} \quad V = \rho, \phi, \omega$$

$$Br(q \bar{q} \rightarrow U) = \epsilon^2 \frac{\Gamma_{q \bar{q} \rightarrow e^+ e^-}^{PHSD}}{\Gamma_T(V)}$$



A. W. Romero Jorge et. al, PRC 112 (054905) 2025

A. W. Romero Jorge et. al, PRD 113 (055052) 2026



Procedure to obtain constraints on $\varepsilon^2(m_U)$

For each bin $[m_U, m_U + dm]$ calculate the **sum of all $U \rightarrow e+e^-$ contributions** (kinematically possible in this mass bin)

$$1) \quad \frac{dN^{sumU}}{dM} = \varepsilon^2 \frac{dN_{\varepsilon^2=1}^{sumU}}{dM}$$

$$2) \quad \frac{dN^{sumU}}{dM} = C_U \frac{dN^{sumSM}}{dM}$$

Obtain **constraints** by requesting that the total dilepton yield cannot **exceed** the sum of SM channels by more than a factor C_U in each bin dm .

C_U \rightarrow controls the allowed **"surplus"** dilepton yield resulting from dark photons on top of the total SM yield

See [arXiv:2507.11163](https://arxiv.org/abs/2507.11163) and
I. Schmidt et al. (2021)
Phys. Rev. D **104**, 015008



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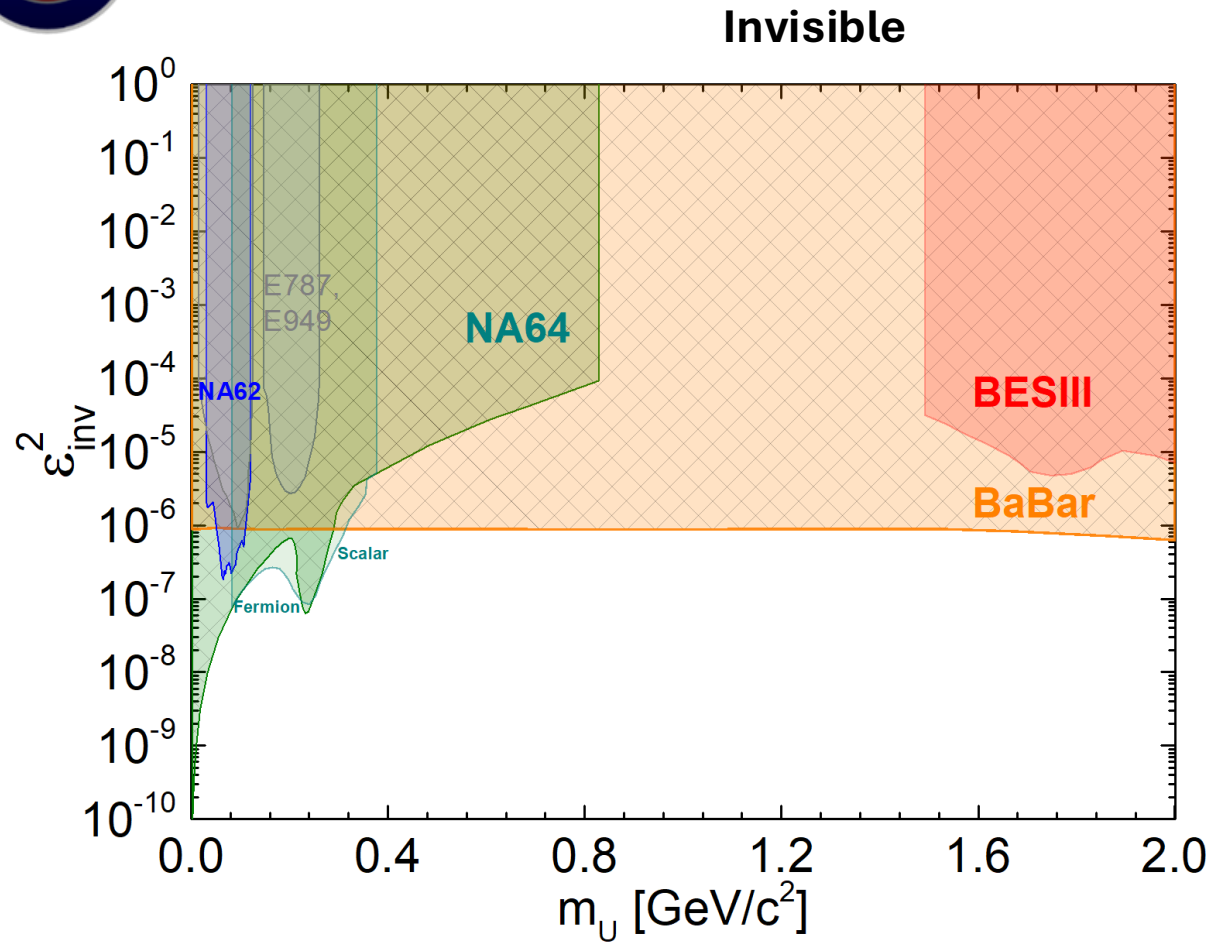
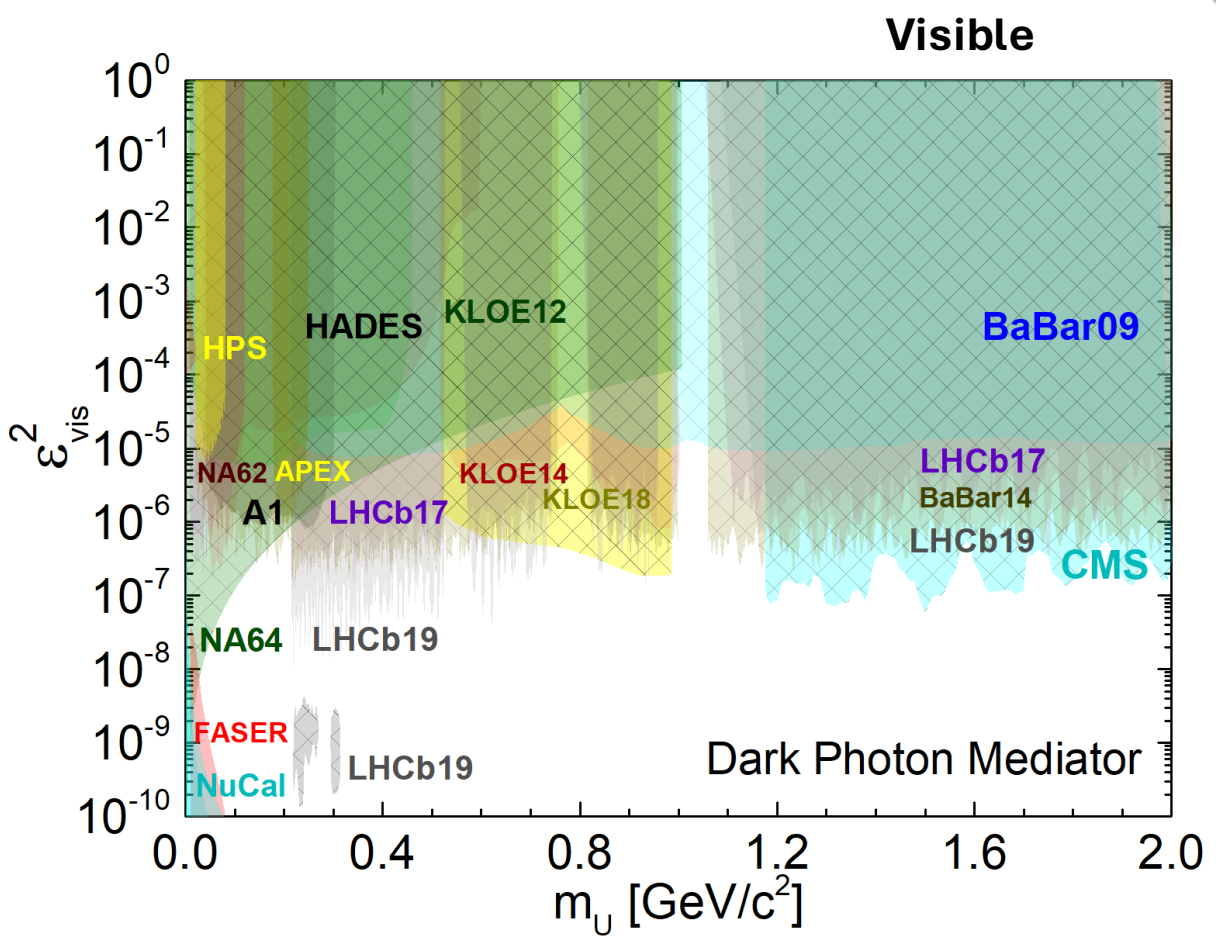
$C_U \rightarrow$ controls the allowed **"surplus"** dilepton yield resulting from dark photons on top of the total SM yield

$$\epsilon^2(m_U, m_\chi, \alpha_\chi) = C_U \cdot \left(\frac{dN^{sumSM}}{dM} \right) / \left(\frac{dN_{\epsilon^2=1}^{sumU}}{dM} \right)$$

Calculate $\epsilon^2(M_U)$ by assuming C_U :
e.g. $C_U = 5\%$ DM extra yield to the SM yield

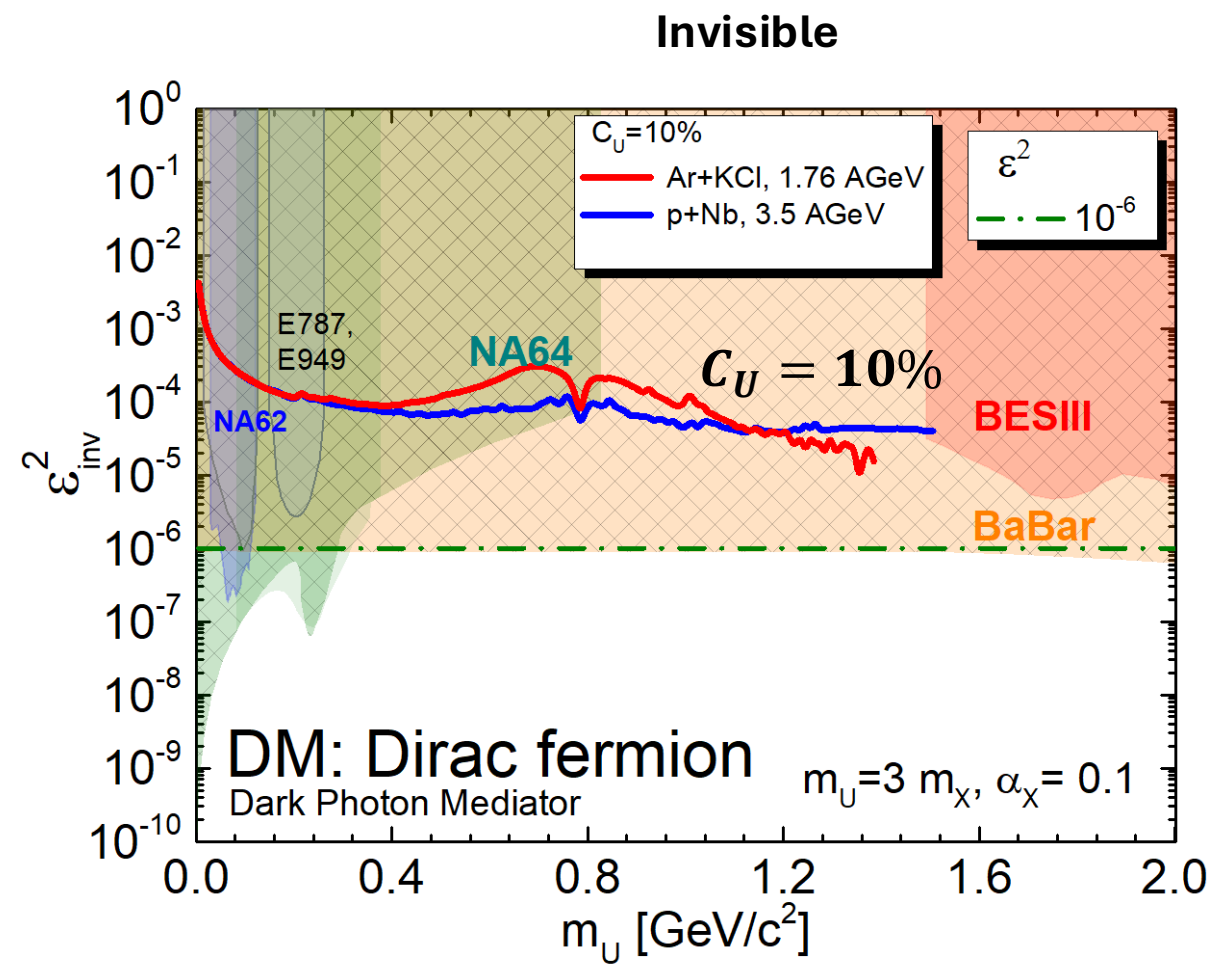
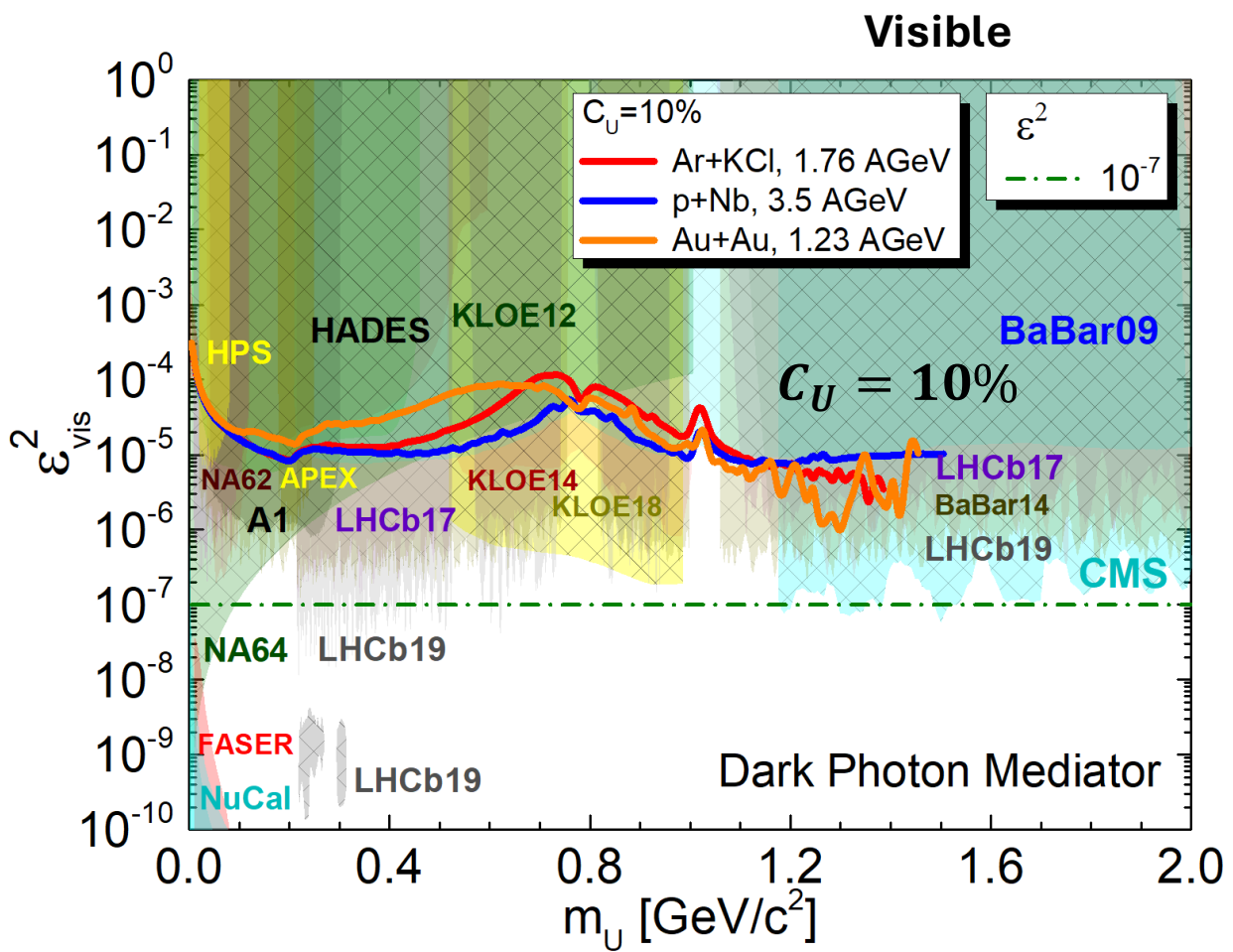
See arXiv:2507.11163 and I. Schmidt et al. (2021) Phys. Rev. D **104**, 015008

Kinetic Mixing parameter $\epsilon^2(m_U)$



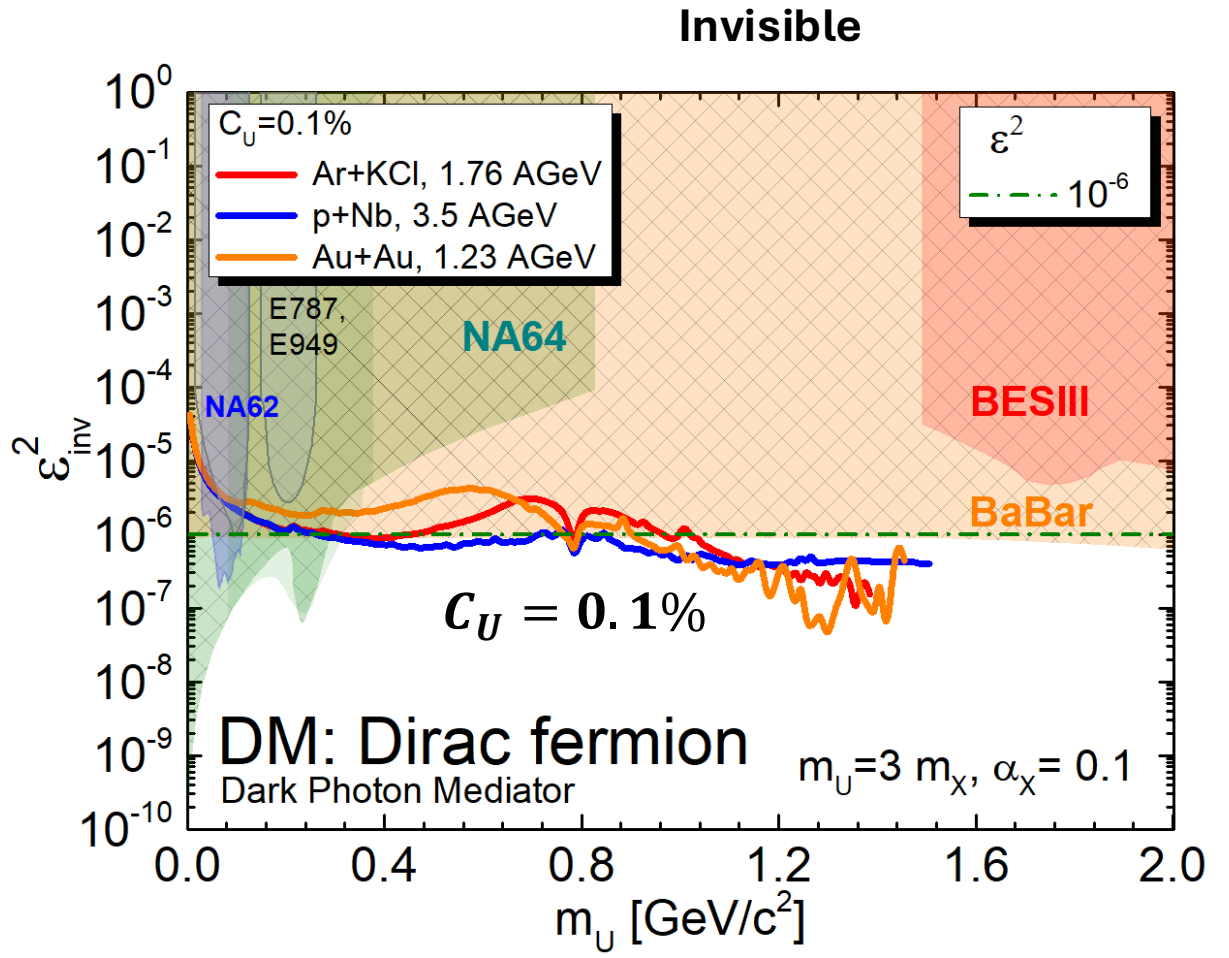
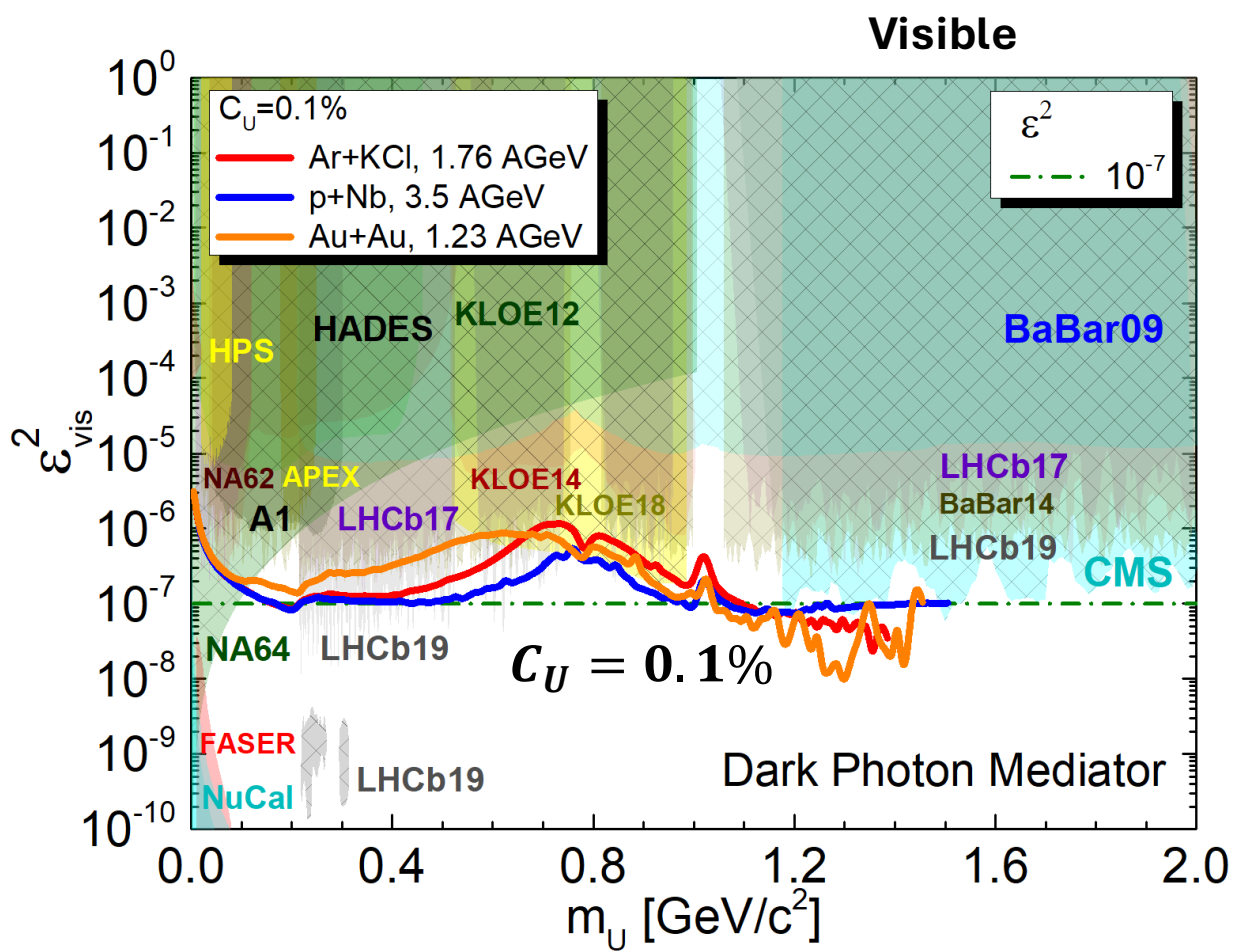
A. W. Romero Jorge et. al, PRD 113 (055052) 2026

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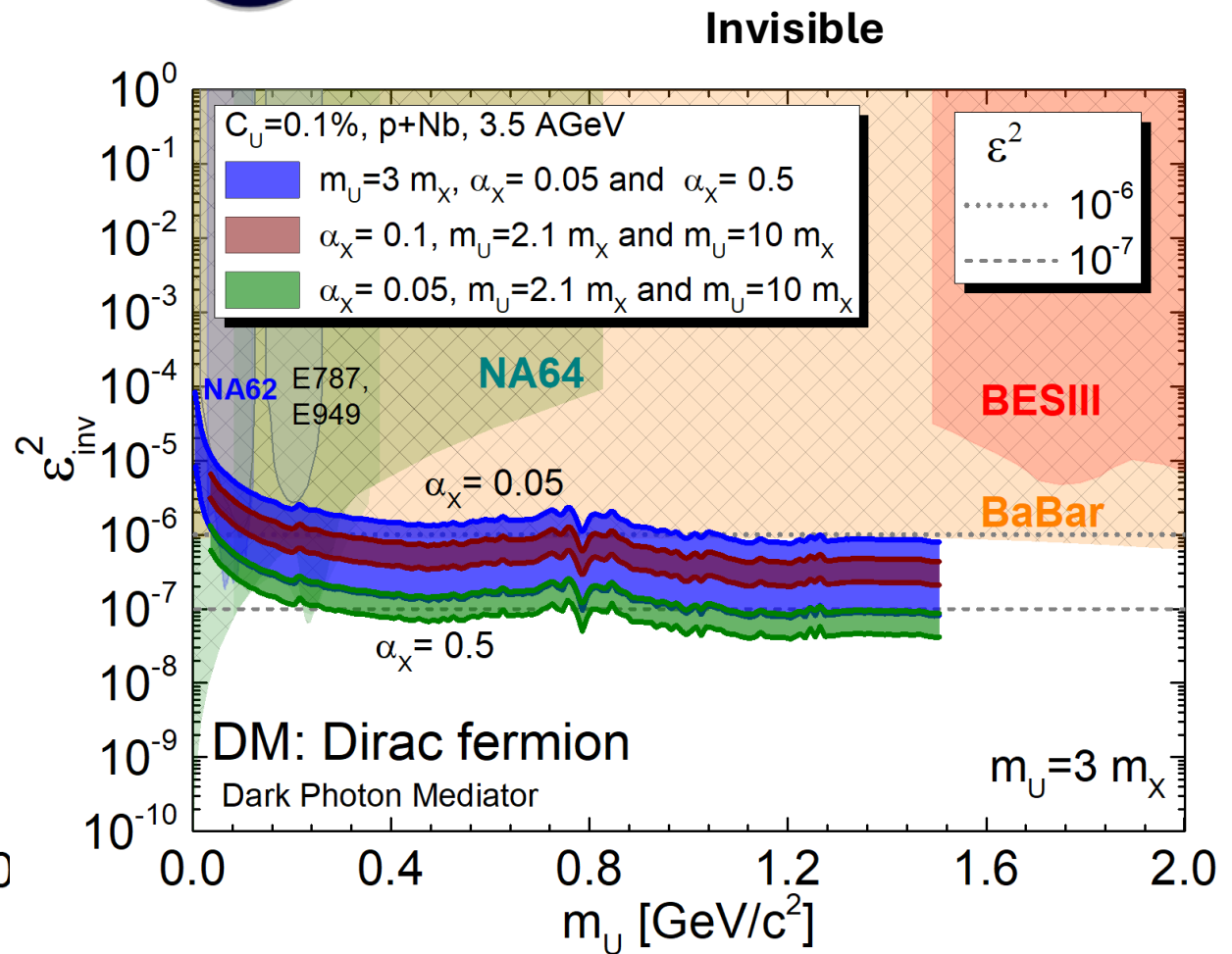
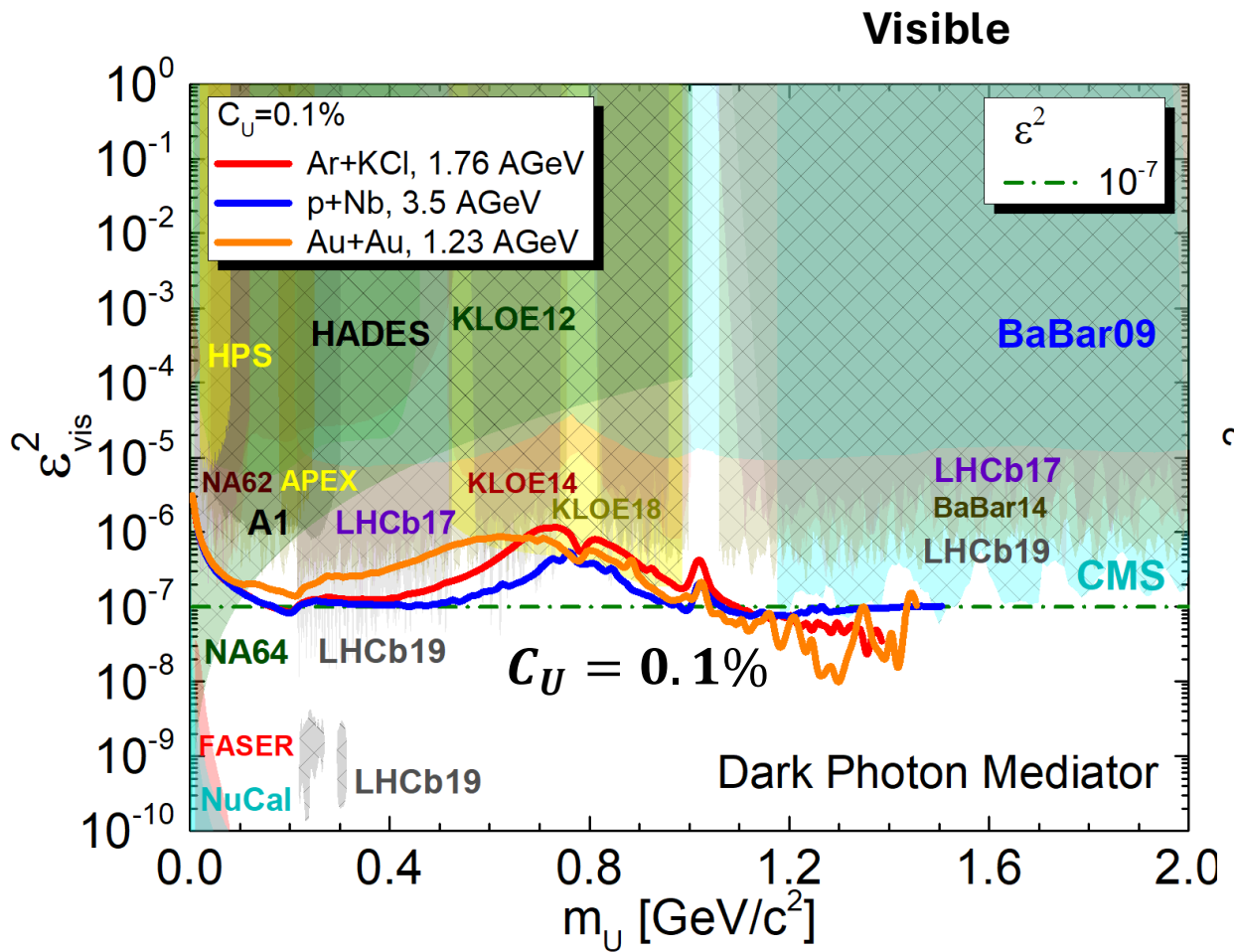
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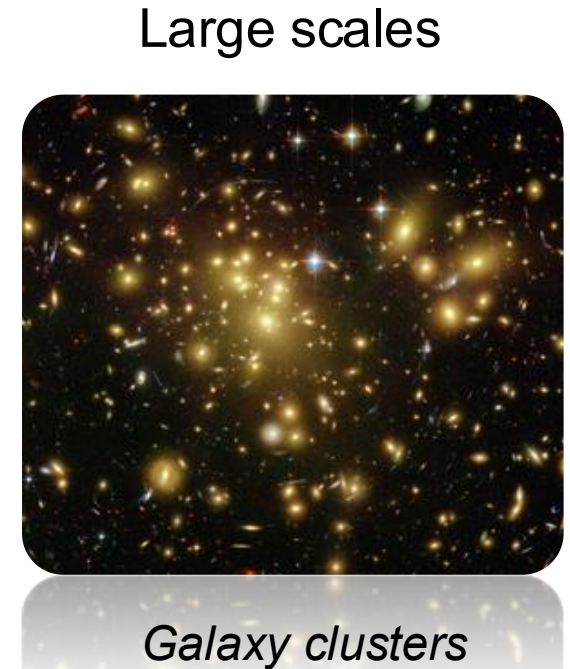
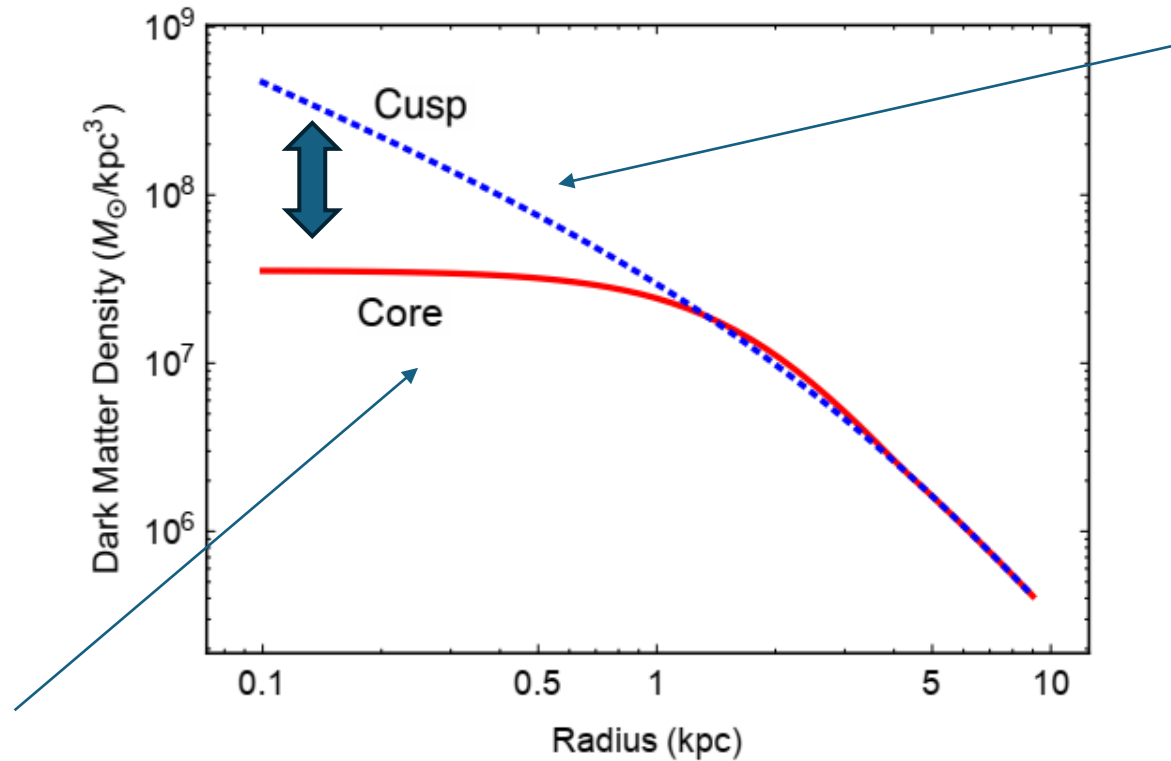
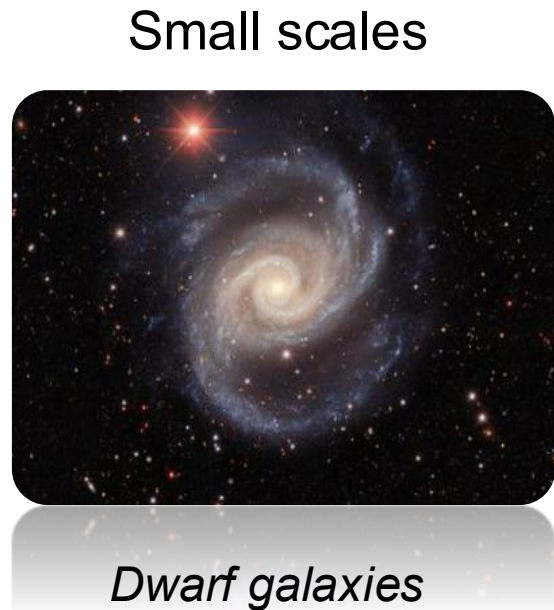
Kinetic Mixing parameter $\epsilon^2(m_U)$



A. W. Romero Jorge et. al, PRD 113 (055052) 2026

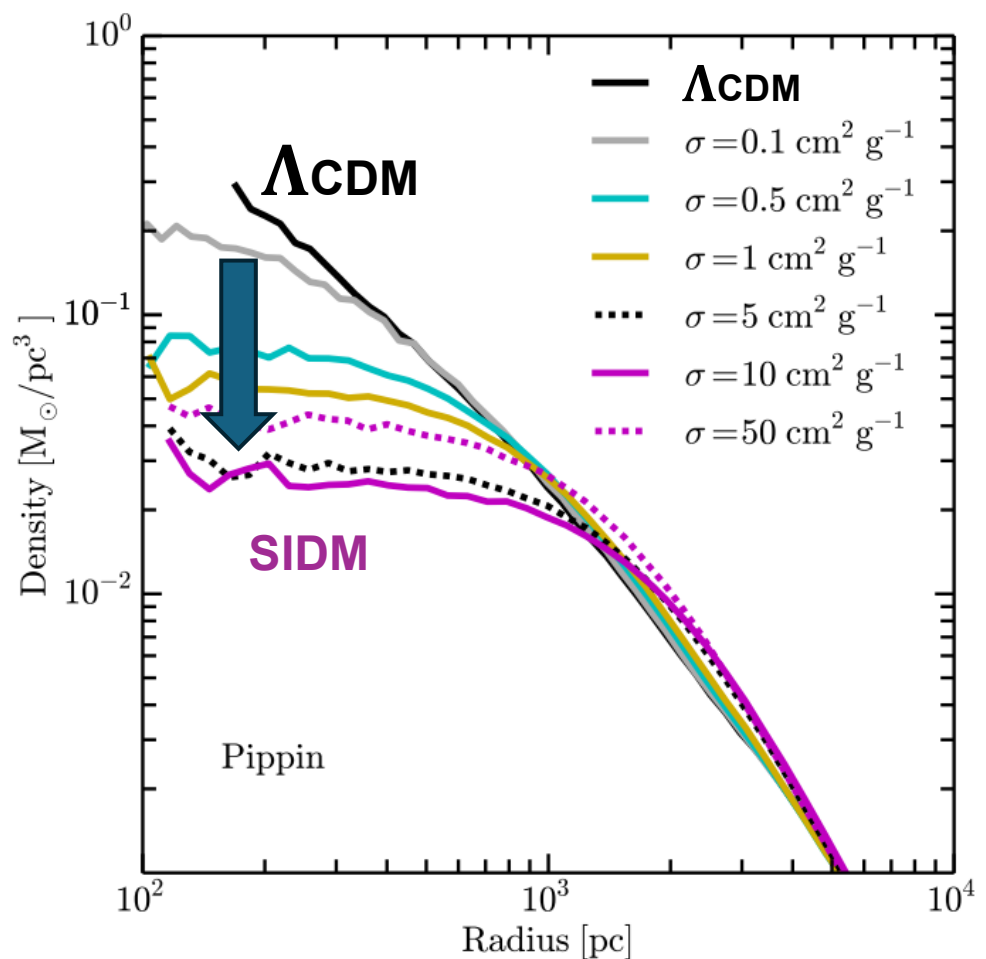
Constraints from Astrophysics and Cosmology

Self-Interacting Dark Matter (SIDM) Core-Cusp Problem



Self-Interacting Dark Matter (SIDM)

Dark Matter Density profile

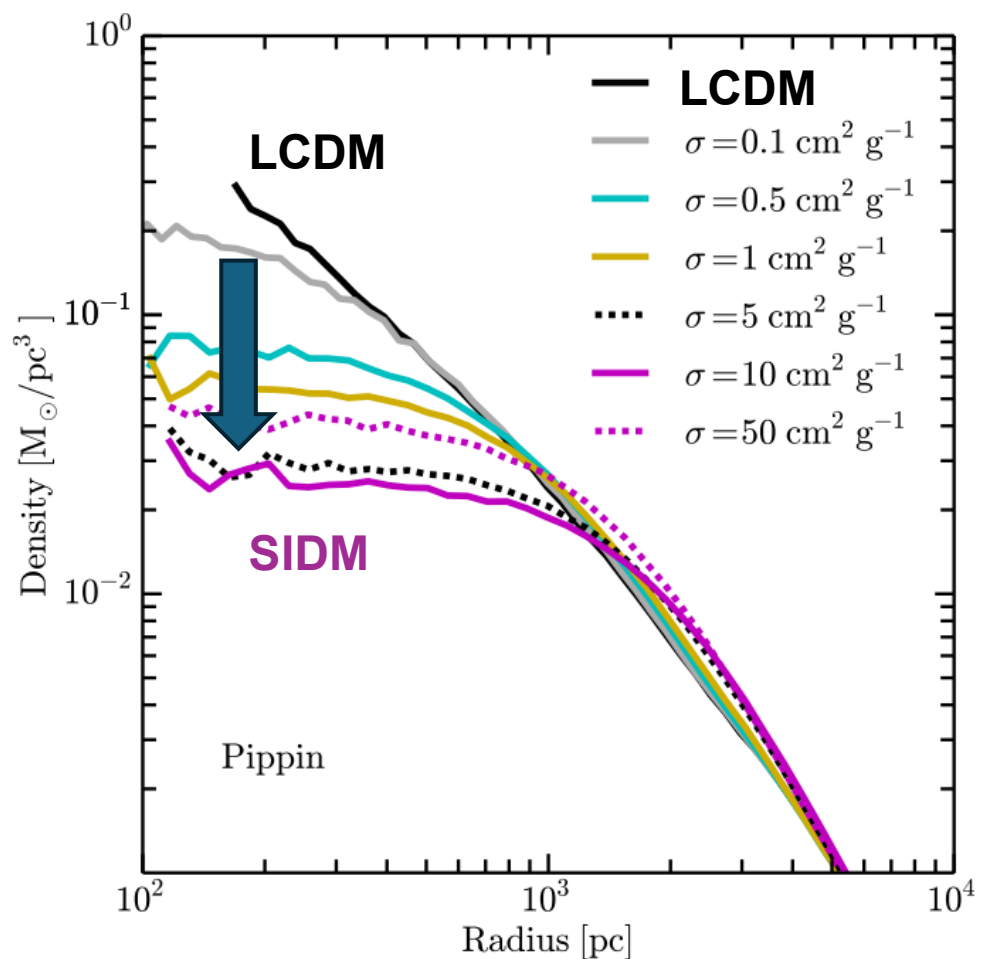


$$V(r) = \pm \frac{\alpha_X}{r} e^{-m_U r} \left\{ \begin{array}{l} + \text{ repulsive} \\ - \text{ attractive} \end{array} \right.$$

Arxiv.1308.0618

Self-Interacting Dark Matter (SIDM)

Dark Matter Density profile



$$V(r) = \pm \frac{\alpha_X}{r} e^{-m_U r}$$

+ repulsive
 - attractive



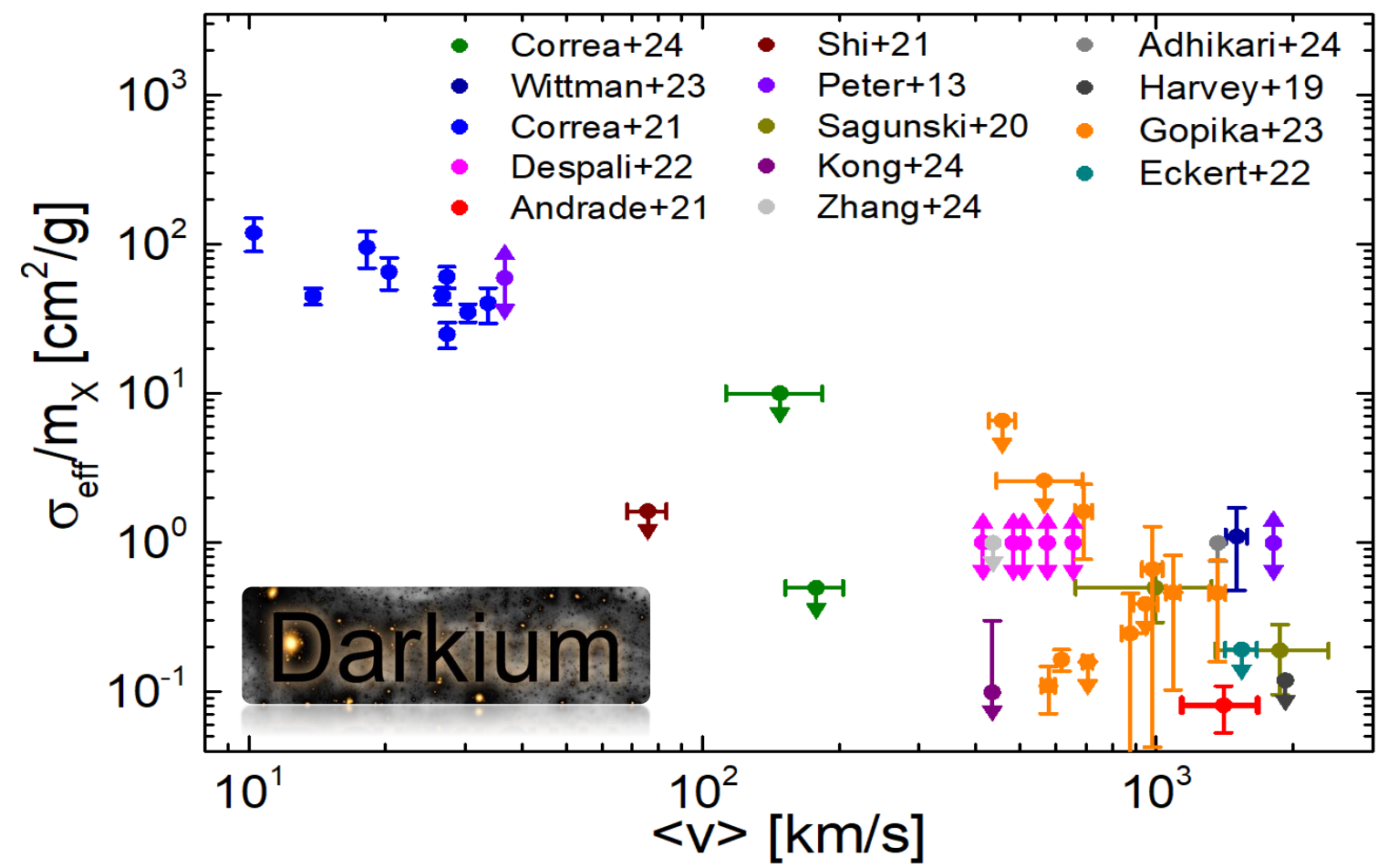
Dwarf Galaxy Galaxy Galaxy Groups Galaxy Cluster

System $\langle v \rangle$ $\langle v \rangle$

Dwarf galaxy	50
Galaxy	250
Galaxy group	1150
Galaxy cluster	1900

Arxiv.1308.0618

Arxiv: 2011.04679



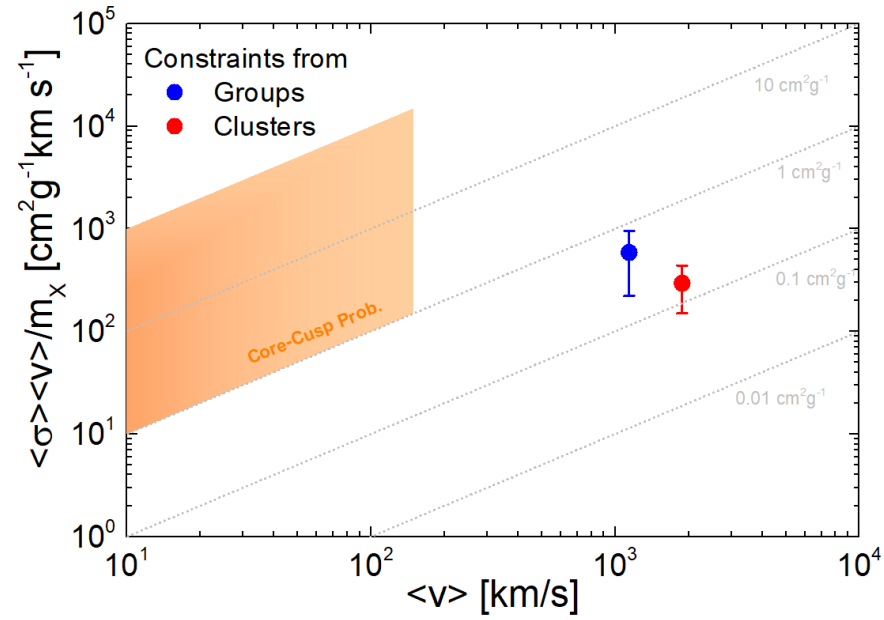
Arxiv: 2310.07750

Effective cross-section Constraints

$$\sigma_{eff} = \frac{3 \langle \sigma(v) v^5 \rangle}{2 \langle v^5 \rangle}$$

ArXiv: 2205.03392

Galaxy Groups and Clusters Constraints



Arxiv: 2011.04679

Effective cross-section Constraints

Two-body scattering problem

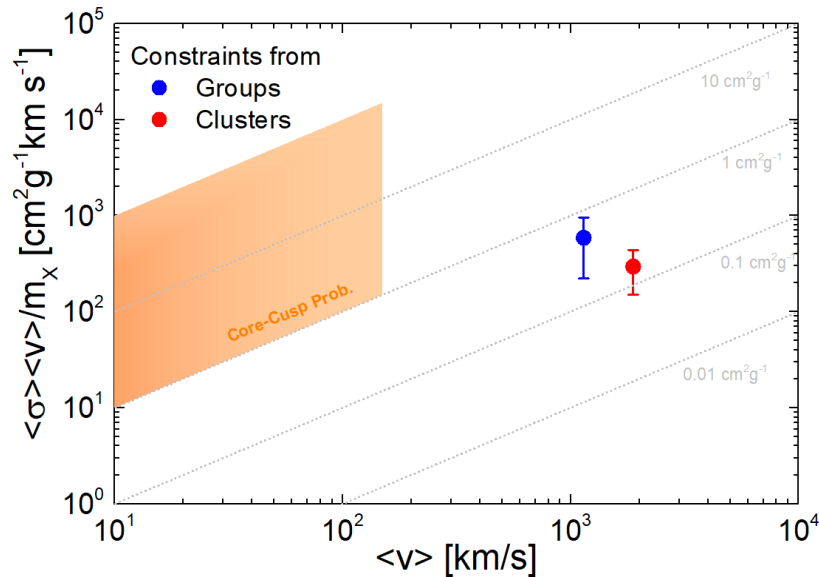
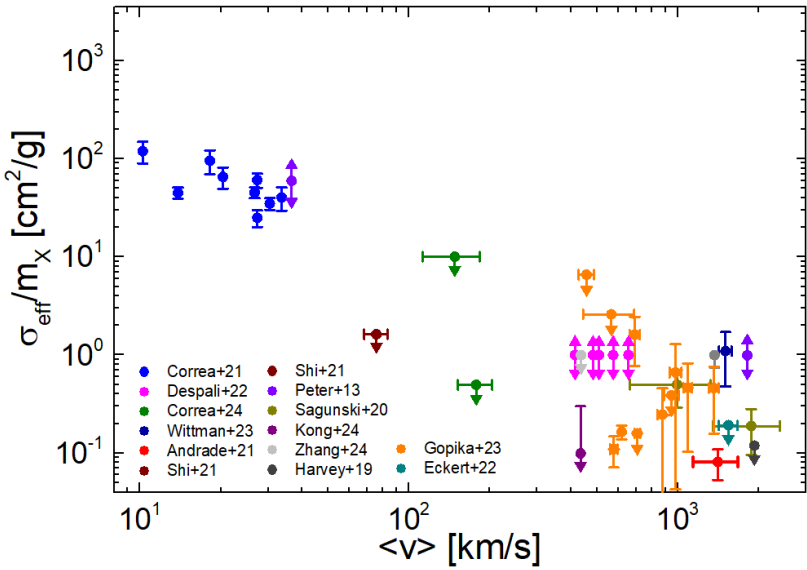
Schrödinger Equation $U(r) = \pm \frac{\alpha_\chi}{r} e^{-m_\phi r}$

Maxwell-Boltzmann distribution to compute velocity-averaged cross sections

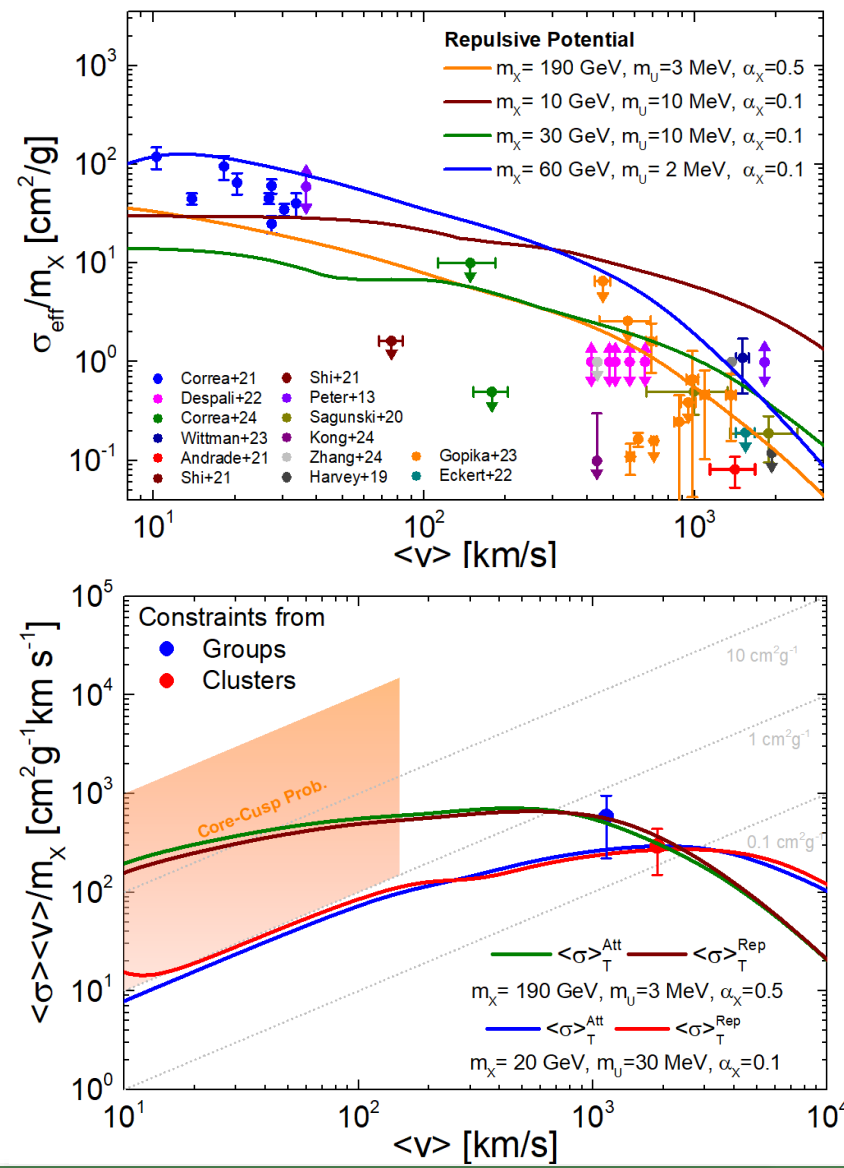
$$f(v) = 4\pi \left(\frac{m_\chi}{2\pi k_B T} \right)^{3/2} v^2 e^{-\frac{m_\chi v^2}{2k_B T}}$$

Momentum-transfer cross section:

$$\sigma_T = \int d\Omega (1 - \cos\theta) \frac{d\sigma}{d\Omega}$$



Effective cross-section Constraints



Two-body scattering problem

Schrödinger Equation $U(r) = \pm \frac{\alpha_\chi}{r} e^{-m_\phi r}$

Maxwell-Boltzmann distribution to compute velocity-averaged cross sections

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Momentum-transfer cross section:

$$\sigma_T = \int d\Omega (1 - \cos\theta) \frac{d\sigma}{d\Omega}$$

CLASSICS

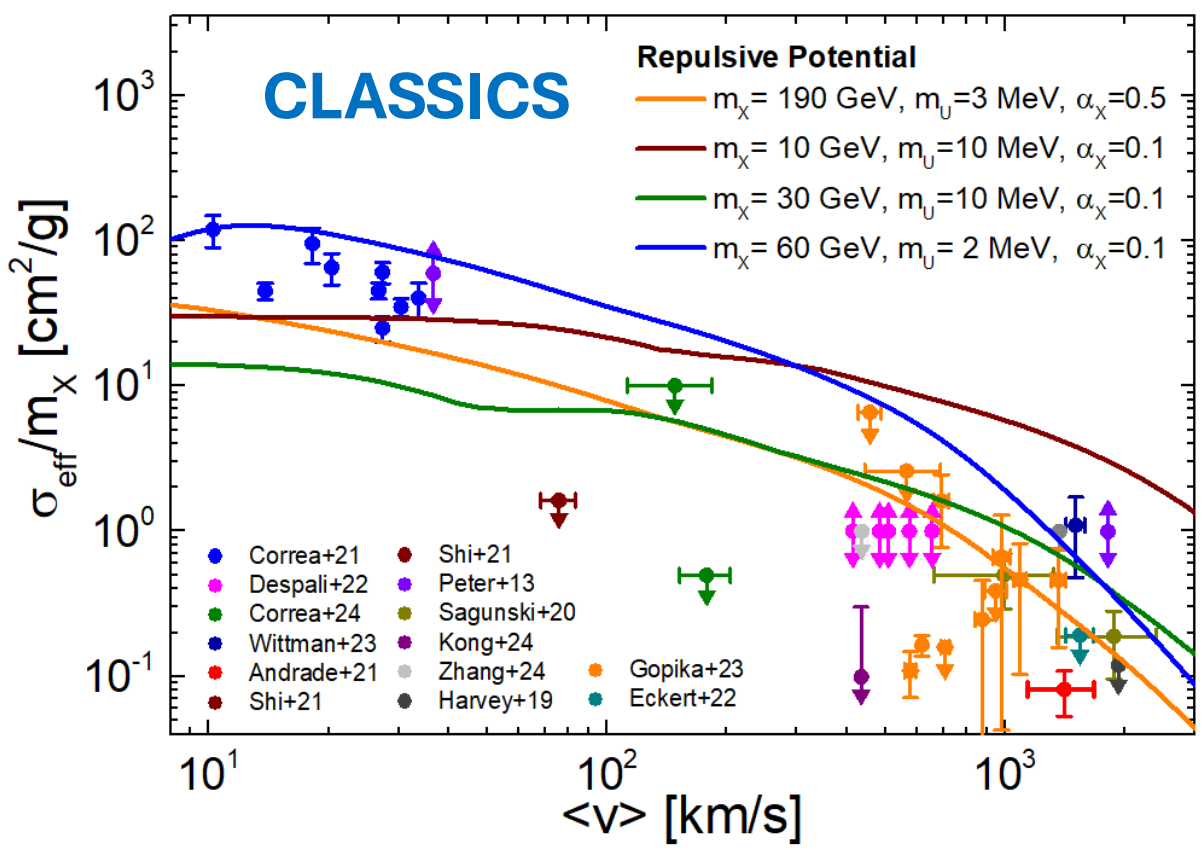
Computes **self-scattering cross sections** for dark matter (DM) particles interacting via a **Yukawa potential**:

CalcuLAtionS of Self Interaction Cross Sections

github.com/kahlhoefer/CLASSICS

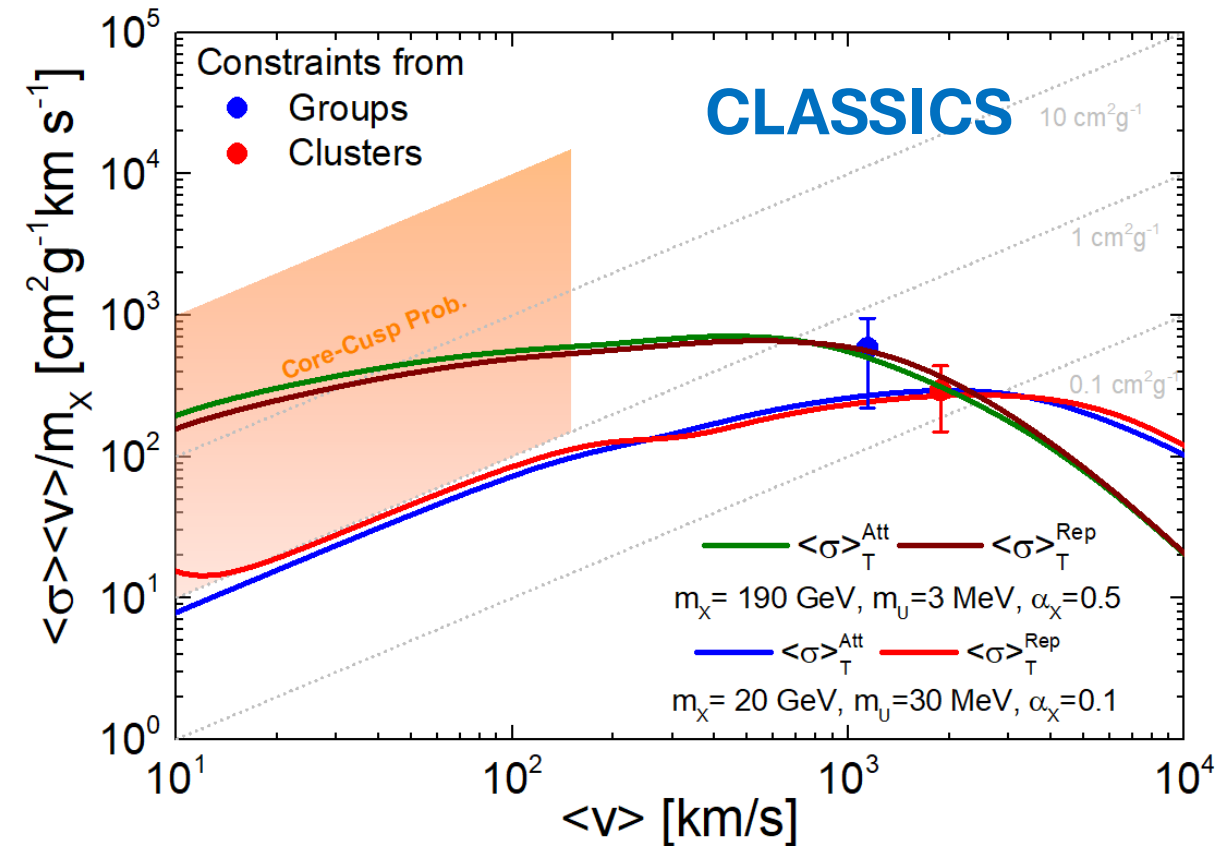
Arxiv: 2011.04679

Effective cross-section Constraints



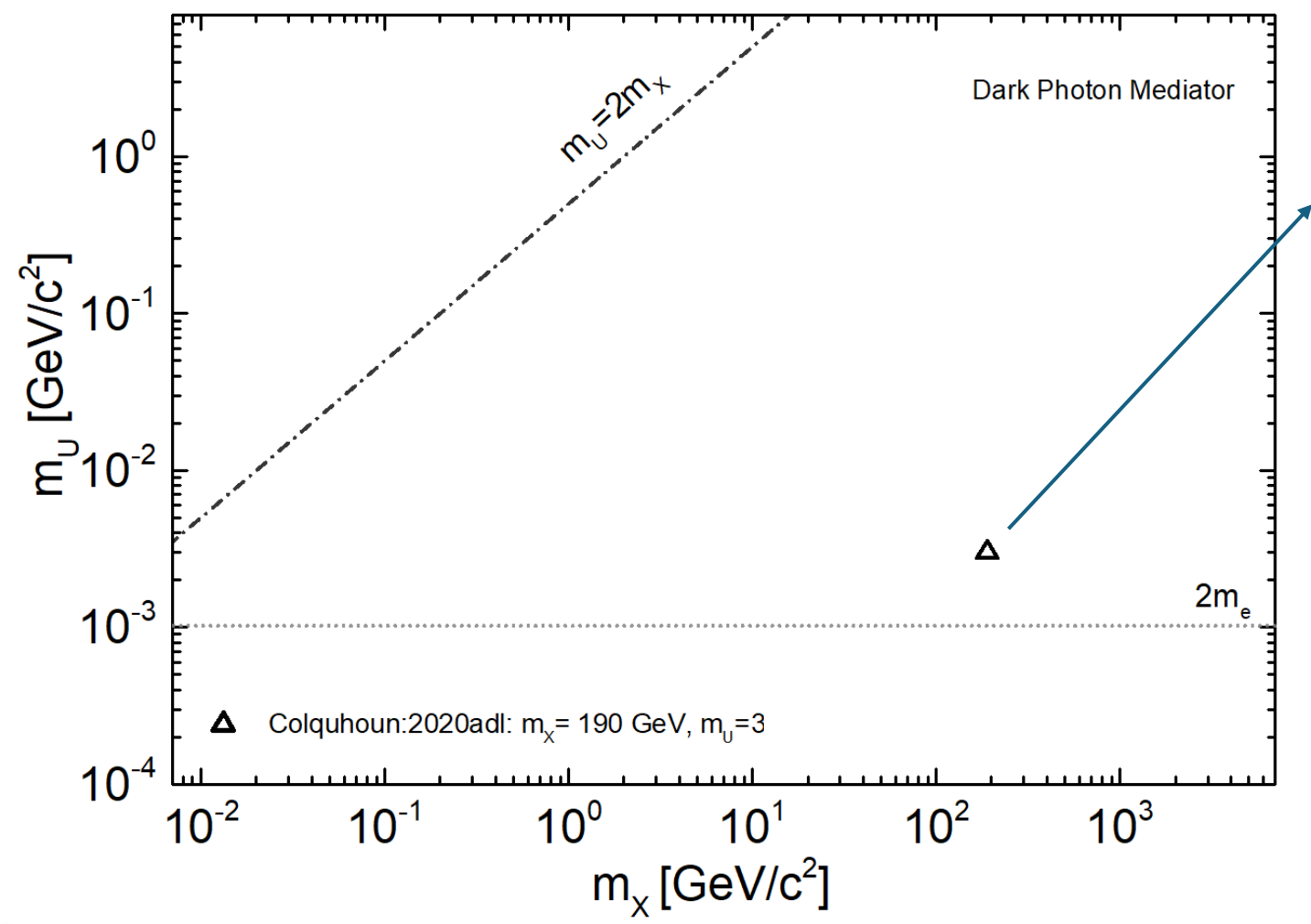
$m_\chi \sim 30 - 200 \text{ GeV}$

Groups and Clusters Constraints

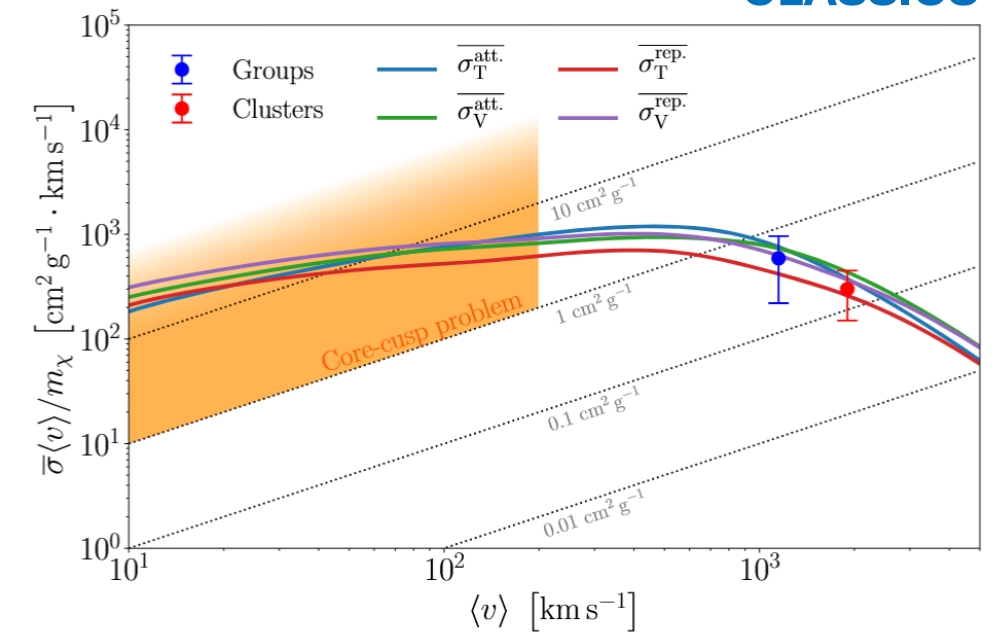


$m_U \sim 1 - 10 \text{ MeV}$

Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$



CLASSICS



Benchmark point Phys. Rev. D 103, 035006 (2021)

$m_X = 190 \text{ GeV}, m_U = 0.003 \text{ GeV}$

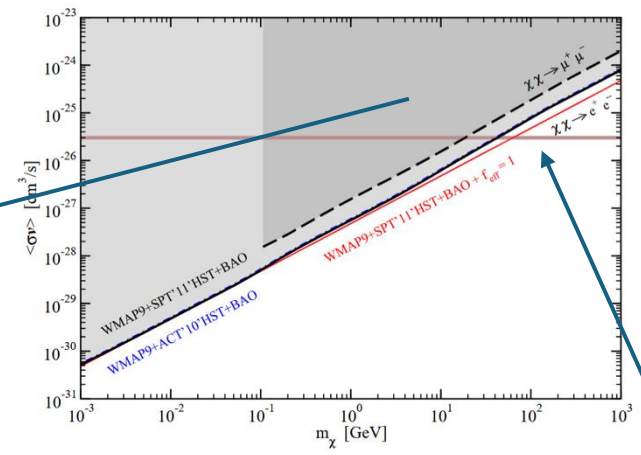
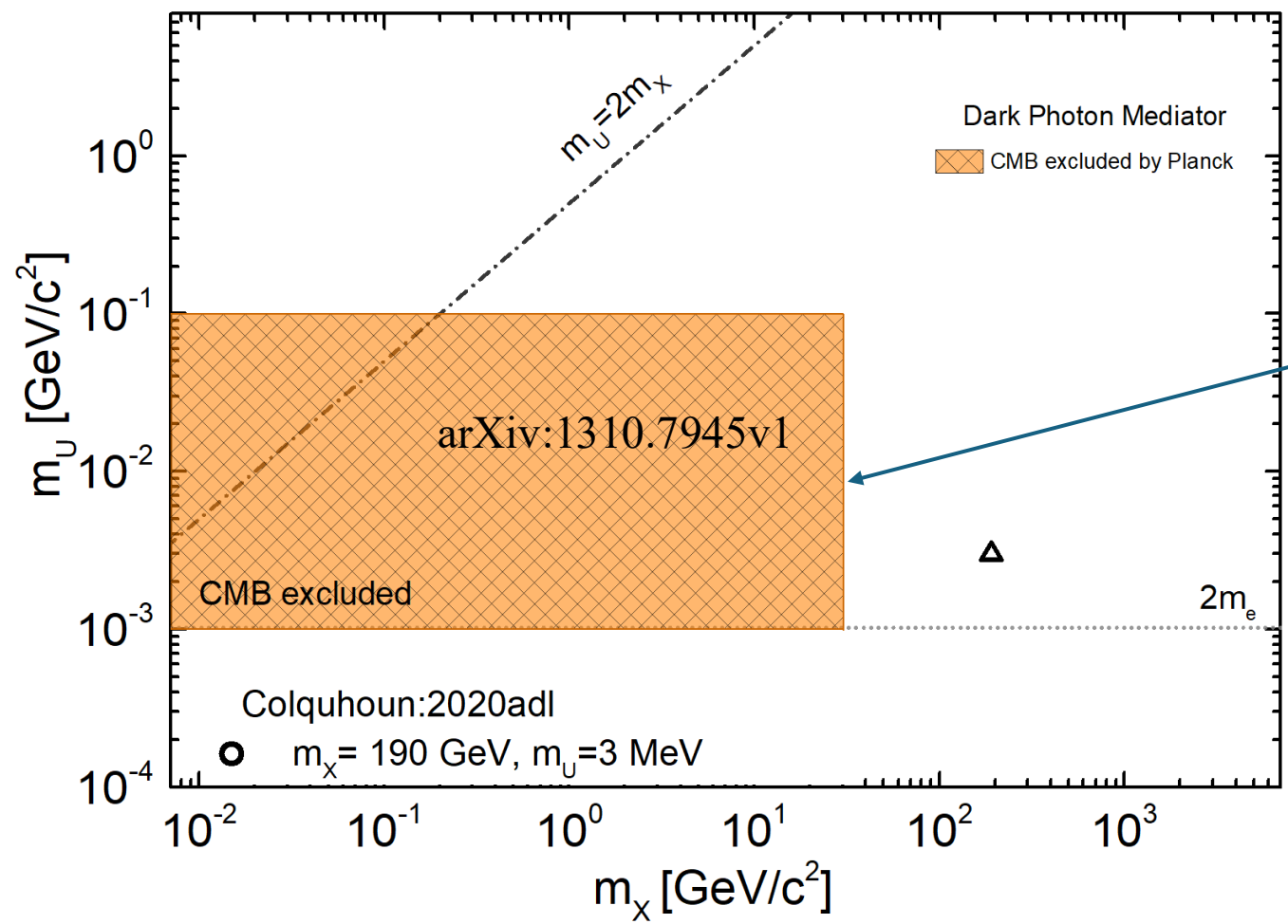
Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$

arXiv:1303.5094 -> WMAP9, SPT'11 and ACT'10

arXiv:1512.08015 -> Plack Measurements

arXiv: 2105.08334

$$p_{\text{ann}} < 1.6 \times 10^{-27} \text{ cm}^3 \text{ s}^{-1} \text{ GeV}^{-1}$$

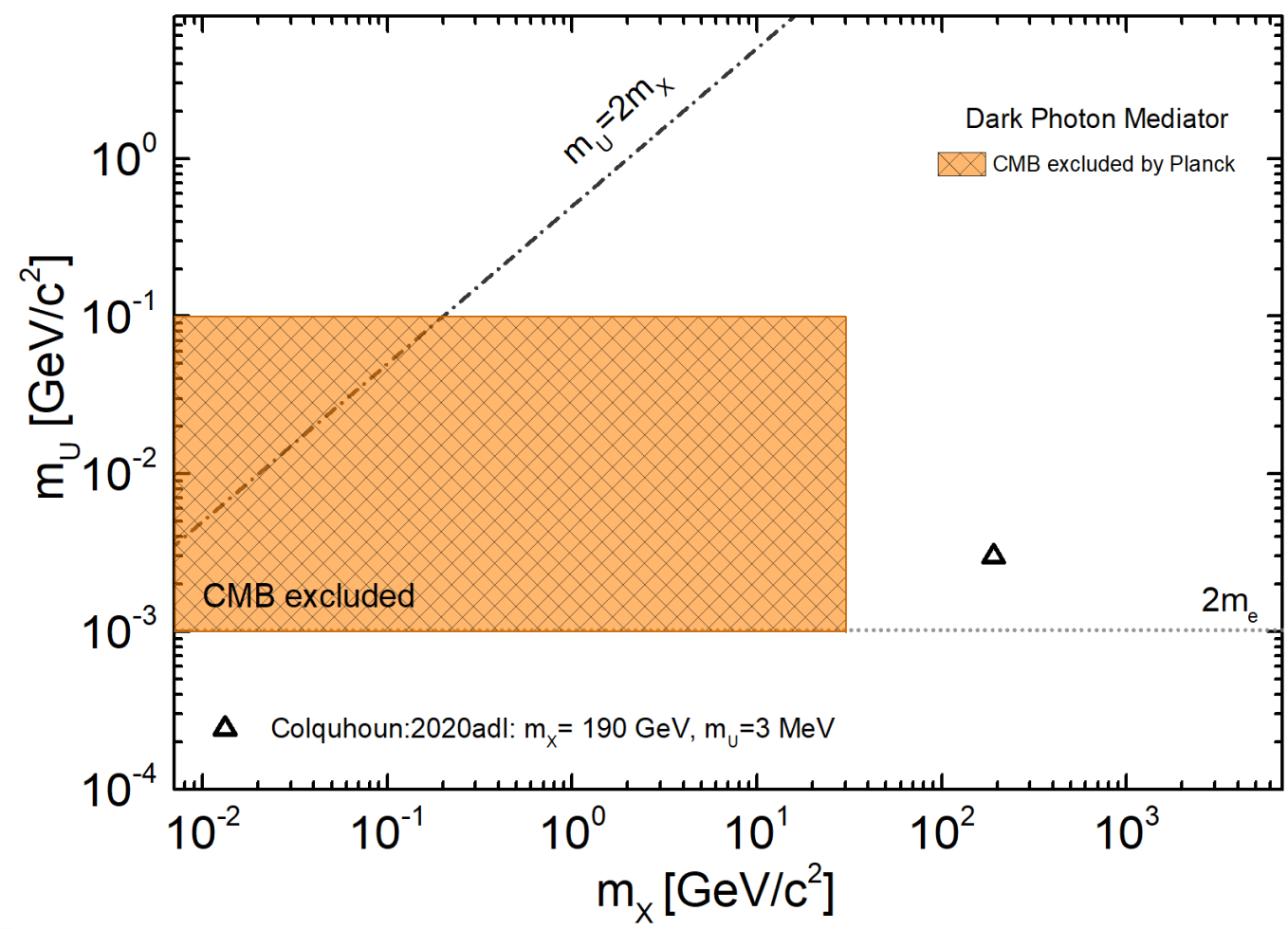


$$p_{\text{ann}} \equiv f_{\text{eff}} \frac{\langle \sigma v \rangle}{m_\chi}$$

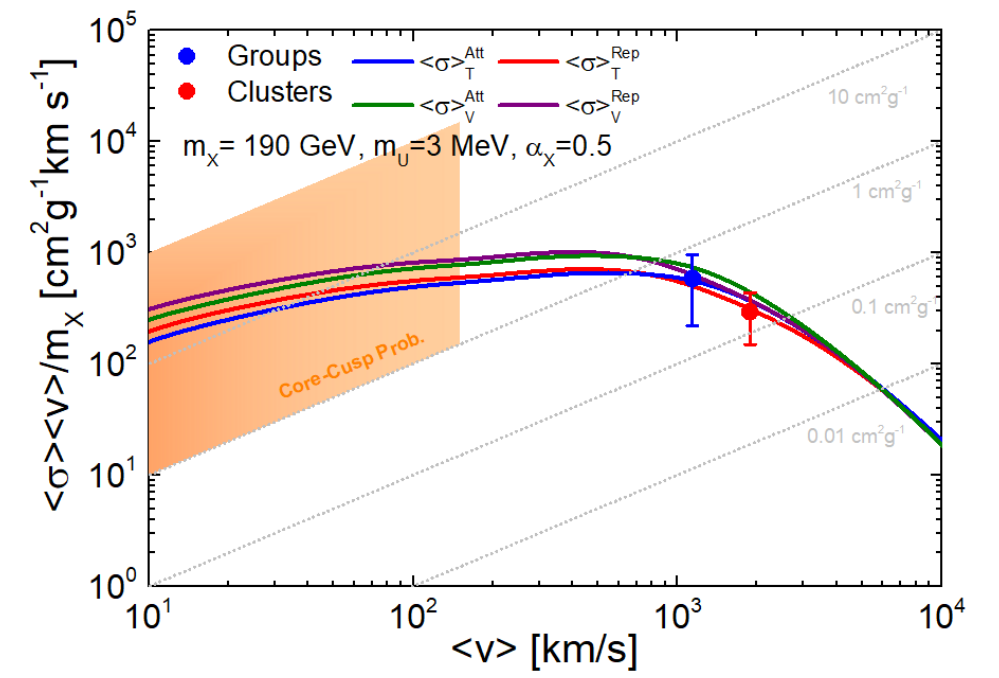
$$\langle \sigma v \rangle \approx 3 \times 10^{-26} \text{ cm}^3 \text{ s}^{-1} \text{ arXiv:1303.5094}$$

$$\Omega_{DM} h^2 \sim 0.120 \pm 0.001$$

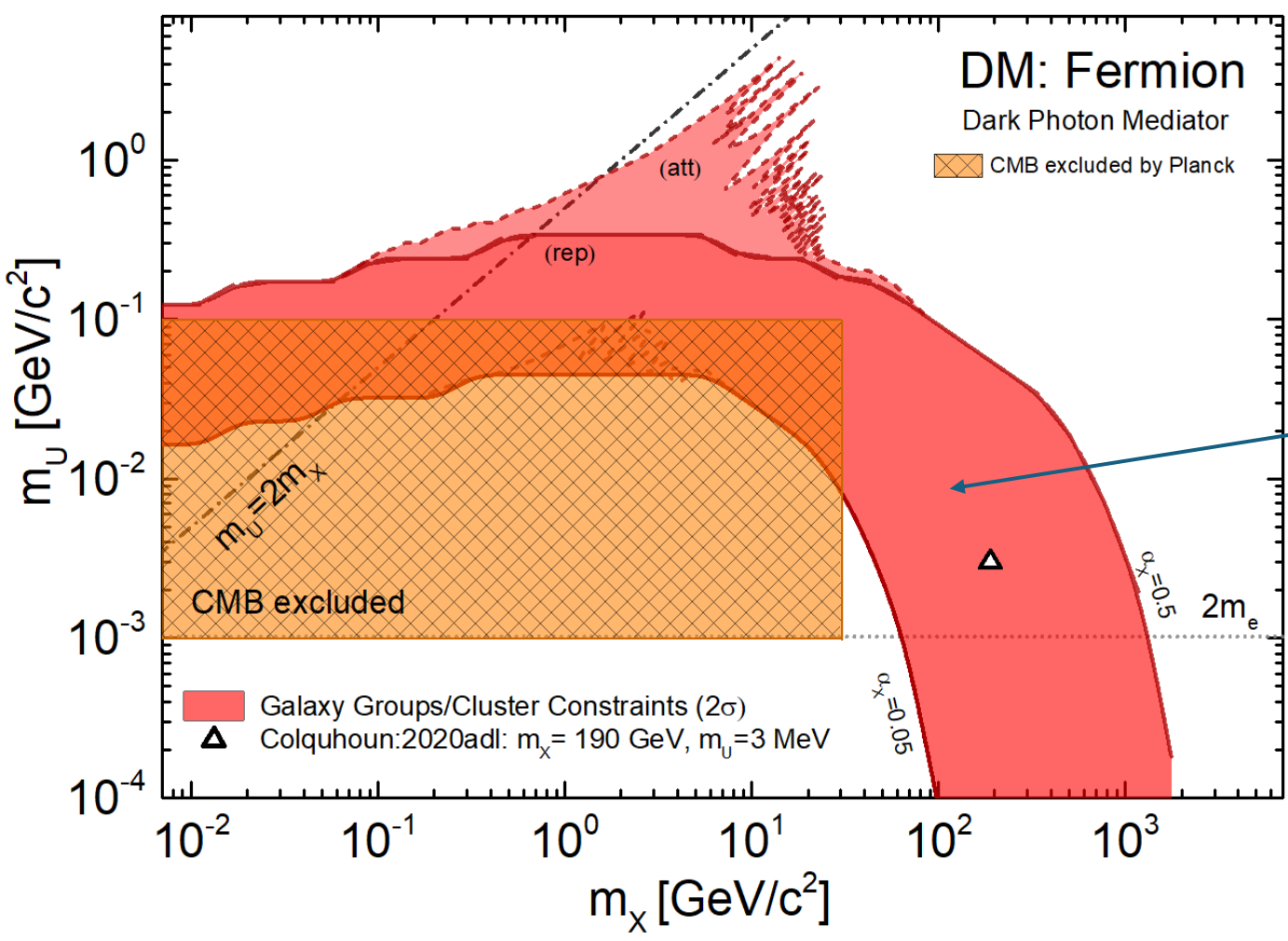
Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$



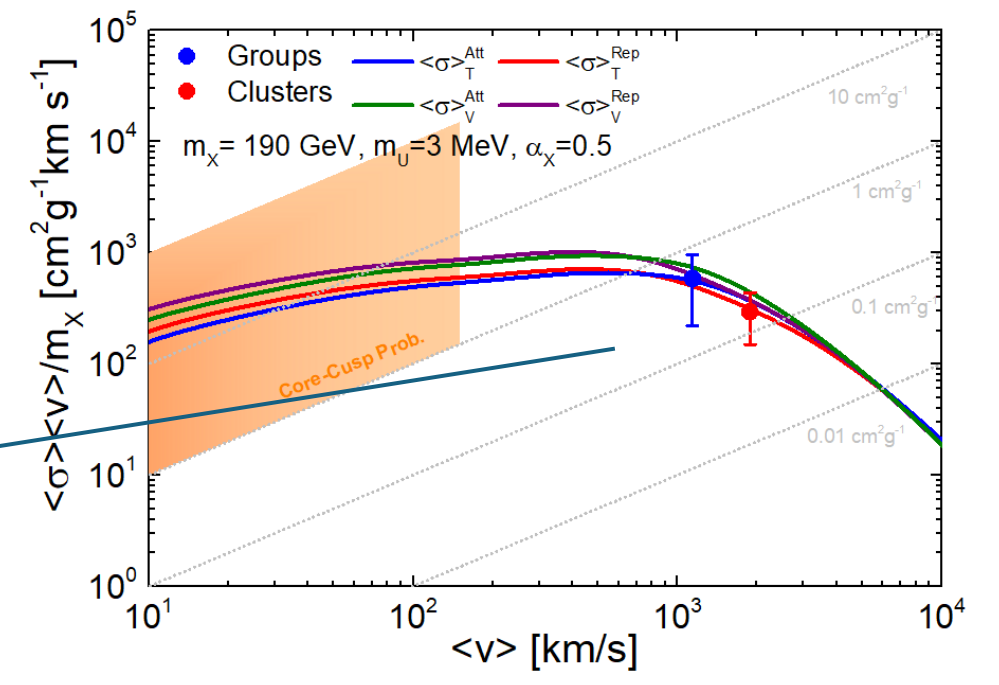
Galaxy Groups and Clusters Constraints



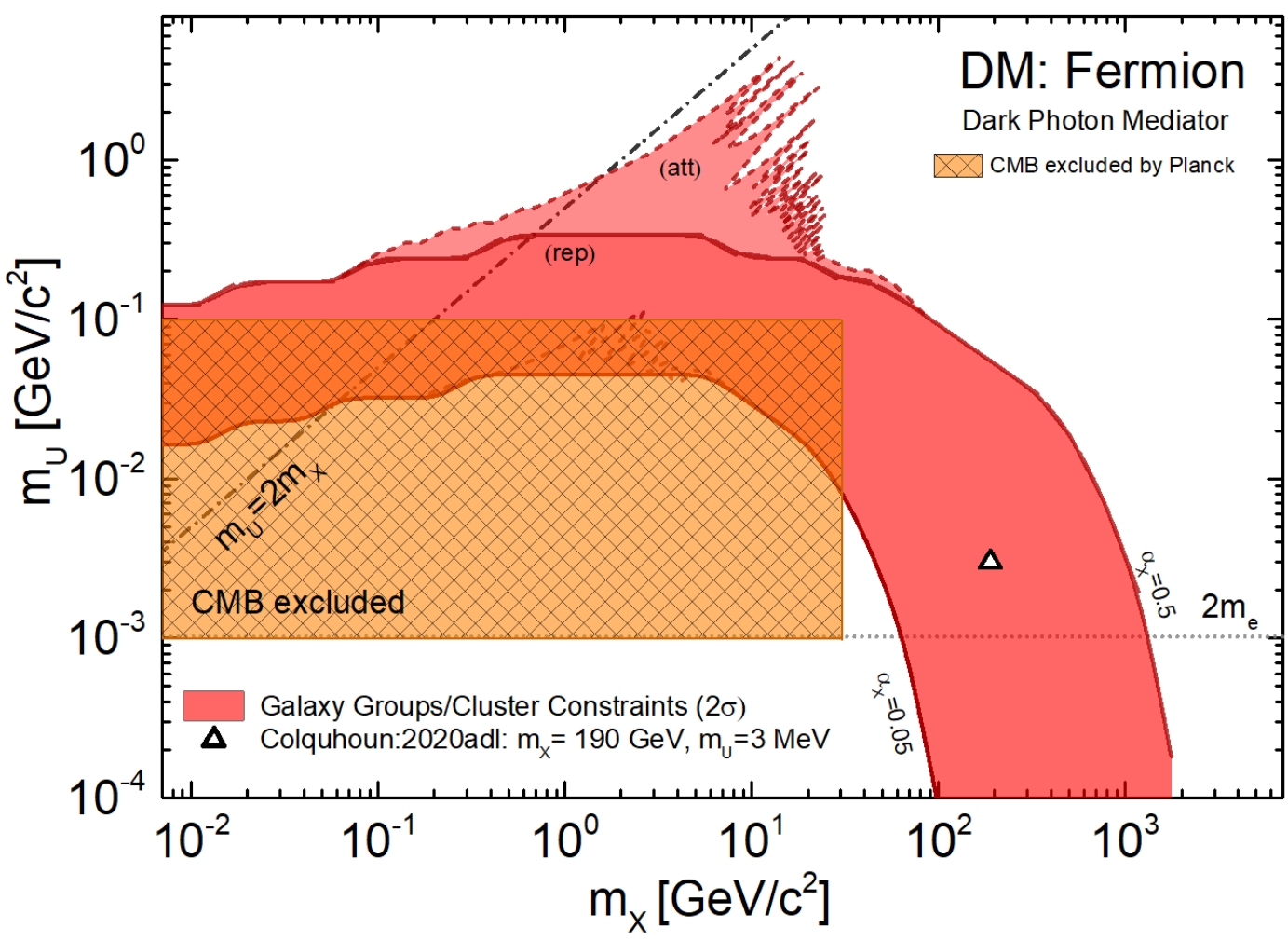
Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$



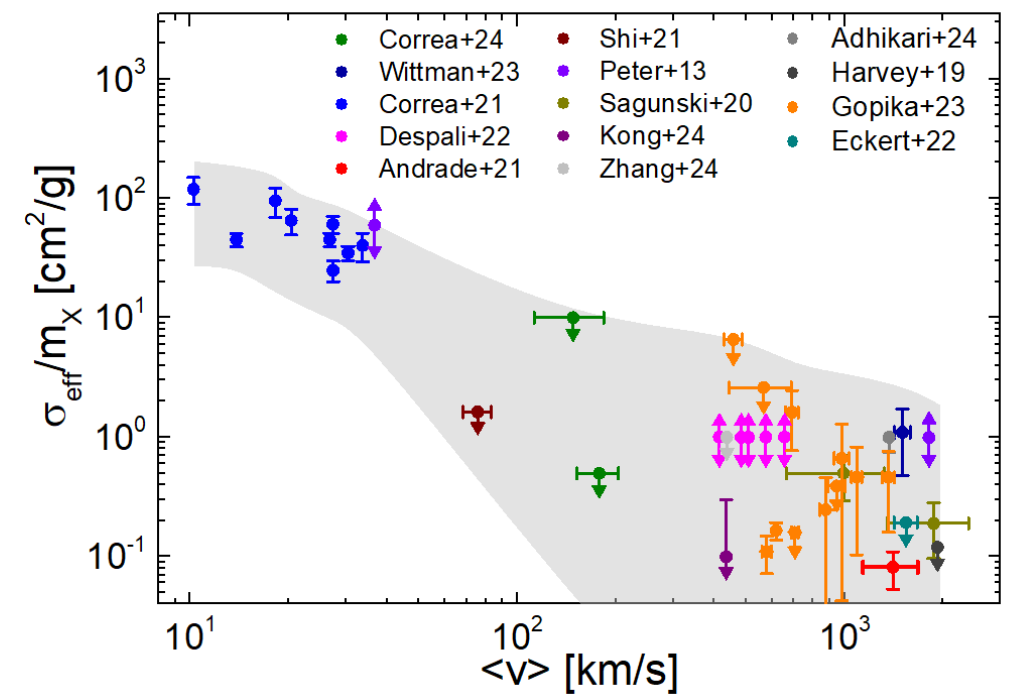
Galaxy Groups and Clusters Constraints



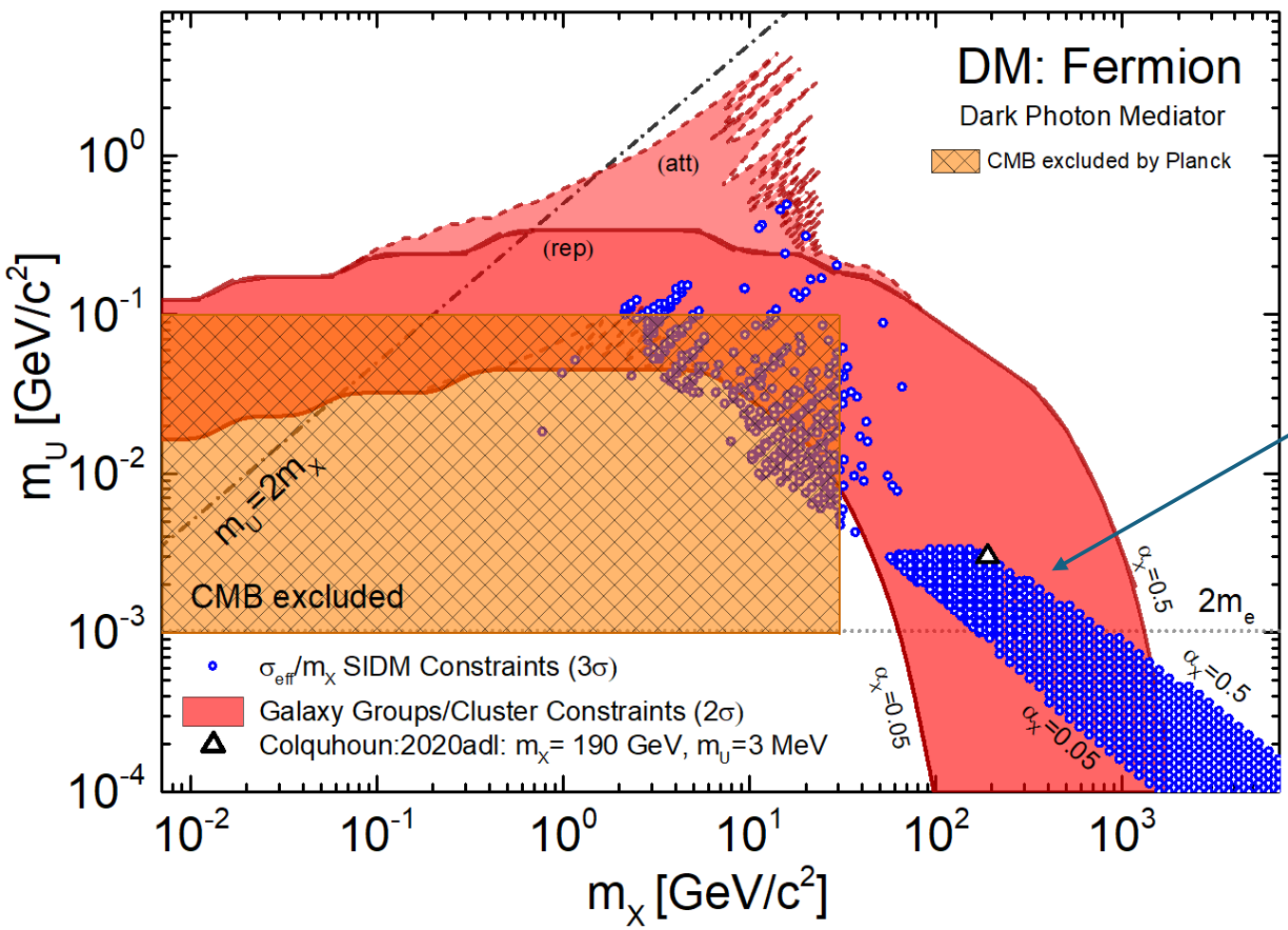
Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$



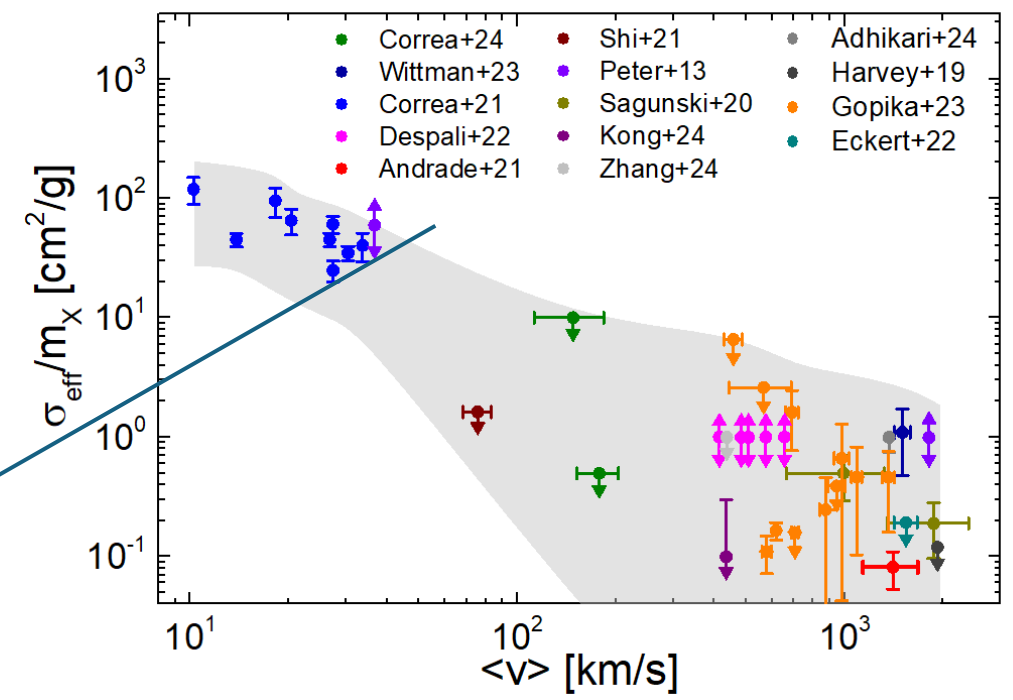
Effective cross-section Constraints



Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$

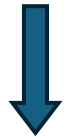


Effective cross-section Constraints



Thermal Relic Abundance

$$\Omega_{DM} = \frac{\rho_{DM}}{\rho_{cr}} \sim 26.14 \%$$



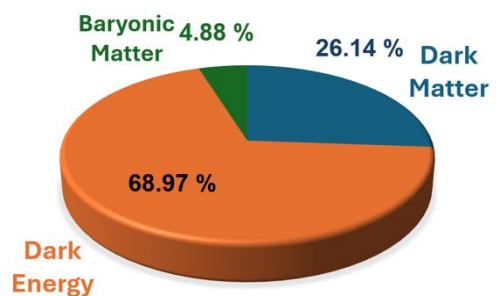
$$h = 0.674$$

Plack mission CMB: arxiv.1807.06209

$$\Omega_{DM} h^2 \sim 0.120 \pm 0.001$$

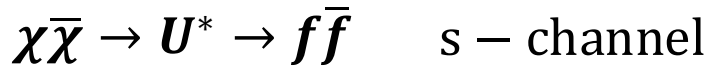
$\Omega_{DM} h^2 > 0.12$ Overproduction

$\Omega_{DM} h^2 < 0.12$ Underproduction



Solve the Boltzmann Equation for the DM relic density at freeze-out

- $m_U \geq 2 m_X$ Cross-Section is dependent of ϵ^2



- $m_U < 2 m_X$ "secluded" case: independent of ϵ^2

Mediator: Dark Photon

Dark Matter:

- Complex Scalar
- Dirac Fermion
- Majorana Fermion

$$\epsilon_{relic}^2(m_U)$$

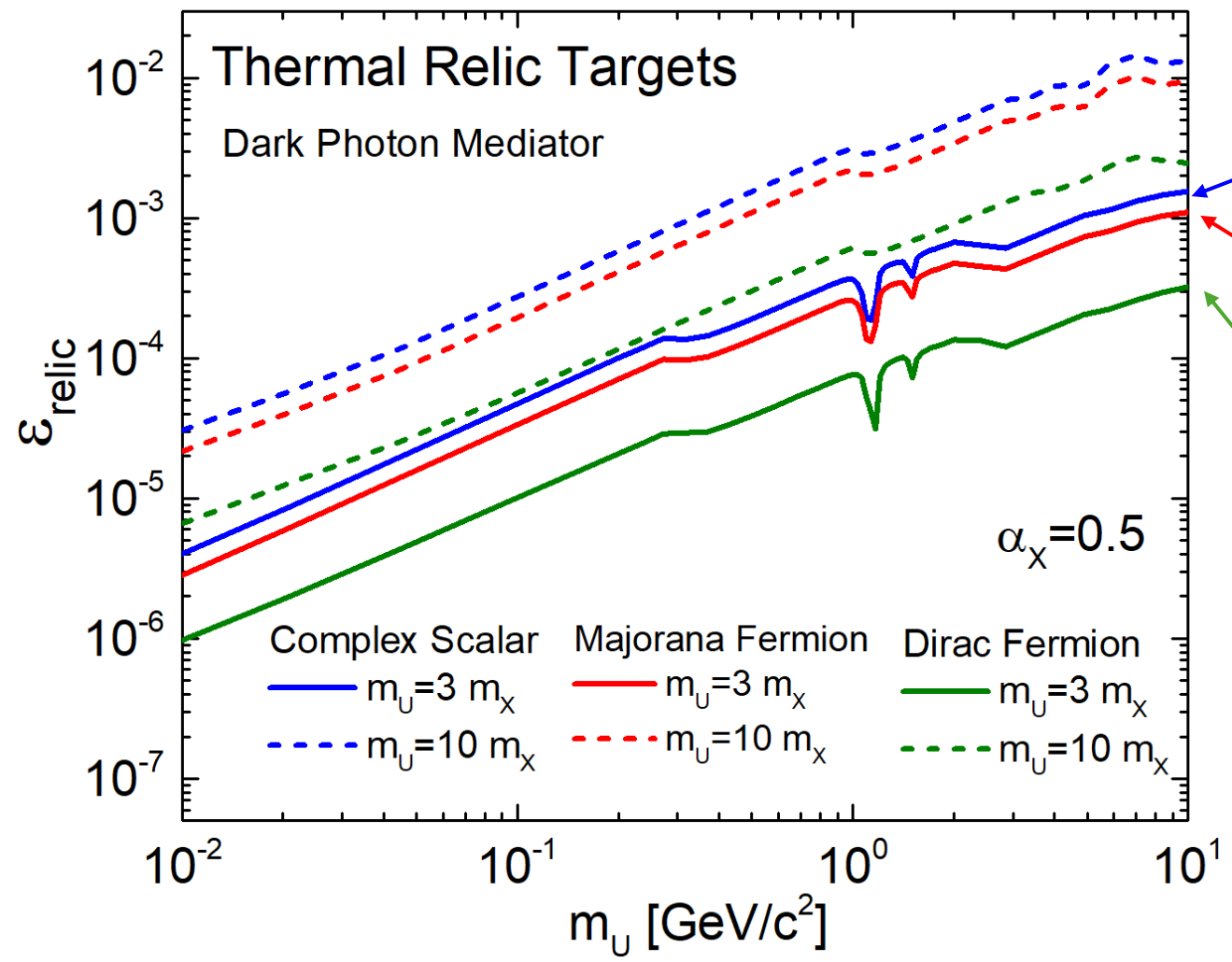
For fixed values of α_χ, m_χ

Red DeliveR

Arxiv: 2410.00881

Thermal Relic Abundance

$$\Omega_{DM} h^2 \sim 0.120$$



Complex Scalar

$$\Gamma(U \rightarrow \varphi\varphi^\dagger) = \frac{1}{12} \alpha_\chi m_U \left(1 - \frac{4m_\chi^2}{m_U^2}\right)^{3/2}$$

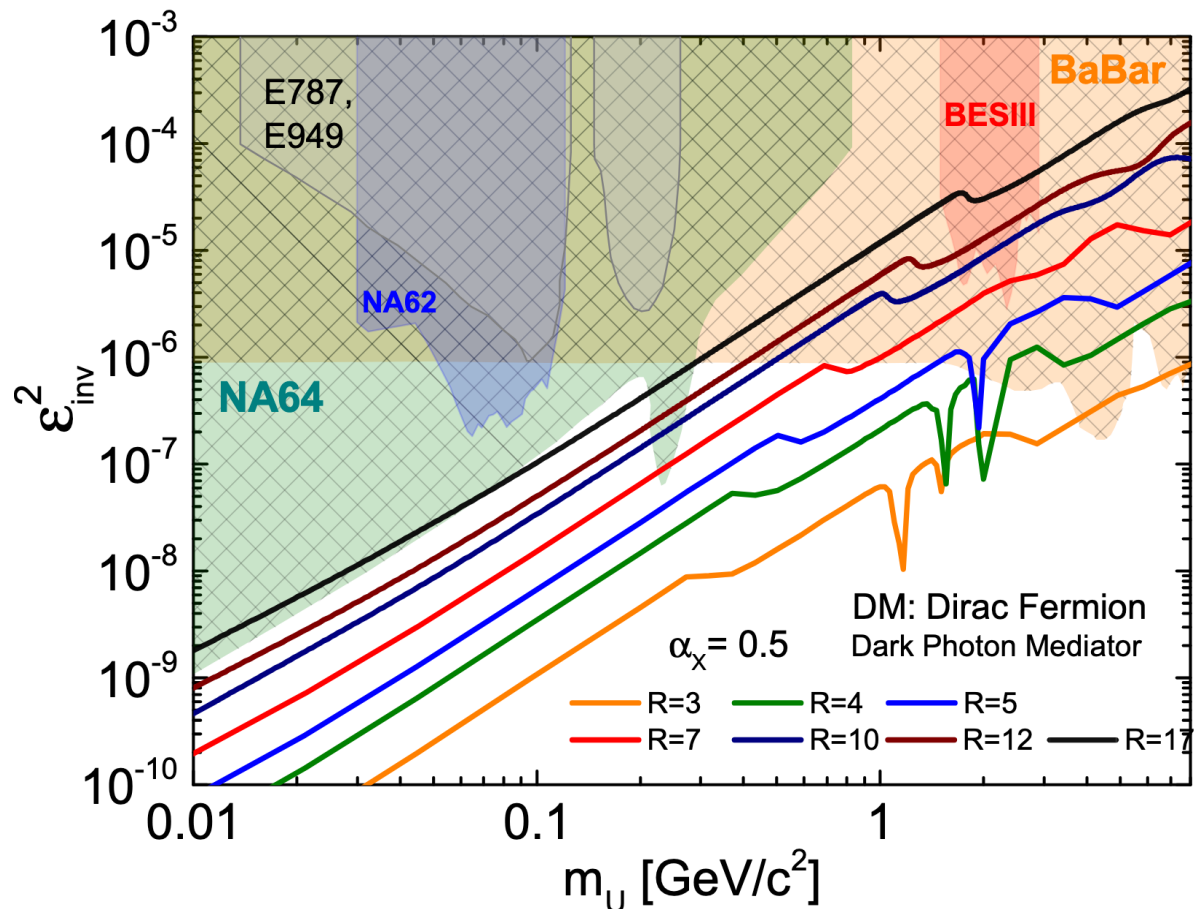
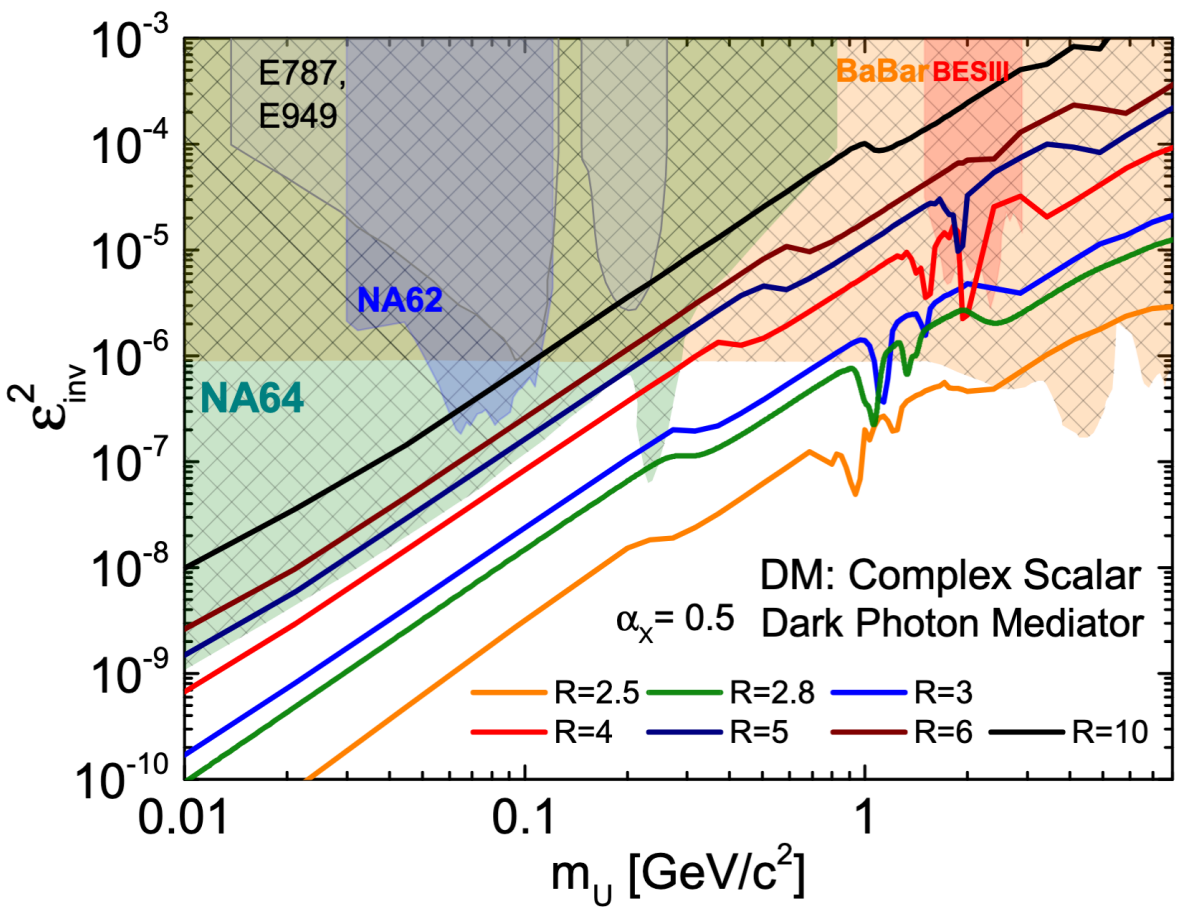
Majorana

$$\Gamma(U \rightarrow \chi\chi) = \frac{1}{6} \alpha_\chi m_U \left(1 - \frac{4m_\chi^2}{m_U^2}\right)^{3/2}$$

Dirac Fermion

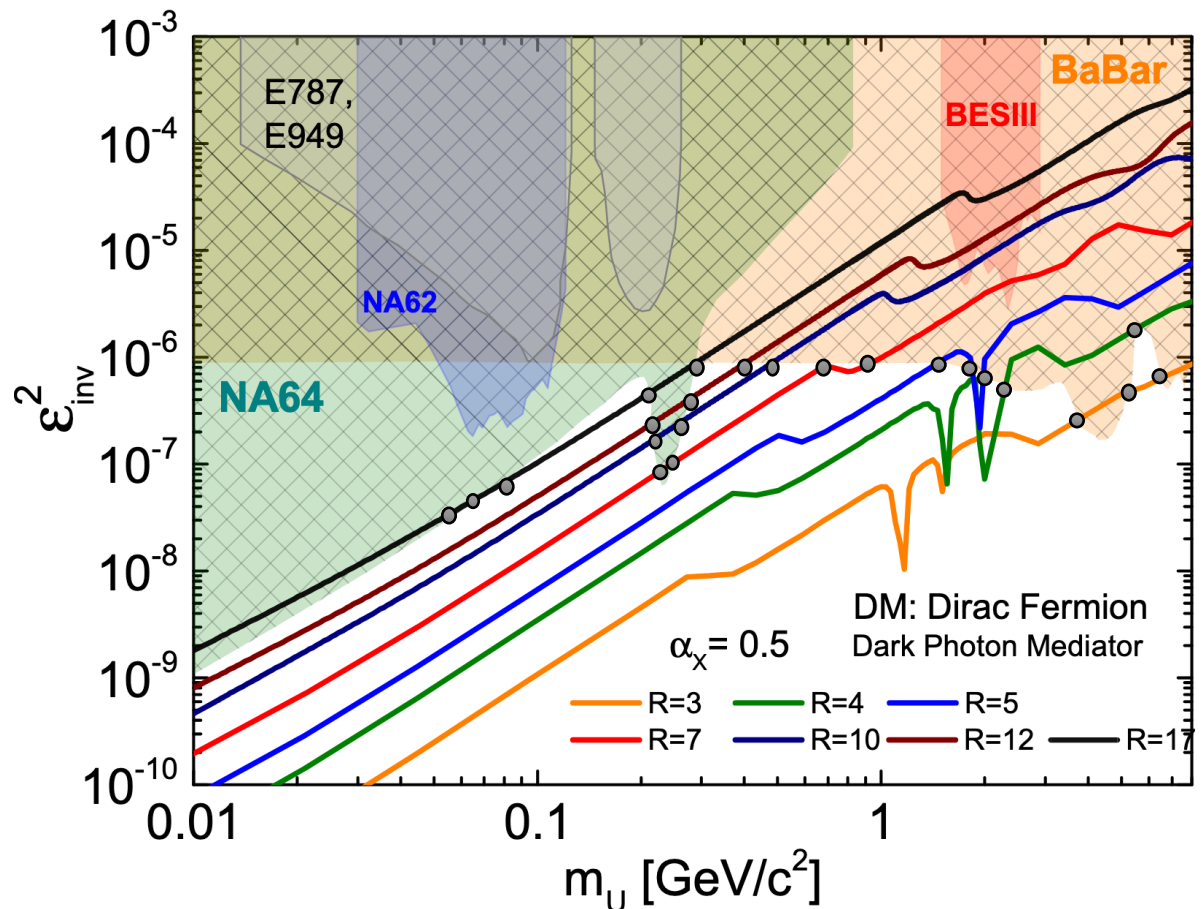
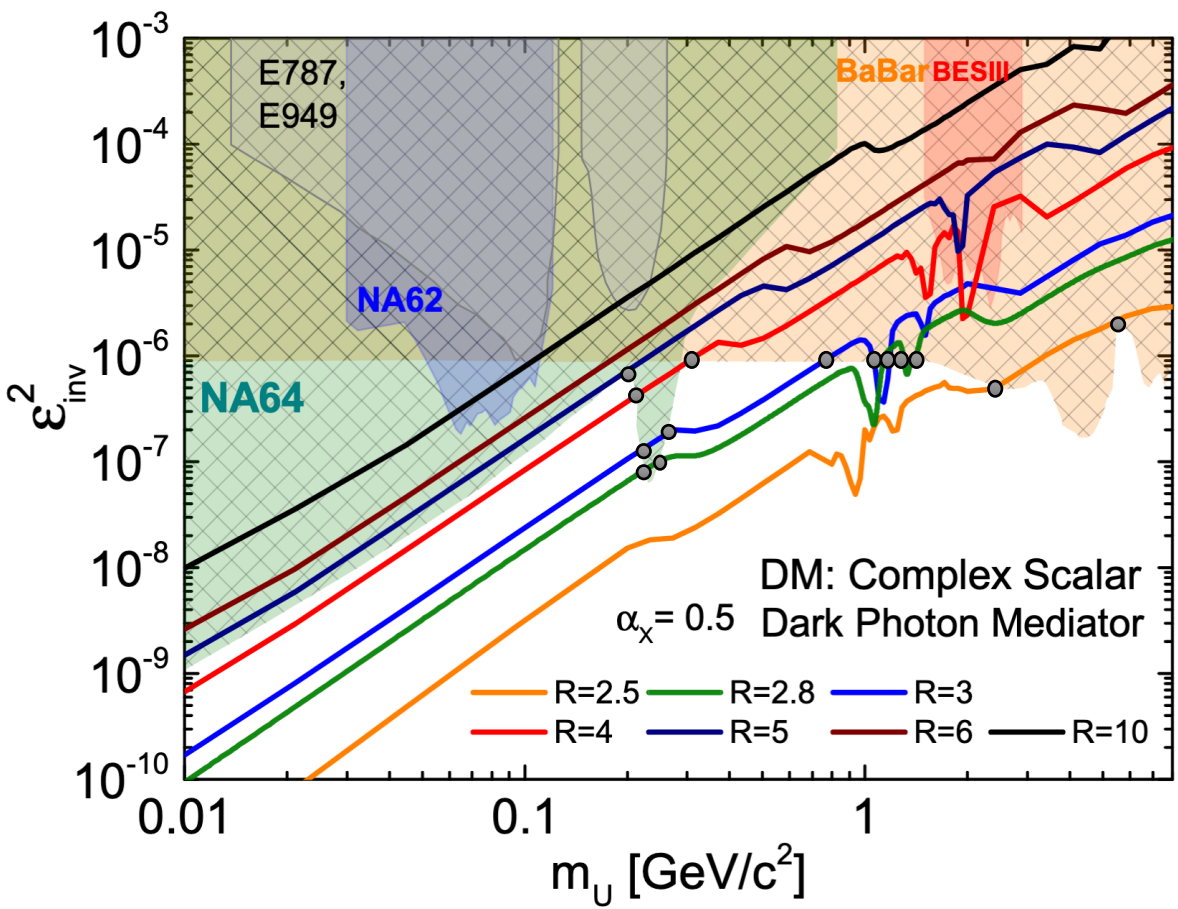
$$\Gamma(U \rightarrow \bar{\chi}\chi) = \frac{1}{3} \alpha_\chi m_U \left(1 + \frac{2m_\chi^2}{m_U^2}\right) \sqrt{1 - \frac{4m_\chi^2}{m_U^2}}$$

Kinetic Mixing parameter $\varepsilon(m_U)$ and DM thermal Relic Abundance



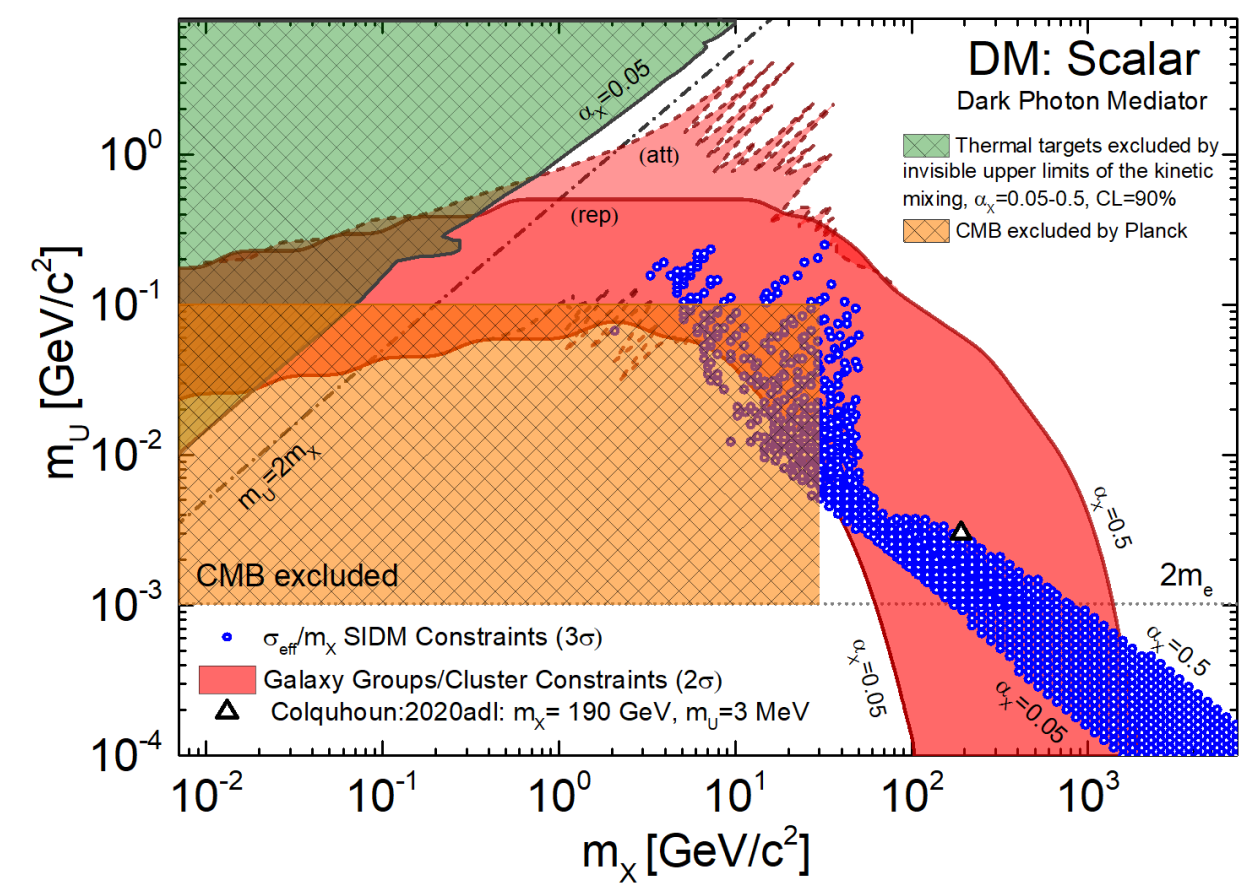
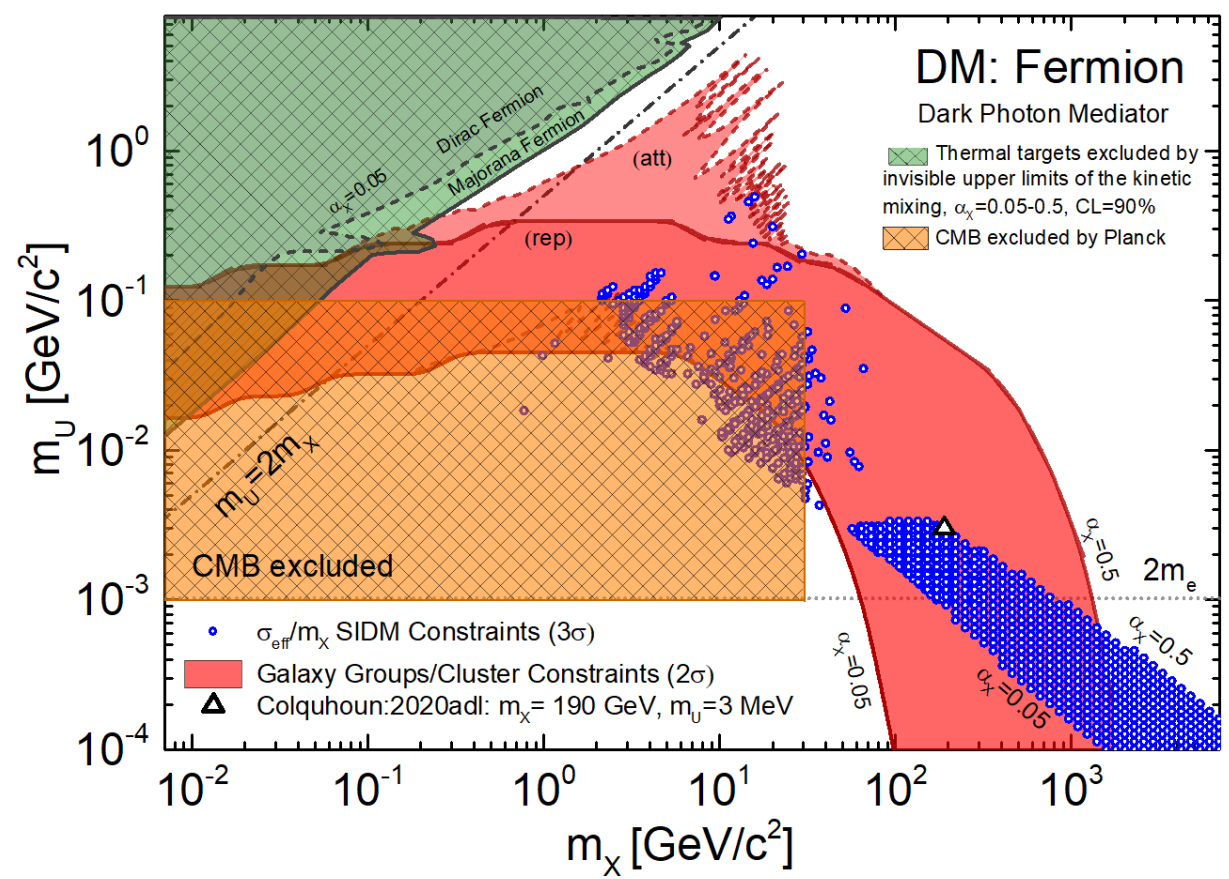
$$m_U = R m_\chi$$

Kinetic Mixing parameter $\varepsilon(m_U)$ and DM thermal Relic Abundance

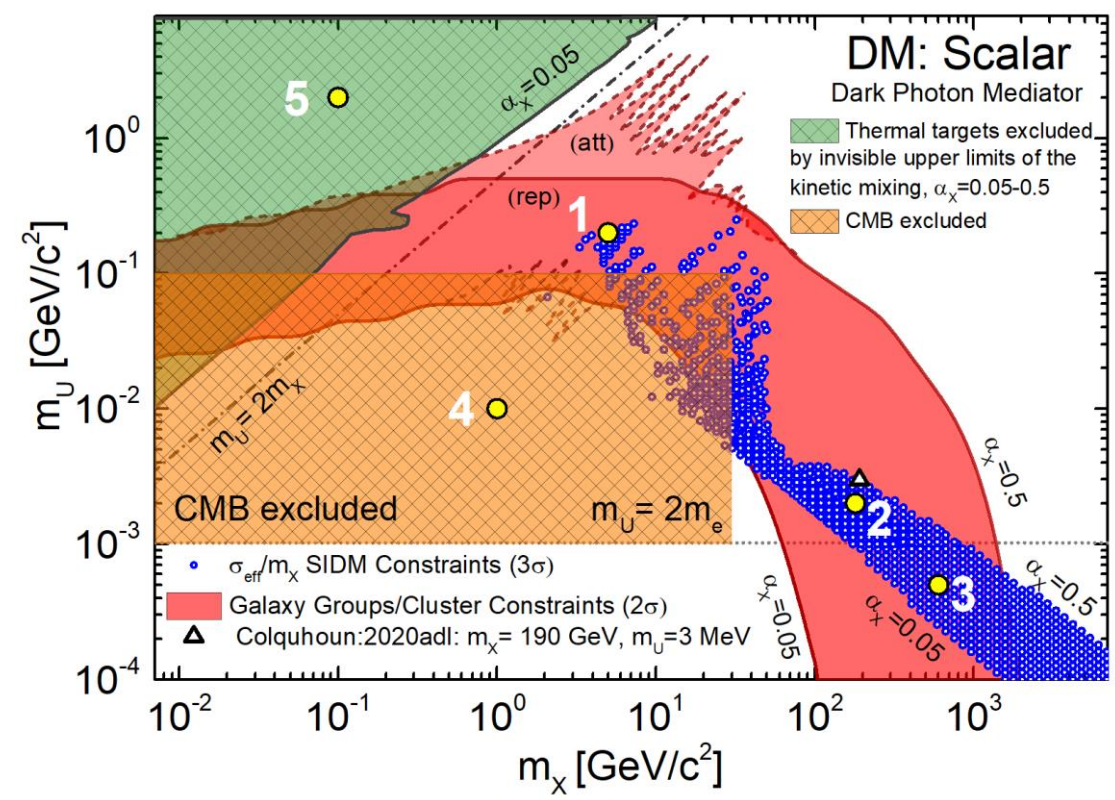


$$m_U = R m_\chi$$

Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$

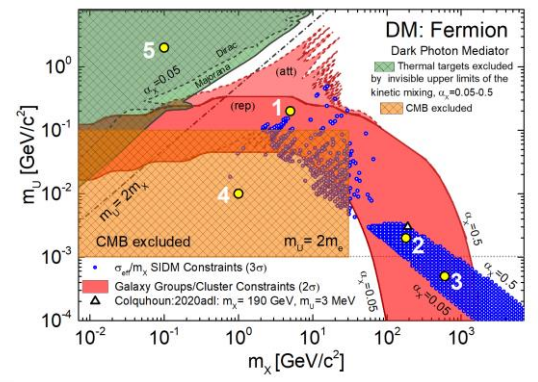


Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$



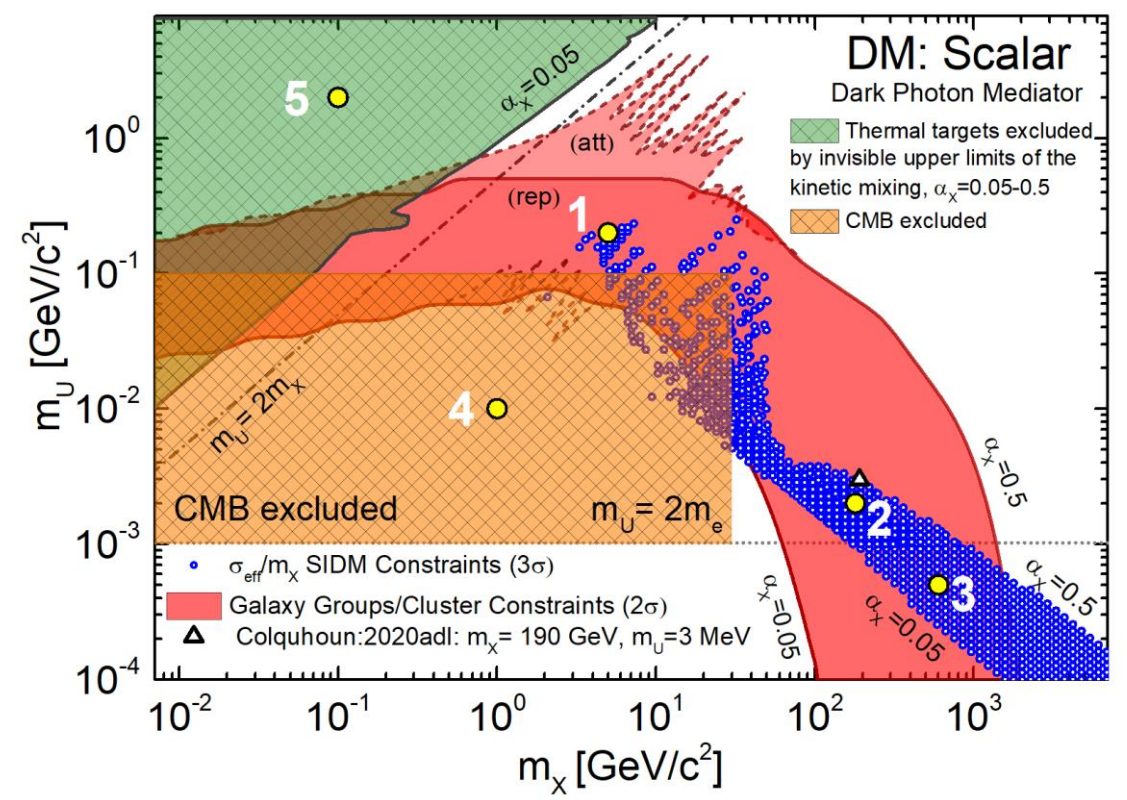
Possible Benchmark Points

- 1. $m_U \sim 0.1 - 0.2 \text{ GeV}$ Good for HIC Searches
 $m_X \sim 5 - 10 \text{ GeV}$ Dark photon produced by $\pi^0, \eta, \omega, \Delta$ decays
- 2. $m_U = 2 \text{ MeV}$ Light dark photon and heavy DM.
 $m_X \sim 190 \text{ GeV}$ It satisfies σ_{eff} constraints
- 3. $m_U < 2 m_e$ Stable and long-lived dark photon
 $m_X \sim 200 - 800 \text{ GeV}$



● Possible Benchmark Points

Dark Photon Mass vs Dark Matter Mass $m_U(m_X)$



Possible Benchmark Points

1. $m_U \sim 0.1 - 0.2 \text{ GeV}$ **Good for HIC Searches**
 $m_X \sim 5 - 10 \text{ GeV}$ **Dark photon produced by $\pi^0, \eta, \omega, \Delta$ decays**

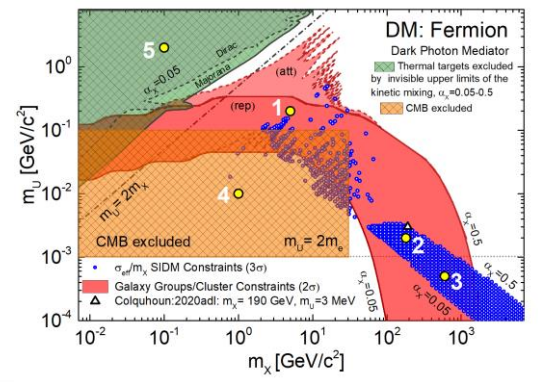
2. $m_U = 2 \text{ MeV}$ **Light dark photon and heavy DM.**
 $m_X \sim 190 \text{ GeV}$ **It satisfies σ_{eff} constraints**

3. $m_U < 2m_e$ **Stable and long-lived dark photon**
 $m_X \sim 200 - 800 \text{ GeV}$

4. $m_X \sim 10^{-2} - 30 \text{ GeV}$ **Exclude by CMB**
 $m_U \sim 10^{-3} - 10^{-1} \text{ GeV}$

5. $m_X \sim 10^{-2} - 1 \text{ GeV}$ **Thermal targets excluded by invisible upper limits**
 $m_U > 4 m_X$

Possible Benchmark Points



Summary

Heavy-ion dilepton spectra provide a complementary probe of vector portal dark sectors

- Experimental accuracy has to be less or equal to 0.1% to “observe” dark photons in the visible regime in dilepton experiments.

Dark matter **thermal relic abundance** condition must be satisfied to ensure compatibility with cosmological observations.

- Different DM candidates require different kinetic mixing values to reproduce the same energy distribution.

Combined constraints from SIDM, HIC and Thermal relic abundance in the $m_U(m_X)$ phase space, allow us to **identify the most promising benchmark points for future searches.**

- Heavy (GeV) DM and sub-GeV dark photon mediator might be a promising benchmark area



Thank you for your attention



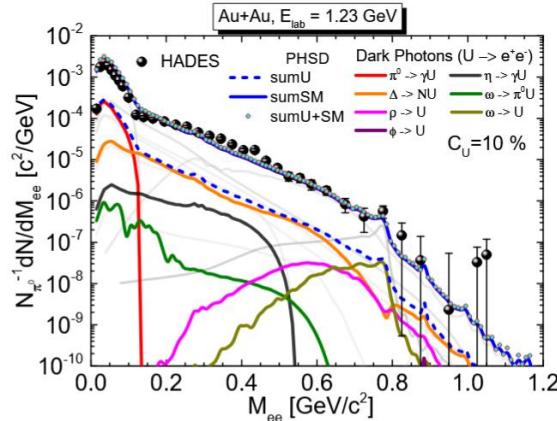
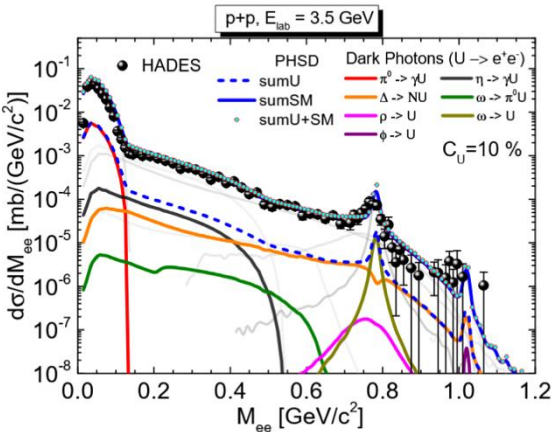
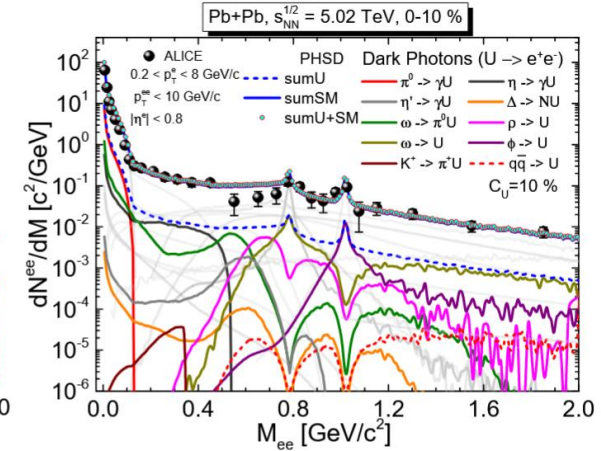
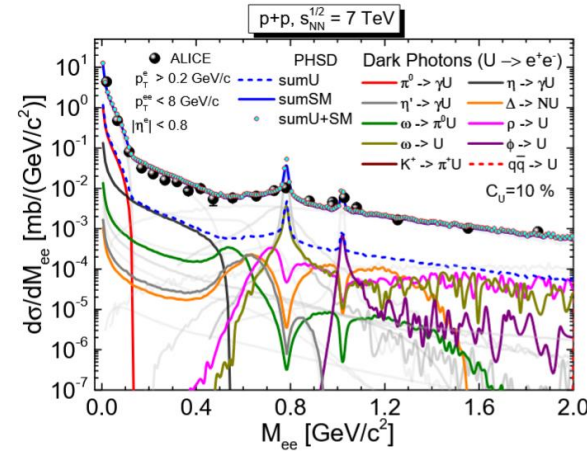
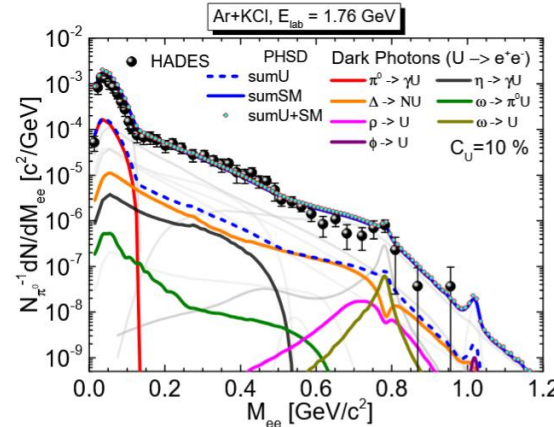
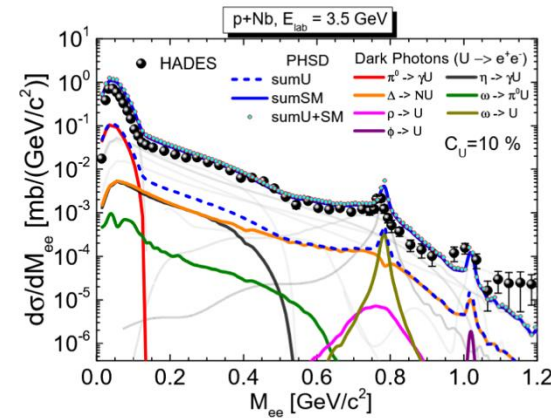
Backup Slides

Dilepton spectra from dark photon decays

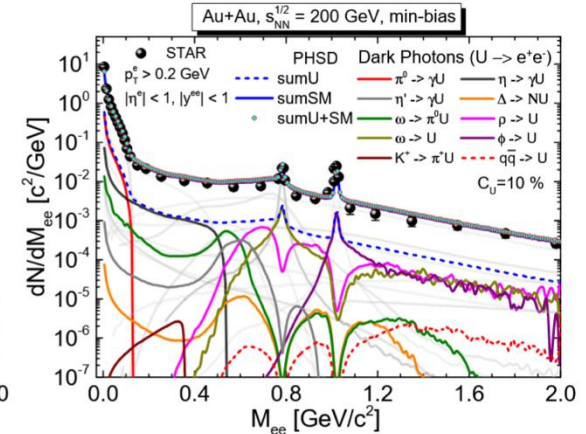
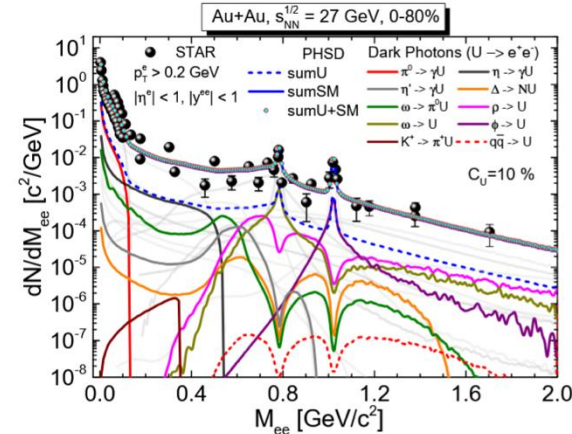


SIS-HADES

BES-RHIC-STAR



LHC-ALICE



- The contributions from $U \rightarrow e^+e^-$ are added with $C_U=10\%$ allowed surplus of the total SM yield \rightarrow the total sum is still in a good agreement with exp. data

Dark Photon Model with Dark Matter

* for the 'dark photon' or 'U-boson': A', V, U, ϕ

Arxiv.1411.1404

Arxiv:2005.01515

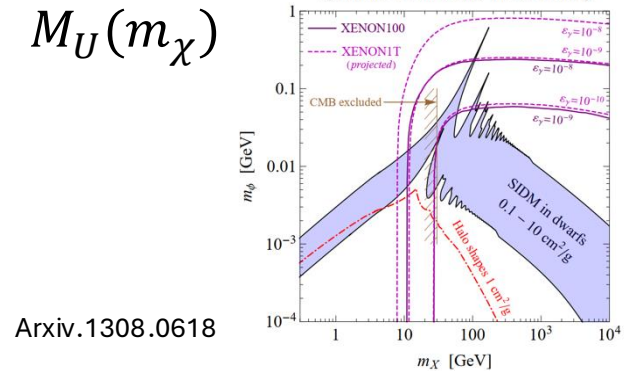
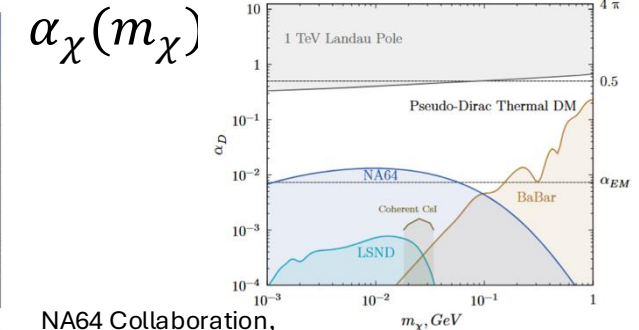
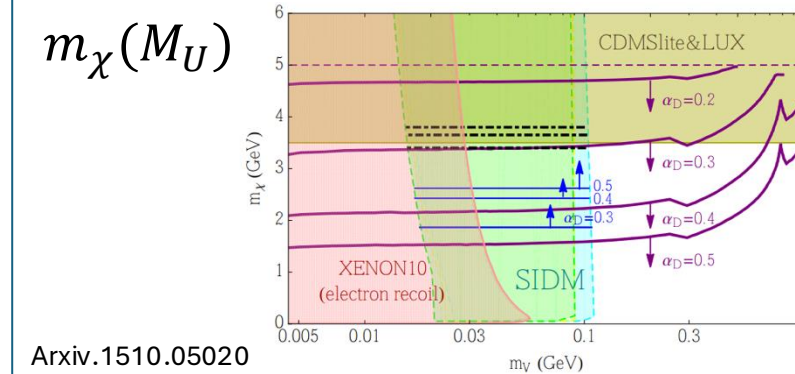
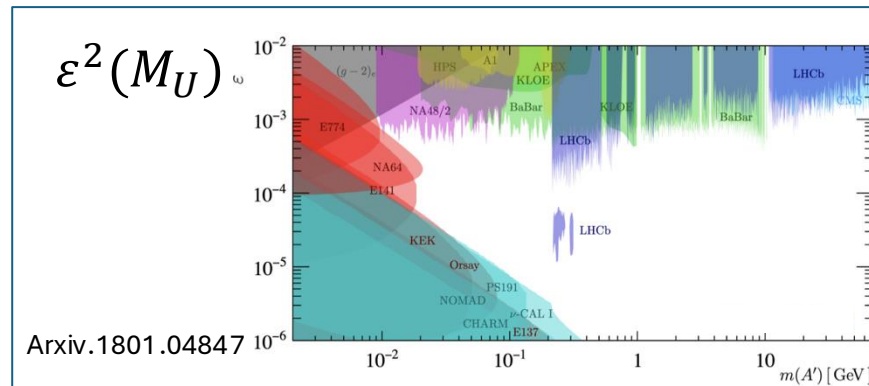
$$\mathcal{L} = \mathcal{L}_{SM} - \frac{1}{4} F'^{\mu\nu} F'_{\mu\nu} - \frac{1}{2} m_U^2 A'^\mu A'_\mu + \frac{\varepsilon}{2} B^{\mu\nu} F'_{\mu\nu} + g_\chi \bar{X} \gamma^\mu X A'_\mu + f(m_\chi)$$

- ε → Kinetic mixing parameter
- m_U → Dark photon mass
- g_χ → Dark coupling constant
- m_χ → Dark matter mass

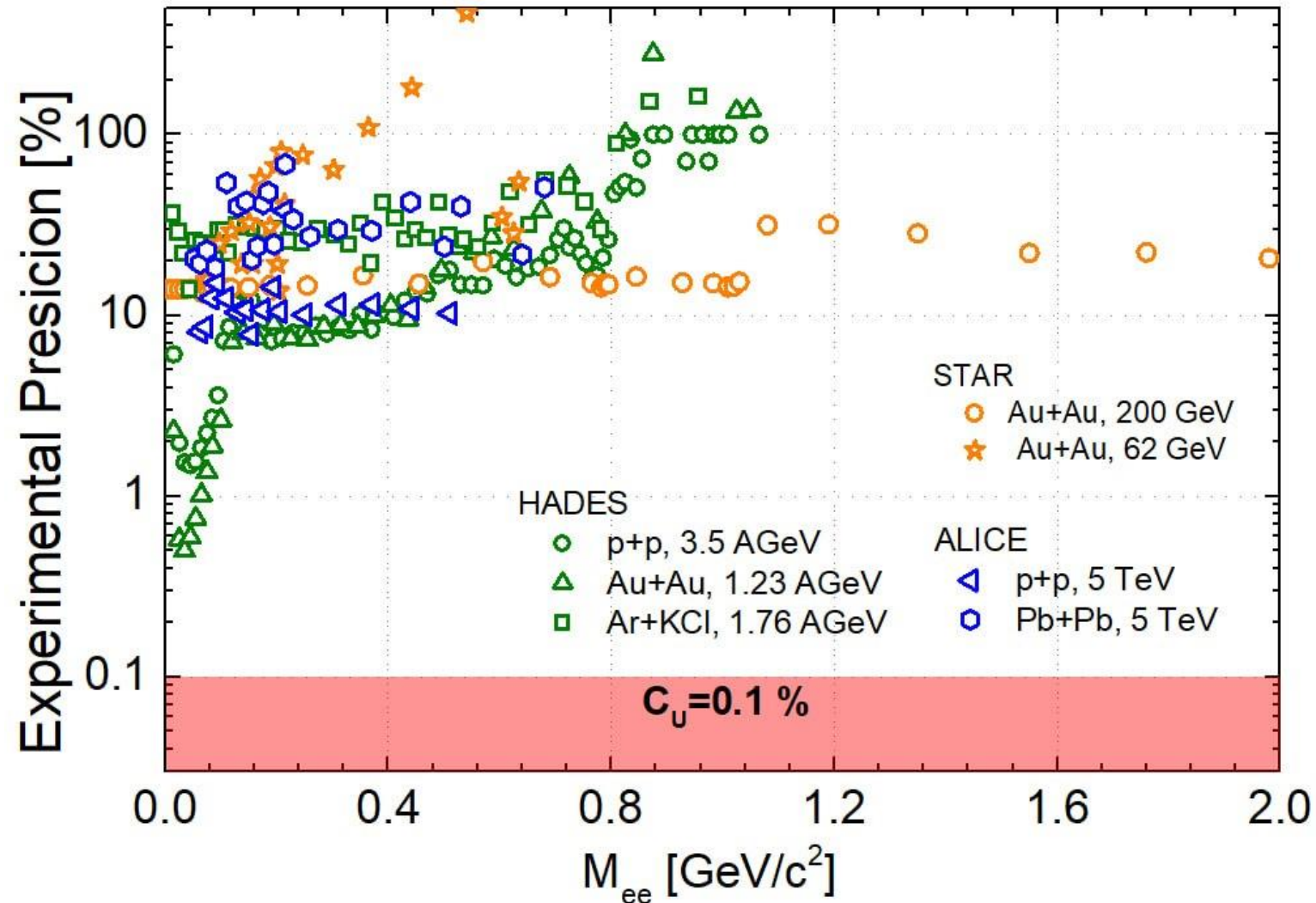
4-free parameters

(ε, m_U)

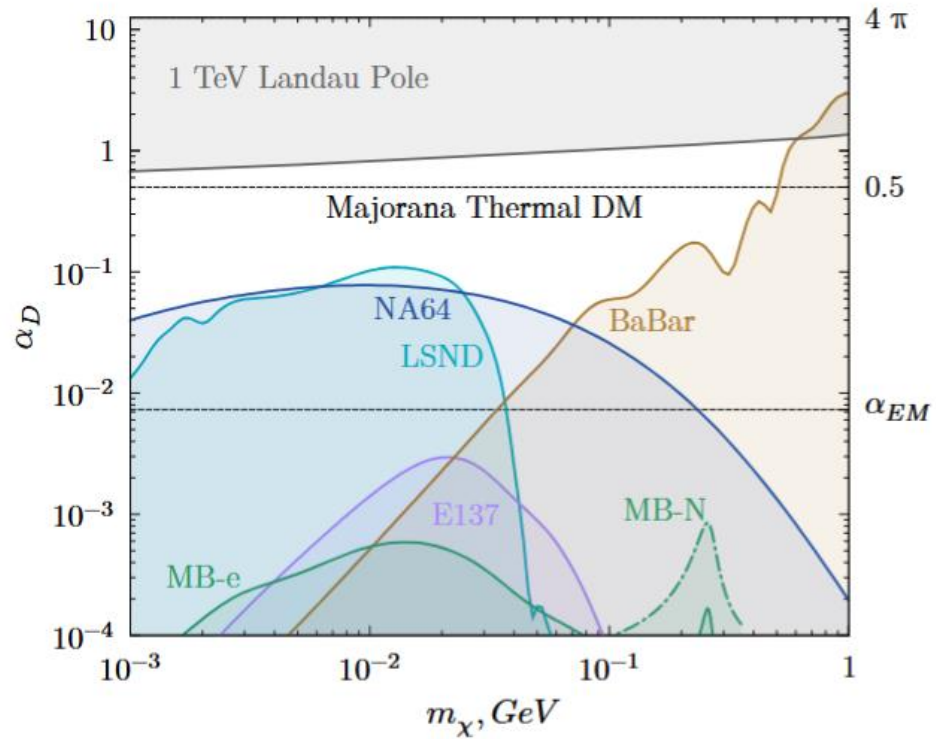
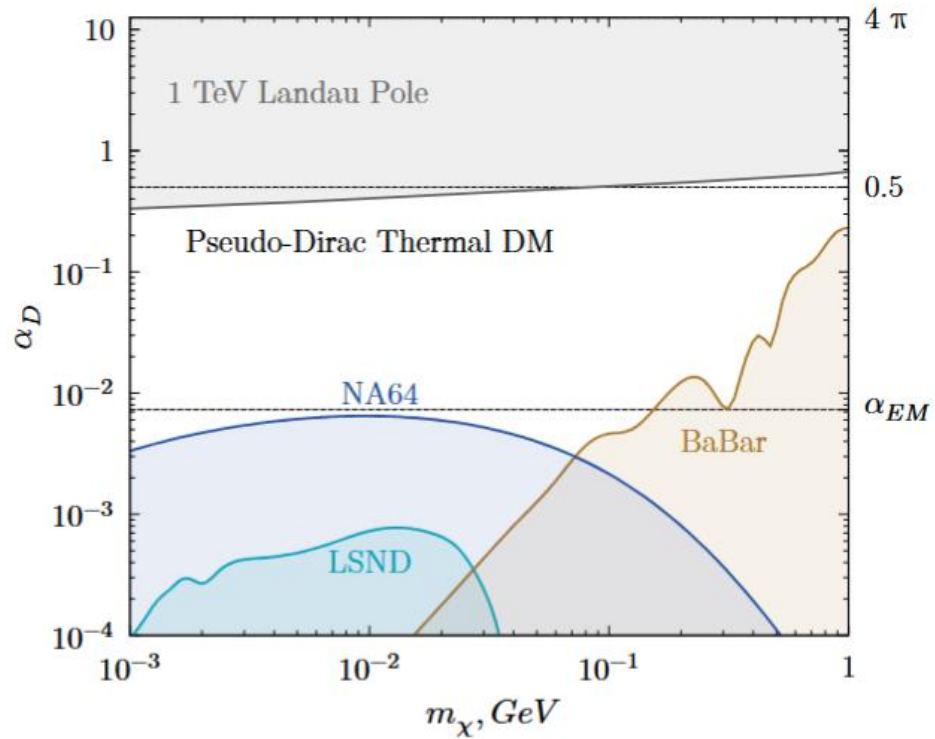
(α_X, m_X)



Local Experimental Precision from Experiments

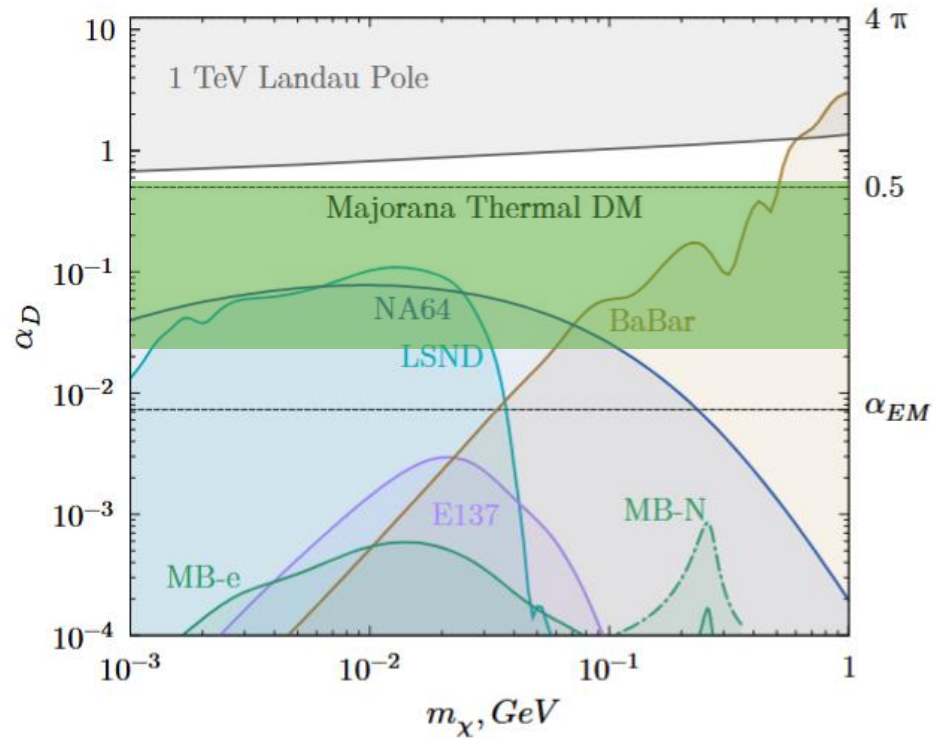
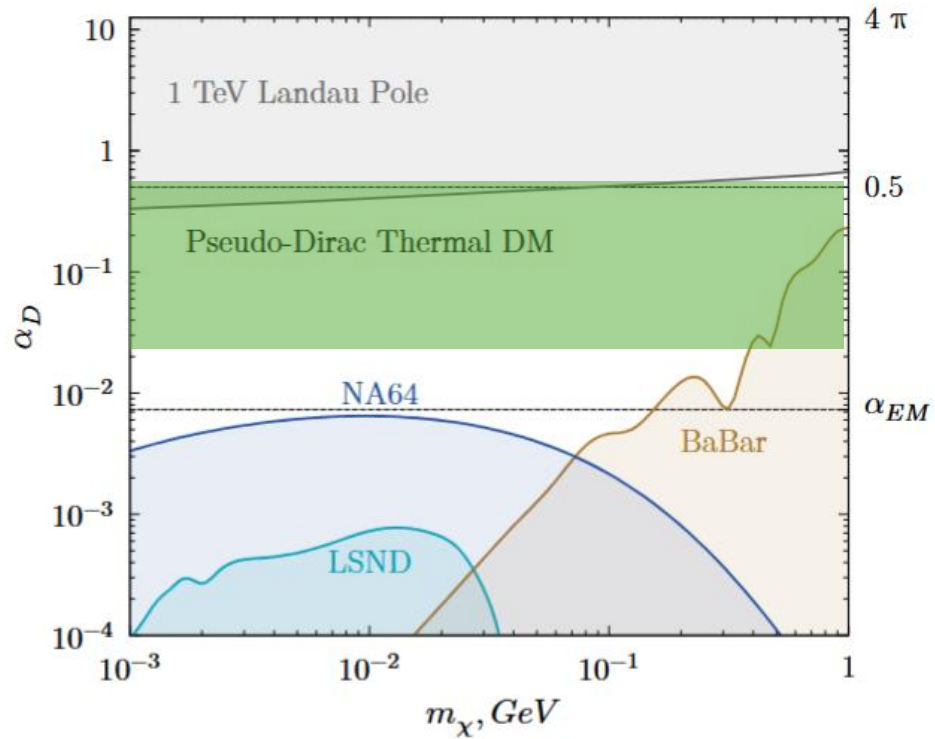


Dark alpha α_χ Limits



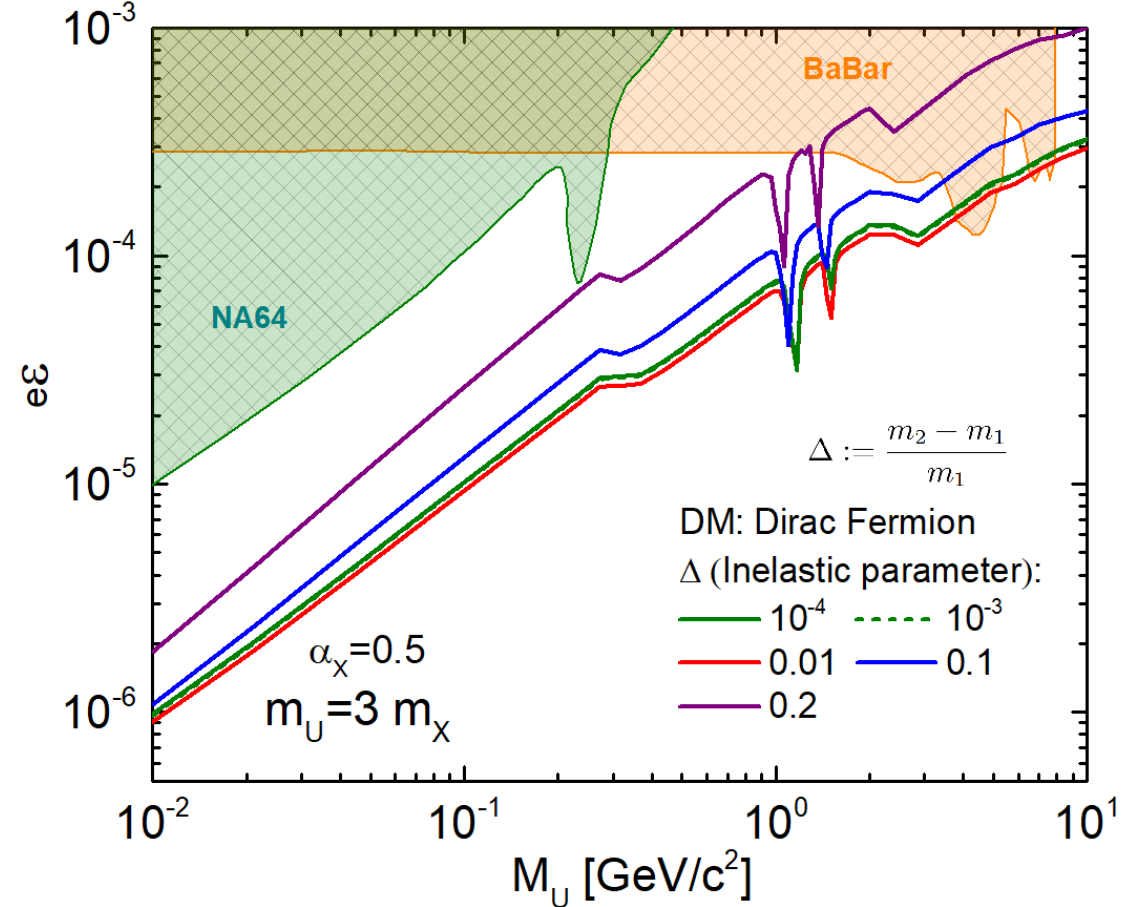
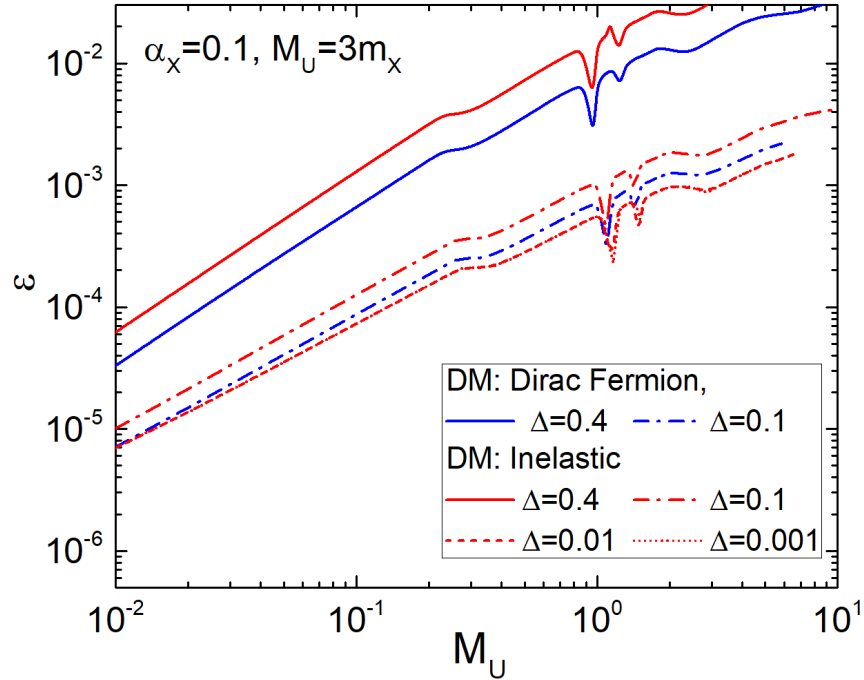
$$0.05 \leq \alpha_\chi \leq 0.5$$

Dark alpha α_χ Limits



$$0.05 \leq \alpha_\chi \leq 0.5$$

Thermal Target: Inelastic Dark Matter



$U \rightarrow X_1 X_2$ Direct Annihilation

$$\Gamma(U \rightarrow X_1 X_2) = \frac{\alpha_\chi m_U}{3} \left(1 - \Delta^2 \frac{m_X^2}{m_U^2}\right)^{\frac{3}{2}} \left(1 + \frac{(\Delta + 2)^2}{2m_U^2} m_X^2\right) \left(1 - \frac{(\Delta + 2)^2}{m_U^2} m_X^2\right)^{1/2}$$

$$\Gamma(U \rightarrow X \bar{X}) = \frac{\alpha_\chi m_U}{3} \left(1 + \frac{2m_X^2}{m_U^2}\right) \left(1 - \frac{4m_X^2}{m_U^2}\right)^{1/2} \quad \Delta = 0$$

$$\Delta = \frac{|m_{\chi_1} - m_{\chi_2}|}{m_{\chi_1}}$$

Type of DM particle in CLASSICS

Particle	<i>spin</i>	<i>dof</i>		Comments
Scalar	0	1-2	$\sigma_{\text{scalar}} = \sigma_{\text{even}}$	Identical scalar particles must have a symmetric spatial wavefunction.
Fermion	1/2	2-4	$\sigma_{\text{fermion}} = \frac{3}{4}\sigma_{\text{odd}} + \frac{1}{4}\sigma_{\text{even}}$	For identical fermions (Majorana or $\chi-\chi$ for Dirac DM): Antisymmetric spatial wavefunction \rightarrow odd partial waves dominate.
Vector	1	3	$\sigma_{\text{vector}} = \frac{1}{3}\sigma_{\text{odd}} + \frac{2}{3}\sigma_{\text{even}}$	The dark matter candidate is a spin-1 field (massive vector boson),

Scalar: Scalar, Complex Scalar

Fermion: Dirac, Majorana

Vector: Massive real vector

DM Widths

Dirac Fermion

$$\Gamma(U \rightarrow \bar{\chi}\chi) = \frac{1}{3} \alpha_{\chi} m_U \left(1 + \frac{2m_{\chi}^2}{m_U^2}\right) \sqrt{1 - \frac{4m_{\chi}^2}{m_U^2}}$$

Majorana

$$\Gamma(U \rightarrow \chi\chi) = \frac{1}{6} \alpha_{\chi} m_U \left(1 - \frac{4m_{\chi}^2}{m_U^2}\right)^{3/2}$$

Complex Scalar

$$\Gamma(U \rightarrow \varphi\varphi^{\dagger}) = \frac{1}{12} \alpha_{\chi} m_U \left(1 - \frac{4m_{\chi}^2}{m_U^2}\right)^{3/2}$$

$$\mathcal{L}_{\text{mass}}^{\chi} = \begin{cases} -m_{\chi} \bar{\chi}\chi, & \text{Dirac fermion,} \\ -\frac{1}{2} m_{\chi} \bar{\chi}\chi, & \text{Majorana fermion,} \\ -m_{\chi}^2 \varphi^{\dagger}\varphi, & \text{complex scalar.} \end{cases}$$

$$J_{\chi}^{\mu} = \begin{cases} \bar{\chi}\gamma^{\mu}\chi, & \text{Dirac fermion,} \\ \frac{1}{2}\bar{\chi}\gamma^{\mu}\gamma^5\chi, & \text{Majorana fermion,} \\ i(\varphi^{\dagger}\partial^{\mu}\varphi - (\partial^{\mu}\varphi^{\dagger})\varphi), & \text{complex scalar,} \end{cases}$$

Dark photon coupling to DM

Complex Scalar

$$\phi \rightarrow e^{iq_D \alpha(x)} \phi.$$

This requires ϕ to be a **complex scalar field**.

The covariant derivative is $D_\mu \phi = (\partial_\mu + iq_D q_D A'_\mu) \phi$.

The kinetic term is $\mathcal{L} = |D_\mu \phi|^2 - m_\chi^2 |\phi|^2$.

Expanding the kinetic term gives the interaction

$$\mathcal{L}_{\text{int}} = ig_D q_D A'_\mu (\phi^* \partial^\mu \phi - \phi \partial^\mu \phi^*) + g_D^2 q_D^2 A'_\mu A'^\mu |\phi|^2.$$

The corresponding $U(1)_D$ current is

$$J_D^\mu = iq_D (\phi^* \partial^\mu \phi - \phi \partial^\mu \phi^*)$$

So a dark photon can couple directly to complex scalar DM.

Dark photon
is the gauge boson
of a dark gauge symmetry

$$g_\chi A'_\mu J_\chi^\mu$$

Real Scalar

A real scalar satisfies $\phi = \phi^*$

But a charged $U(1)_D$ transformation would give

$$\phi \rightarrow e^{iq_D \alpha} \phi,$$

which is generally complex. For the field to remain real for any α , one needs

$$q_D = 0.$$

Therefore, a real scalar cannot carry a continuous $U(1)_D$ charge.

Dark photon coupling to DM

Dirac Fermion

A Dirac fermion charged under $U(1)_D$ transforms as

$$\chi \rightarrow e^{iq_D \alpha(x)} \chi.$$

The covariant derivative is $D_\mu \chi = (\partial_\mu + ig_D q_D A'_\mu) \chi$.

The Lagrangian is $\mathcal{L} = \bar{\chi} (i\gamma^\mu D_\mu - m_\chi) \chi$.

Expanding it gives $\mathcal{L}_{\text{int}} = g_D q_D A'_\mu \bar{\chi} \gamma^\mu \chi$.

The dark current is $J_D^\mu = q_D \bar{\chi} \gamma^\mu \chi$.

This is the standard dark-photon coupling to fermionic DM:

$$\mathcal{L}_{\text{int}} = g_D A'_\mu \bar{\chi} \gamma^\mu \chi.$$

So a dark photon can couple directly to Dirac fermion DM.

Majorana Fermion

A Majorana fermion satisfies $\chi = \chi^c$.

That means the particle is its own antiparticle.

Under $U(1)_D$, $\chi \rightarrow e^{iq_D \alpha} \chi$,

while its charge conjugate transforms as $\chi^c \rightarrow e^{-iq_D \alpha} \chi^c$.

For the Majorana condition, to remain true after the transformation, we need $e^{iq_D \alpha} = e^{-iq_D \alpha}$

for arbitrary α . This implies $q_D = 0$.

Therefore, a **pure Majorana fermion cannot carry a diagonal $U(1)_D$ charge.**

Also, the vector current vanishes identically for a Majorana fermion: $\bar{\chi} \gamma^\mu \chi = 0$.

Dark photon coupling to DM

Axial Majorana coupling

In a broken or chiral dark gauge theory, a Majorana state may have an axial coupling:

But this is not the minimal vector dark photon coupling. It requires a more specific model structure.

$$\mathcal{L}_{\text{int}} = g_D A'_\mu \bar{\chi} \gamma^\mu \gamma^5 \chi.$$

DM Candidate	Direct dark photon coupling?	Reason
Real Scalar	No	Cannot carry a continuous U(1) charge
Complex Scalar	Yes	Has a conserved U(1) current
Dirac Fermion	Yes	Has a vector current $\bar{\chi} \gamma^\mu \chi$
Pure Majorana	Not diagonally	The vector current vanishes
Majorana with Axial coupling	Possible	Requires a broken/chiral dark gauge structure

Cross-Section SIDM: Number of collisions

Elastic p+p

$$\sigma_{pp} = 30 \text{ mbar}$$

Inelastic p+p

$$\sigma_{pp} = 60 \text{ mbar}$$

$$n_{HIC} = 0.1 \text{ fm}^3 \sim 10^{38} \text{ cm}^{-3}$$

$$\sigma_{\chi\chi} = 10 \text{ cm}^2/\text{g} \sim 1.78 \times 10^{-23} \text{ cm}^2/\text{GeV}$$

For a DM mass

- $m_\chi = 100 \text{ GeV}$

$$\sigma_{\chi\chi} = 1.8 \times 10^{-21} \text{ cm}^2$$

$$\sigma_{\chi\chi} = 1.8 \times 10^6 \text{ mbar}$$

$$\Gamma = n_\chi \sigma v$$

$$n_\chi \sim 0.003 \text{ cm}^{-3}$$

Number of collisions:

$$N_{coll} = \rho_\chi \frac{\sigma_{\chi\chi}}{m_\chi} v t$$

$$v \sim 200 \text{ km/s}$$

$$t \sim 4 \times 10^{17} \text{ s}$$

$$N_{coll} \sim 50$$

Age of the universe

$$1 \text{ mbar} = 10^{-27} \text{ cm}^2$$

$$1 \text{ GeV}^{-2} = 0.389 \times 10^{-27} \text{ cm}^2$$

Sommerfeld enhancement

- Long range force in the Yukawa potential ($1/m_U$) $\alpha_\chi m_\chi \gg m_U$
- Attractive Potential for enhancement
- Small relative velocity $v_{rel} \ll \alpha_\chi$
- Enhancement of the cross-section:

$$\langle \sigma v \rangle_{eff} = S(v) \langle \sigma v \rangle_0$$

$S(v)$ Sommerfeld Factor

$$S(v) = \frac{|\psi(0)|^2}{|\psi_0(0)|^2}$$

$$S(v) \sim \frac{1}{v}$$

$$V(r) = \pm \frac{\alpha_\chi}{r} e^{-m_U r} \left\{ \begin{array}{l} + \quad \text{repulsive} \\ - \quad \text{attractive} \end{array} \right.$$

Sommerfeld enhancement

- If $m_U = 0$, $V(r) = -\frac{\alpha_\chi}{r}$

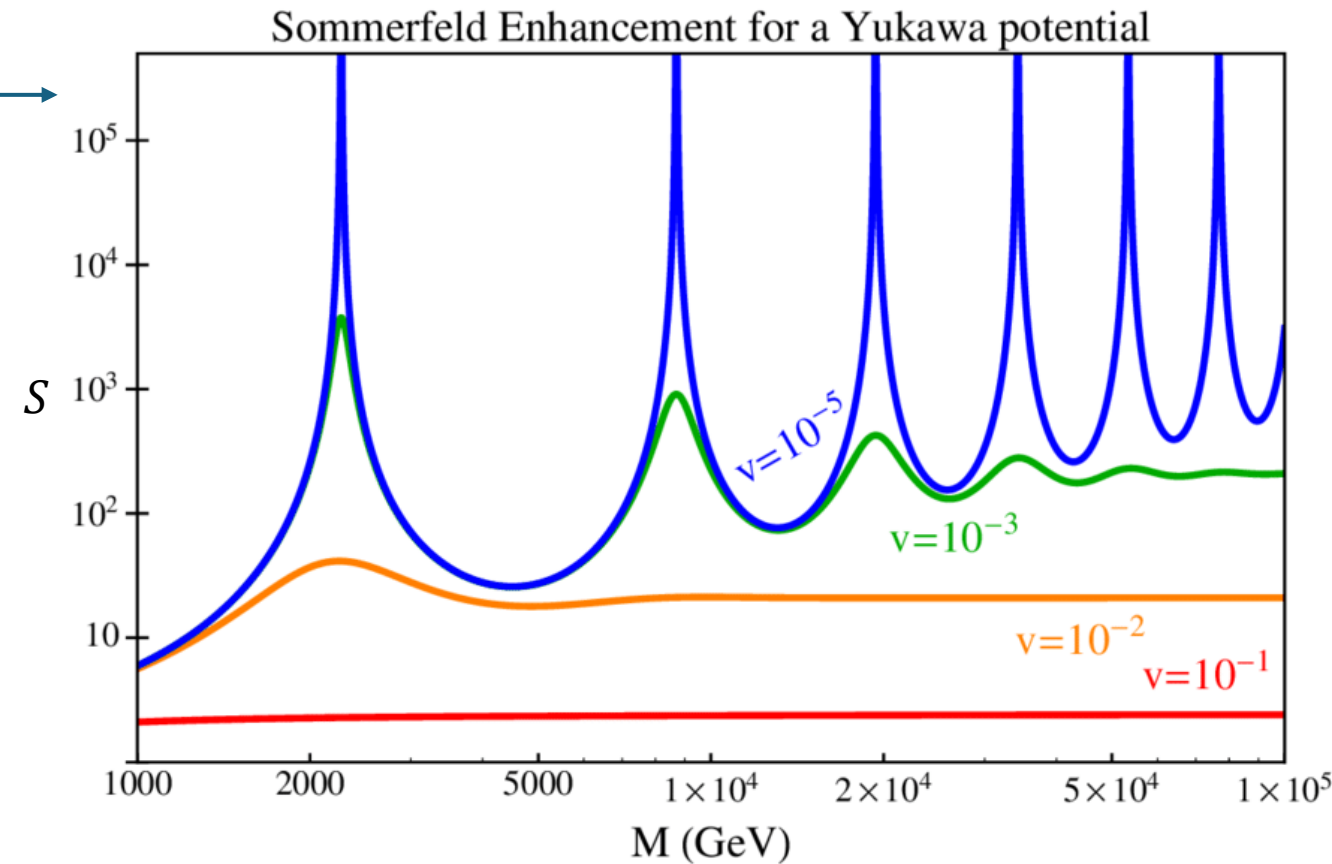
$$S(v) = \frac{\pi\alpha_\chi/v}{1 - e^{-\pi\alpha_\chi/v}}$$

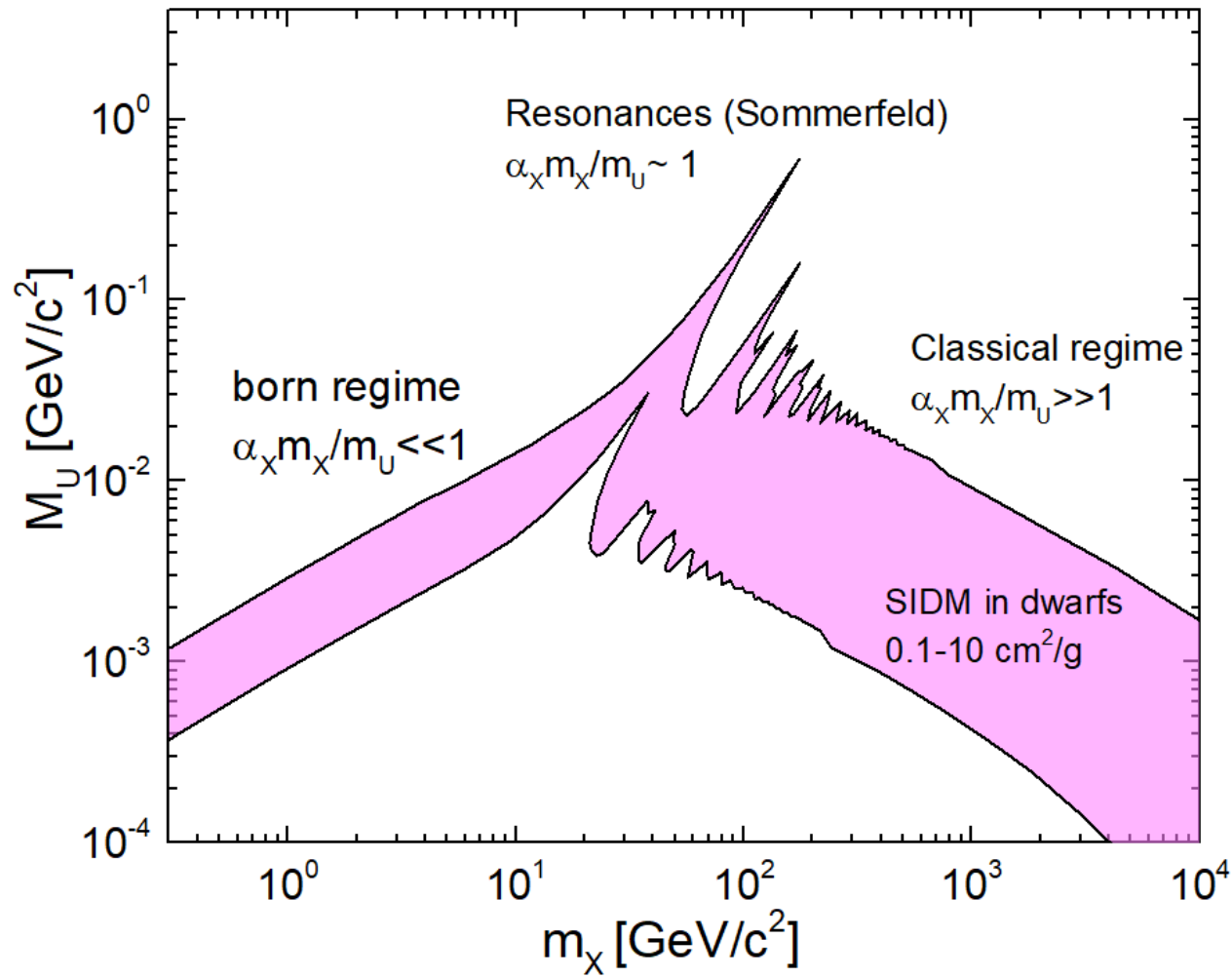
$$v \ll \alpha_\chi$$

$$S(v) \approx \frac{\pi\alpha_\chi}{v}$$

- If $m_U \neq 0$, $r_d = \frac{1}{m_U}$

$$S_{max}(v) \approx \frac{\alpha_\chi m_\chi}{m_U}$$



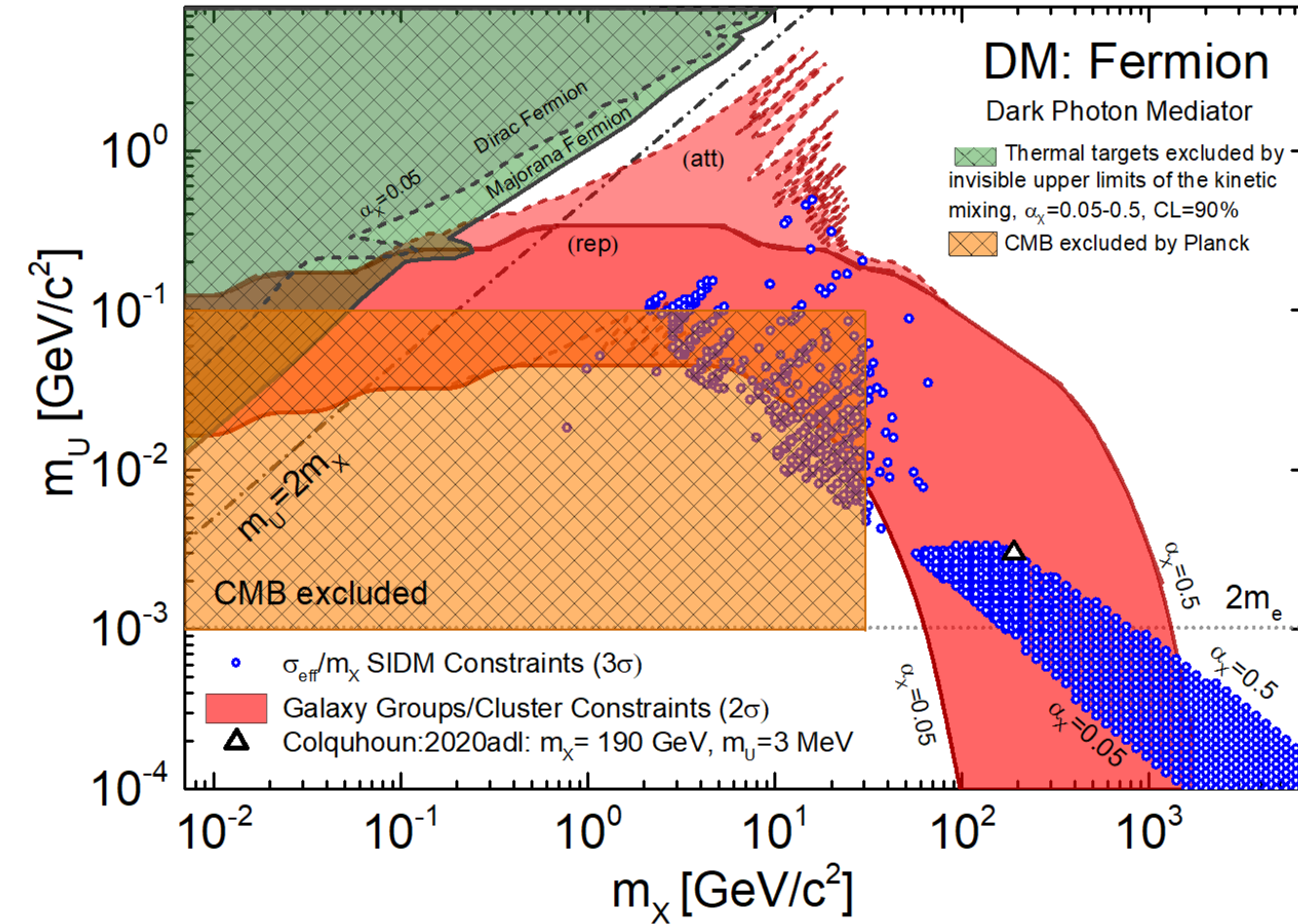


Quasi-bound state for attractive Potential near zero energy

Short distance force

large distance force

Sommerfeld Enhancement in the Relic density



$$m_U > 2 m_\chi$$

$$\alpha_\chi m_\chi \gg m_U$$

$$\alpha_\chi \gg 1$$



$$\alpha_\chi \leq 0.5$$

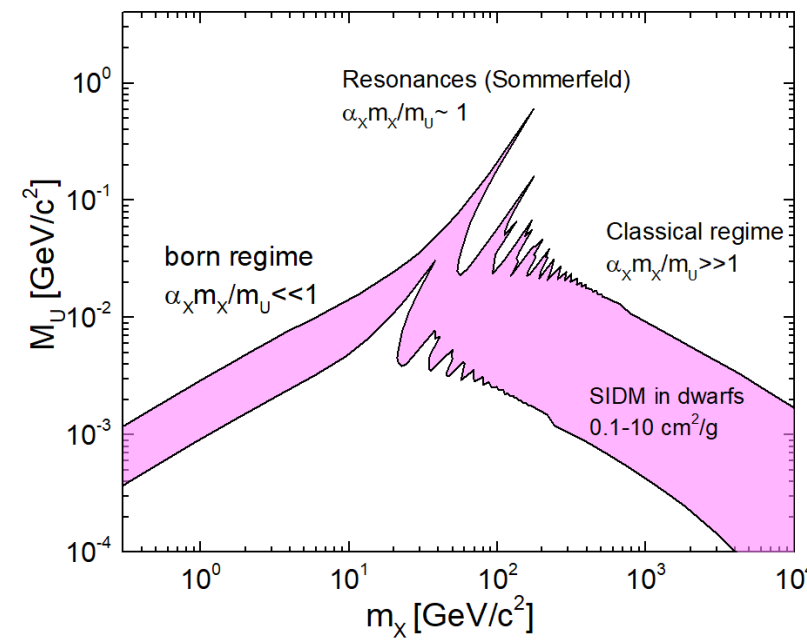
Elastic DM self-scattering

Born limit $\alpha_X m_X \ll m_\phi$

$$\frac{d\sigma}{d\Omega} = \frac{\alpha_X^2 m_X^2}{[m_X^2 v_{\text{rel}}^2 (1 - \cos\theta)/2 + m_\phi^2]^2}$$

$$\frac{d\sigma}{d\Omega} = \frac{\alpha_X^2 m_X^2}{m_\phi^4}$$

$$\frac{\sigma}{m_X} = \frac{4\pi\alpha_X^2 m_X}{m_\phi^4}$$



$$\frac{\sigma}{m_X} = \left(\frac{\alpha_X}{10^{-2}}\right)^2 \left(\frac{m_X}{10 \text{ GeV}}\right)^1 \left(\frac{m_\phi}{40 \text{ MeV}}\right)^{-4}$$

$$0.1 < \sigma/m < 10 \text{ cm}^2/\text{g}$$

Cosmological Constraint

Thermal Relic Density: Comparison

$$\langle \sigma_{\text{ann}} v \rangle = \frac{\kappa \int_{4m_\chi^2}^{\infty} \sqrt{s(s-4m_\chi^2)} \sigma_{\text{ann}}(s) K_1(\sqrt{s}/T) ds}{8m_\chi^4 T K_2^2(m_\chi/T)}$$

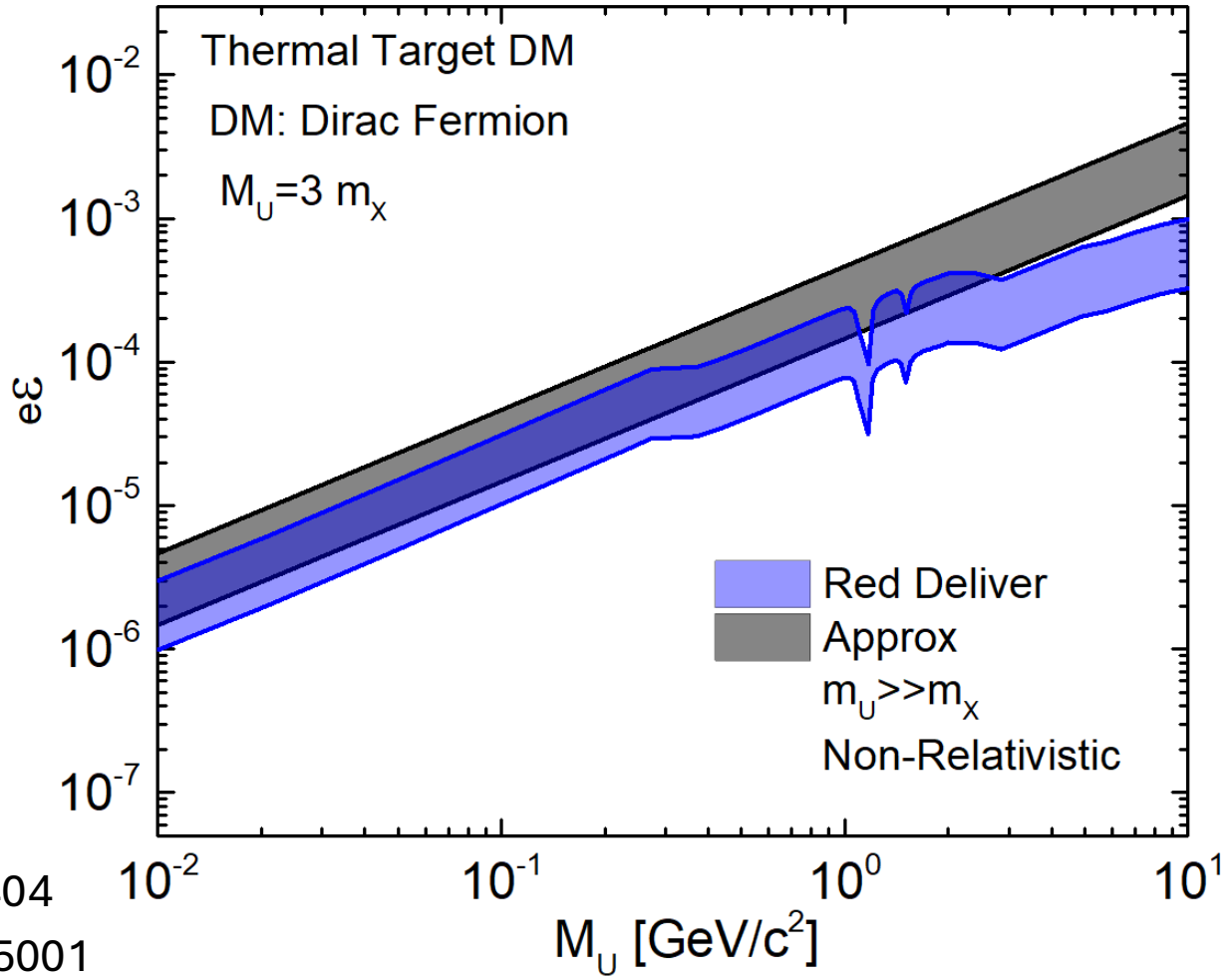
$$m_U \gg m_\chi$$

$$\langle \sigma v \rangle \simeq \frac{\pi \alpha \epsilon^2 \alpha_D}{m_\chi^2} \frac{m_\chi^4}{m_{A'}^4} \simeq \frac{\pi \alpha \alpha_D \epsilon^2}{m_\chi^2} \left(\frac{m_\chi}{m_{A'}} \right)^4$$

$$\epsilon^2 \simeq \frac{\langle \sigma v \rangle m_\chi^2}{\pi \alpha \alpha_D} \left(\frac{m_{A'}}{m_\chi} \right)^4 \simeq 1.3 \times 10^{-8} \left(\frac{m_{A'}}{10 \text{ MeV}} \right)^4 \left(\frac{1 \text{ MeV}}{m_\chi} \right)^2 \left(\frac{10^{-2}}{\alpha_D} \right)$$

$$\epsilon^2 \simeq 1.3 \times 10^{-8} \left(\frac{m_{A'}}{10 \text{ MeV}} \right)^4 \left(\frac{\text{MeV}}{m_\chi} \right)^2 \left(\frac{10^{-2}}{\alpha_D} \right)$$

Arxiv.1411.1404
 PhysRevD.99.075001
 Arxiv.1801.05447
 Arxiv.1307.6554



Effective cross-section Constraints

CLASSICS

Calculations of Self Interaction Cross Sections

github.com/kahlhoefer/CLASSICS

Arxiv: 2011.04679

Computes approximate **self-scattering cross sections** for dark matter (DM) particles interacting via a **Yukawa potential**:

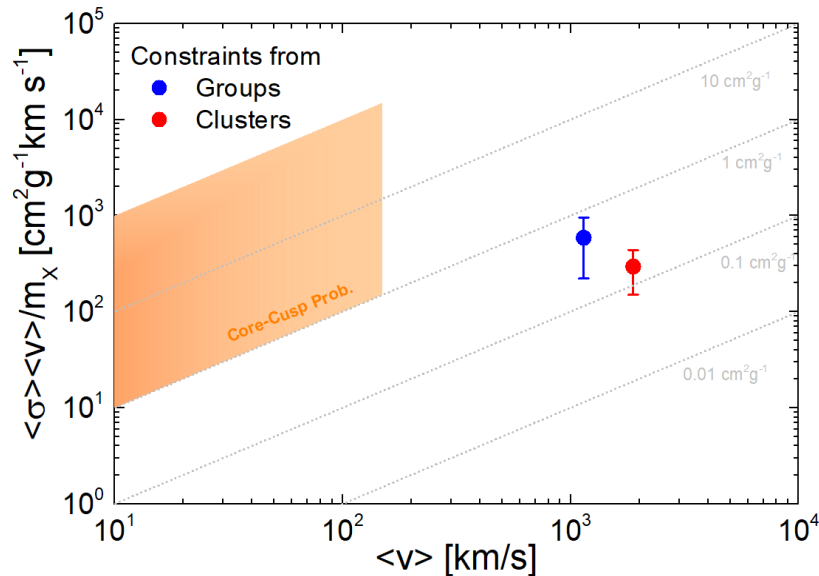
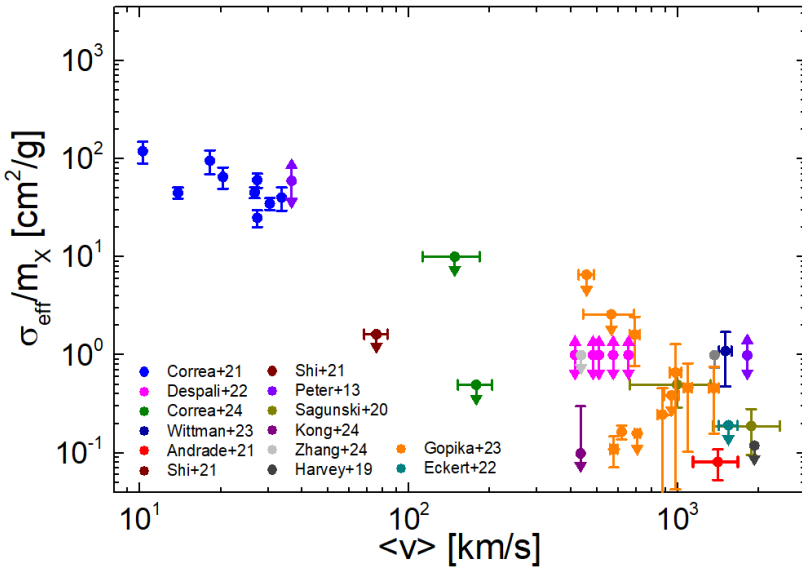
$$U(r) = \pm \frac{\alpha_\chi}{r} e^{-m_\phi r}$$

- Momentum-transfer cross section

$$\sigma_T = \int d\Omega (1 - \cos\theta) \frac{d\sigma}{d\Omega},$$

- Viscosity cross section

$$\sigma_V = \int d\Omega \sin^2\theta \frac{d\sigma}{d\Omega}.$$



Maxwell-Boltzmann distribution to compute velocity-averaged cross sections

- $\frac{m_\chi v}{m_U} > 1$ Classical trajectory methods

$$f(v) = 4\pi \left(\frac{m_\chi}{2\pi k_B T} \right)^{3/2} v^2 e^{-\frac{m_\chi v^2}{2k_B T}}$$

- $\frac{m_\chi v}{m_U} \sim 1$ Classical with leading quantum corrections.

- $\frac{m_\chi v}{m_U} < 1$ Schrödinger Equation in the Born limit (weak dispersion) (*Tulin, Yu & Zurek, arXiv:1302.3898*)

Thermal Relic Abundance

$$\Omega_{DM} = \frac{\rho_{DM}}{\rho_{cr}} \sim 26.14 \%$$



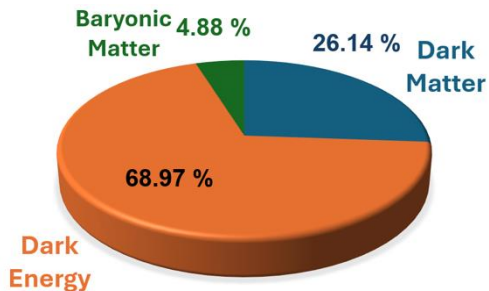
$$h = 0.674$$

Plank mission CMB: arxiv.1807.06209

$$\Omega_{DM} h^2 \sim 0.120 \pm 0.001$$

$\Omega_{DM} h^2 > 0.12$ Overproduction

$\Omega_{DM} h^2 < 0.12$ Underproduction



Red DeliVeR

Arxiv: 2410.00881

Solve the Boltzmann Equation for the DM relic density at freeze-out

Mediator: Dark Photon

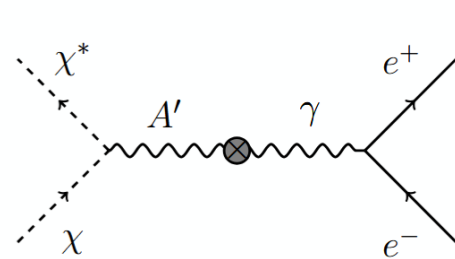
Dark Matter:

Complex Scalar
Dirac Fermion
Majorana Fermion

- $m_U \geq 2 m_X$ Cross-Section is dependent of ε^2
- $m_U < 2 m_X$ "secluded" case: independent of ε^2



$(\varepsilon, m_U, \alpha_X, m_X)$

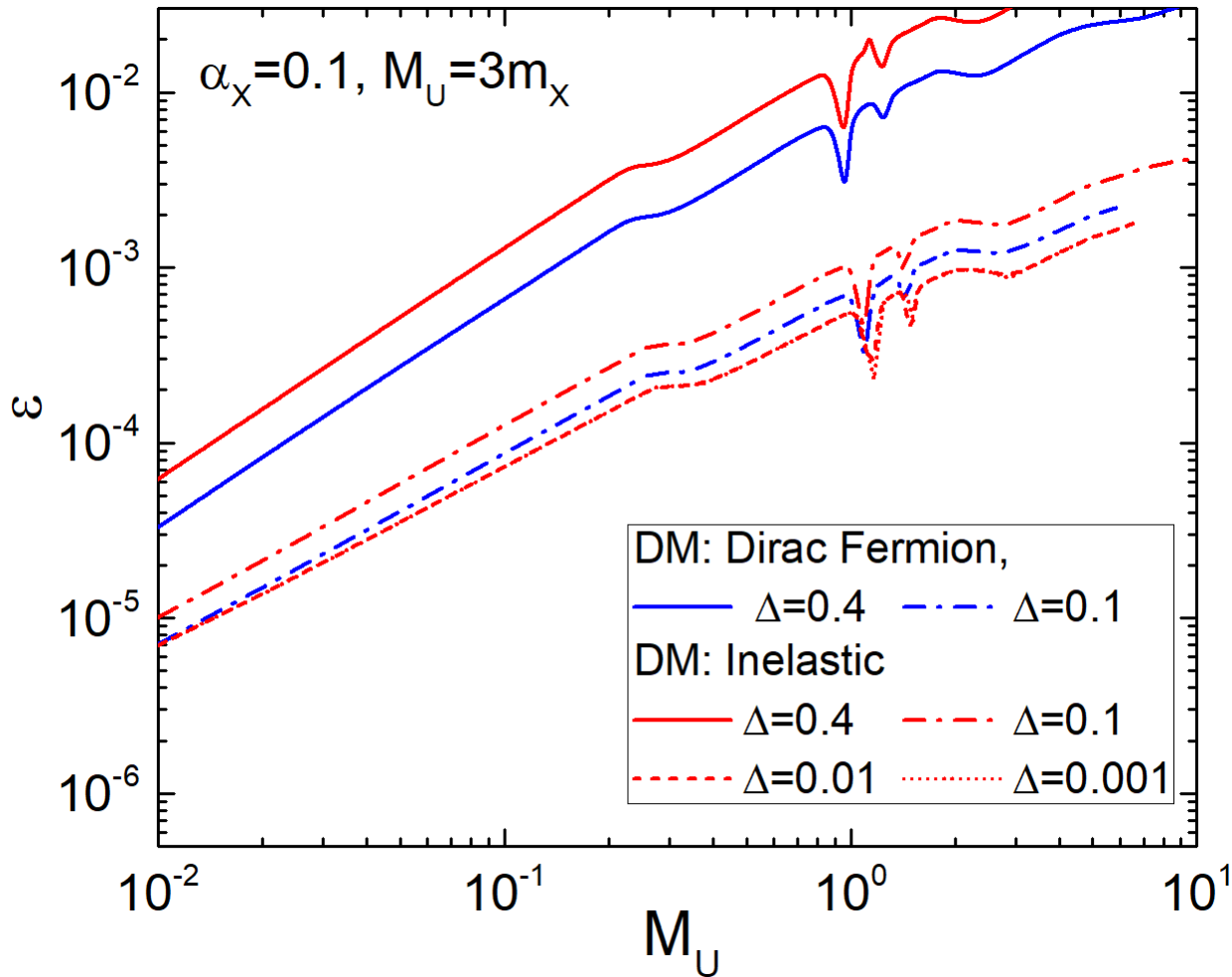


$\chi\bar{\chi} \rightarrow U^* \rightarrow f\bar{f}$ Direct Annihilation

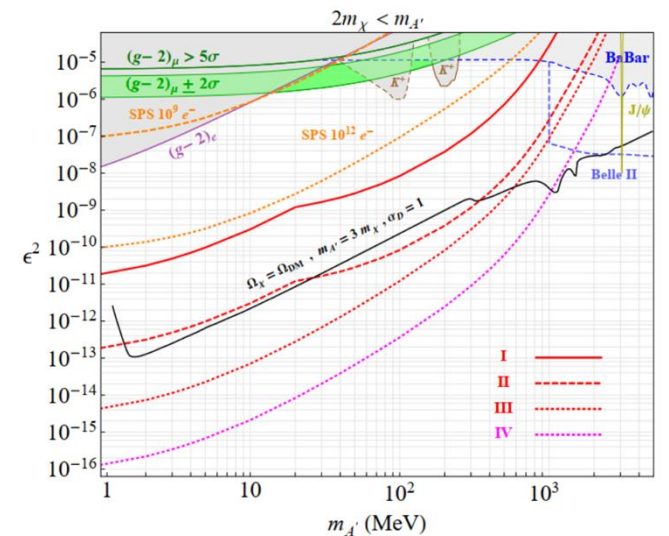
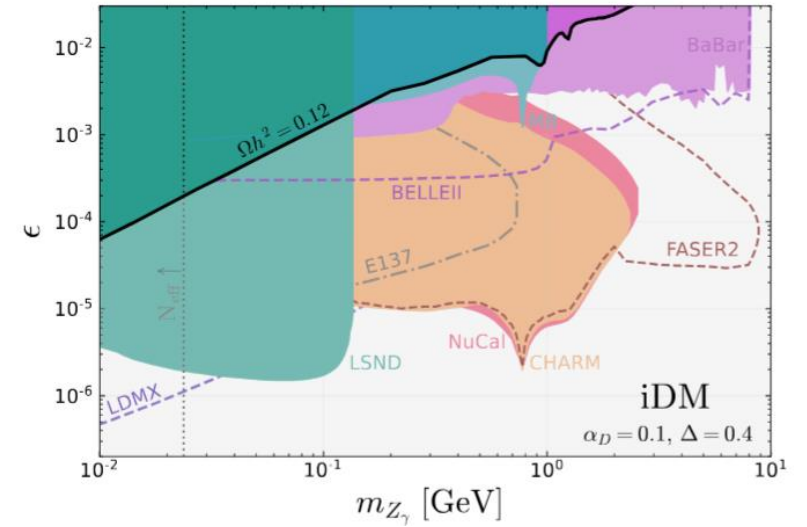
s - channel

$$\Gamma(\chi\bar{\chi} \rightarrow U^* \rightarrow f\bar{f}) = \varepsilon^2 \frac{\alpha_X m_U}{12} \left(1 - \frac{4m_X^2}{m_U^2}\right)^{3/2}$$

$$\{m_\chi, g_\chi, \varepsilon, m_U, \Delta\} \quad R = m_U/m_\chi = 3$$



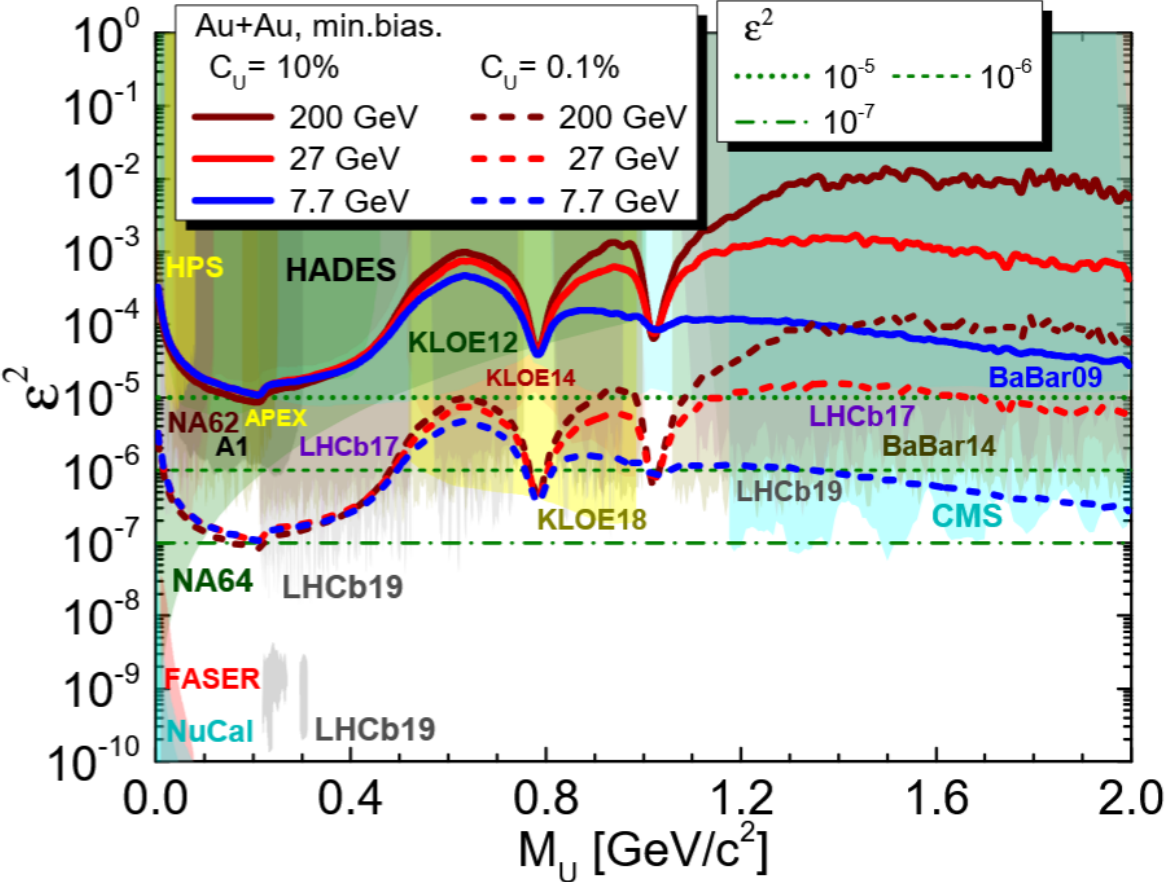
$$\Delta = \frac{|m_{\chi_1} - m_{\chi_2}|}{m_{\chi_1}}$$



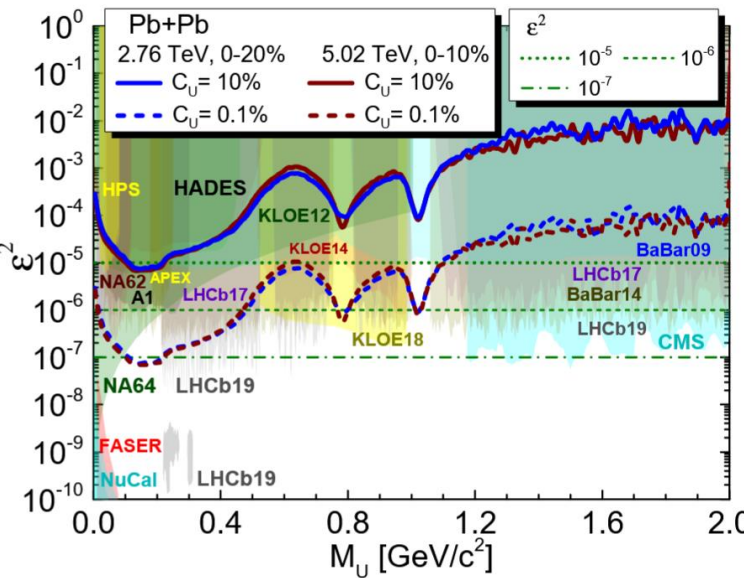
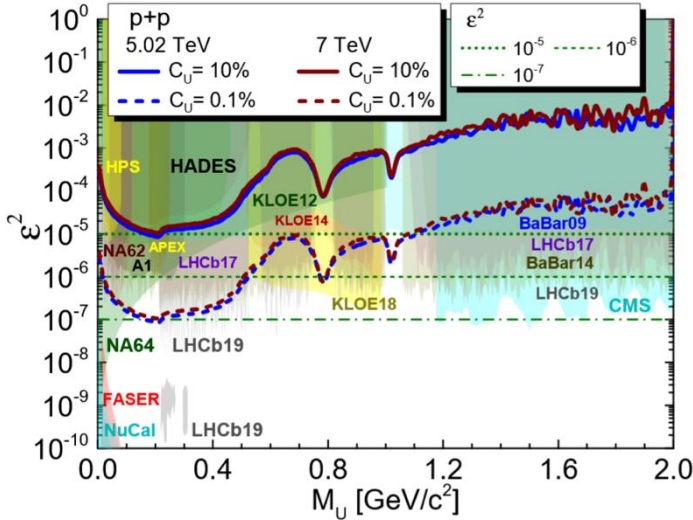
Kinetic Mixing parameter $\varepsilon^2(m_U)$



BES-RHIC-STAR



LHC-ALICE



A. Jorge et al. (2025): [arXiv:2507.11163](https://arxiv.org/abs/2507.11163)

